

CC Disappearance in the Off-Axis Beam

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NuFact '02

Outline

- Physics and Detector Assumptions
- Correlations and the Physical Boundary
- Algorithms
- Results
- Future Work

Physics and Detector Assumptions

- Searching for $\nu_\mu \rightarrow \nu_\tau$
- Off-Axis Detector: 10 km at 735 km
- Un-magnetized Detector with Calorimetry from Hit Counting:

§1. $\sigma/E = 1.0/\sqrt{E}$ as in FMMF
(R. Hatcher, priv. comm.)

(Contrast to $0.8/\sqrt{E}$ CCFR and $0.55/\sqrt{E}$ NuMI)

§2. No μ Tracking or Pattern-Recognition

Two Points Above Imply

No Spectral Information, so

- Σ events from 1–3 GeV so total rate test,
no spectral information

relies on δ -fcn beam:

- ν_μ at 2 GeV after oscillation
won't reconstruct at 2 GeV

- Choices somewhat Arbitrary,
Based On Notion that
NC Contamination Dominates Error

Choice	Reason	Alternative
1–3 GeV Range	Around Peak and 1σ	Tune
Hit-Counting	No Calorimetry	Calorimeter
No Muon Tracking	π/μ 's Look Identical	H_2O Ch.
Total Rate	No Spectral	Calorimetry

- Algorithm: ν_μ Oscillates to:

Channel	CC	NC
ν_τ	below threshold	Identical to ν_μ NC
ν_e	ignore	ignore

*For now, ignore ν_τ NC interactions
which pass cuts...*

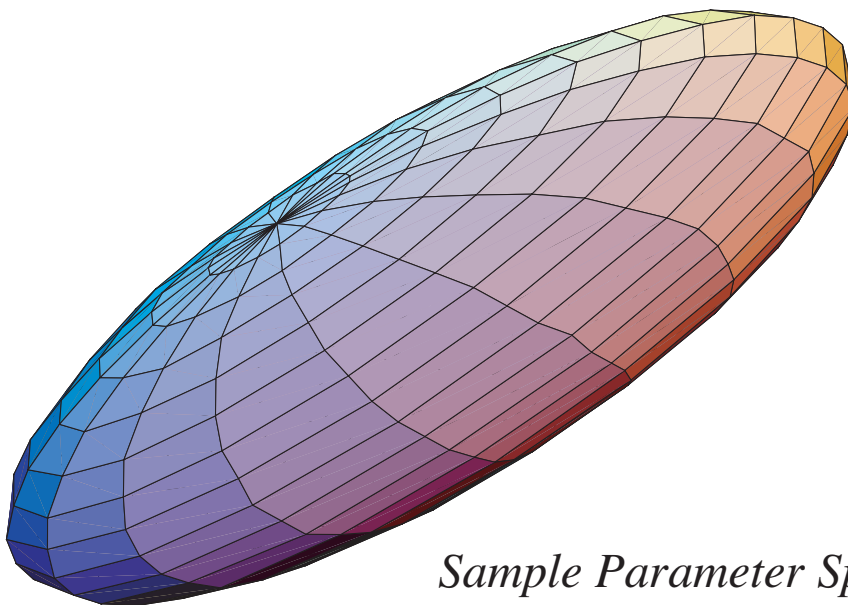
- Suggestion:

§1. Investigate Spectral Test

§2. Quasi-Elastics

Neyman-Pearson Hypothesis Test

- *aka* Feldman-Cousins
- “Most Powerful” Accept-Reject
- Constructs Confidence Levels
- Correctly Handles Physical Boundary and Correlated Errors



*Sample Parameter Space to
Obtain Allowed Region*

Generate $\Delta\chi^2$ Distribution Before Experiment Ever Runs

- Choose point in $\Delta m^2, \sin^2 2\theta$ space
- Run Many “Experiments”
From that Point:
 - Allow All Errors to Fluctuate
According to Hypothesized Error Dist
 - §1. Gaussian, Flat, Poisson, . . . *etc.*
 - §2. Throw Correlated Errors Together
 - *e.g.*, correlated flux: affects entire data set
 - Each “experiment” throw different
correlated flux error
- End Up With Distribution in Error Space
With all Correlations Properly Handled and
Weighted According to Probability Distribu-
tion for Each Error
- Get Distribution of χ^2 for that Point in Pa-
rameter Space

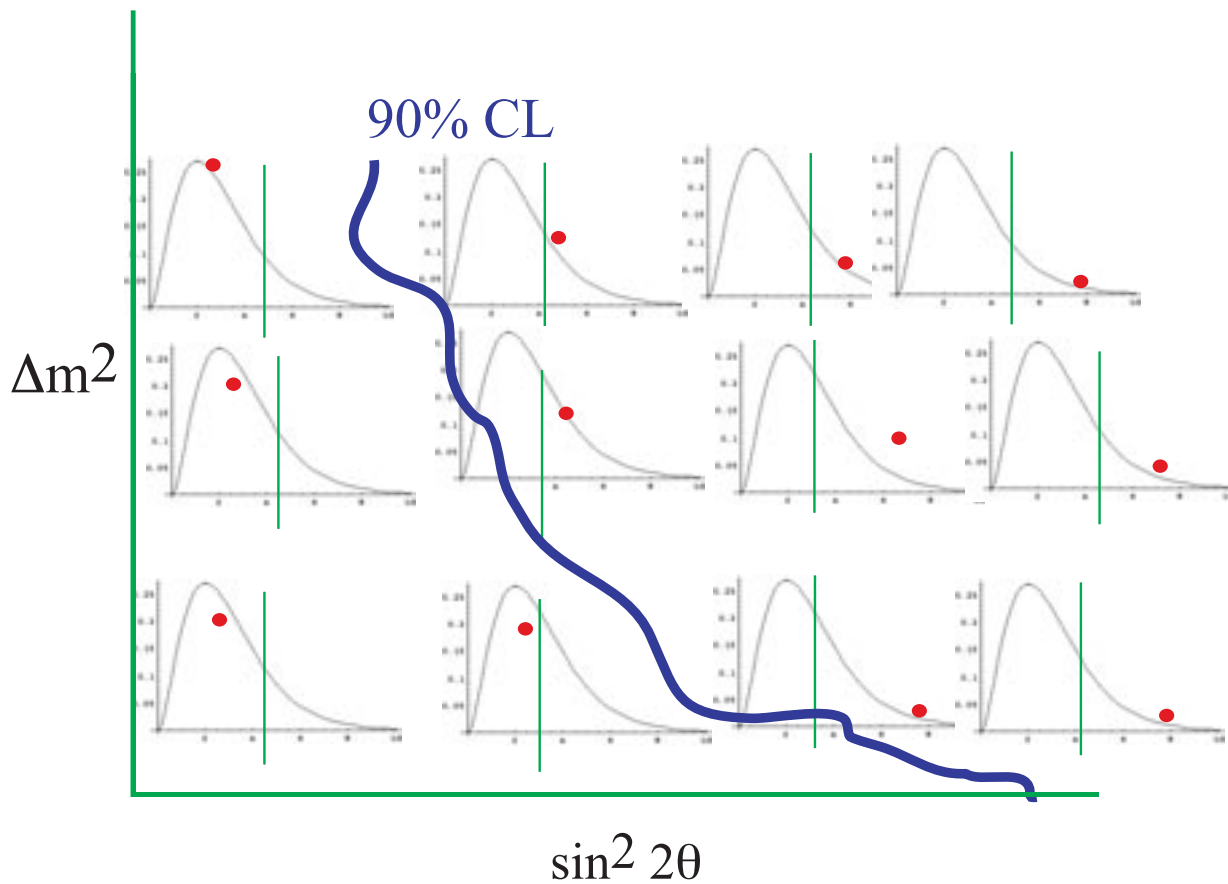
Compare Data to Distribution

- Are Data Consistent With Statistic for that $\Delta m^2, \sin^2 2\theta$ at 90% CL?
- Sensitivity is “Ensemble Average” of Data
- *Same* for Signal and Exclusion!
- Denote:
 - **O** as the number of events at some point in parameter space
 - **FO** as the number of events at the *same* point in parameter space with all errors allowed to fluctuate.
 - **D** as the number of data events.
- Form:

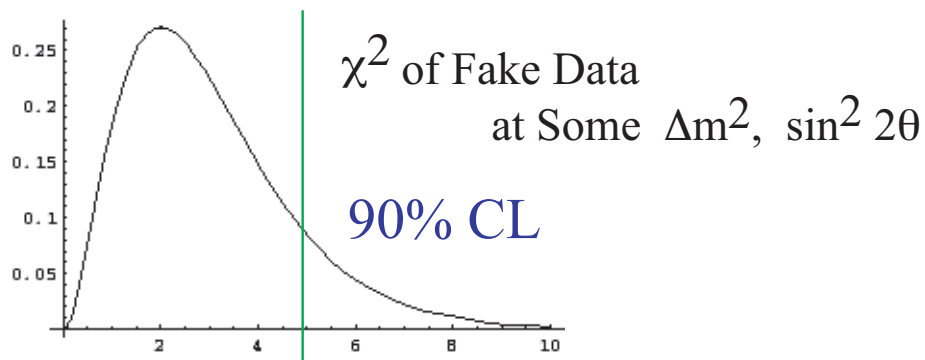
$$\chi_{\text{rate}}^2 = \frac{(\mathbf{D} - \mathbf{O})^2}{\mathbf{O}}$$

- $\Delta\chi^2$ is what is used to determine confidence levels

$$\Delta\chi_{\text{rate}}^2 = \chi^2 - \chi^2(\text{best fit})$$



- $\Delta\chi^2$ of Data at Some $\Delta m^2, \sin^2 2\theta$



- Errors:

Statistical	100 kt· years	
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Beam		
Correlated Flux	3%	
Random Flux	2% in any 1 GeV bin	
Shape	$A \sin(\lambda E_\nu/5. + \phi)$ $-.10 < A < .10$ flat $0 < \lambda < 2\pi \times 5$ flat $0 < \phi < 2\pi$ flat	From studying hep-ex/0110001, 0110032

Detector		
Hadronic Energy	$1.0/\sqrt{E}$	
Muon Momentum	not separately seen include with hadron shower energy	

- Shape Error from

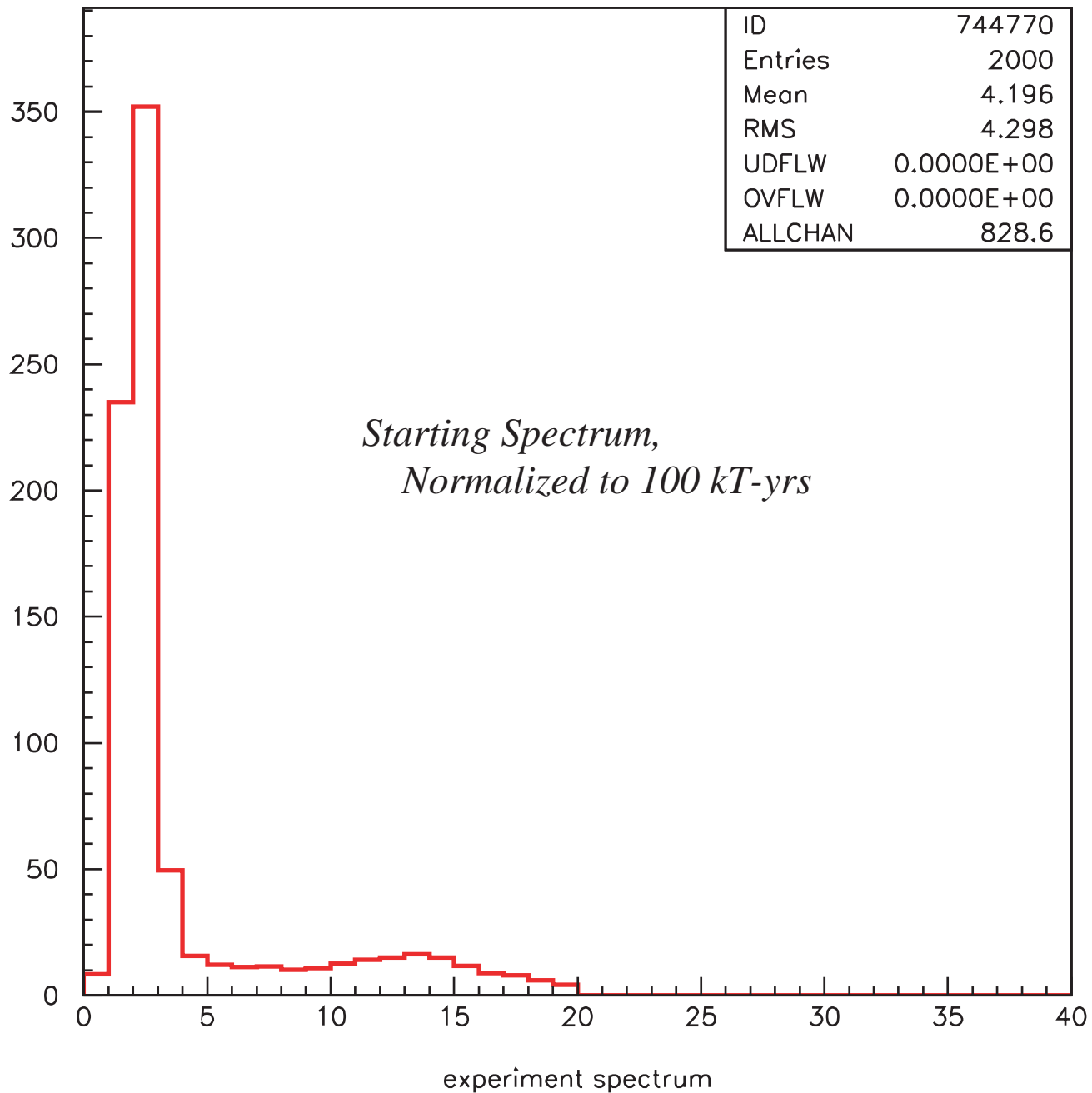
§1. Extrapolation from near Detector to 2°

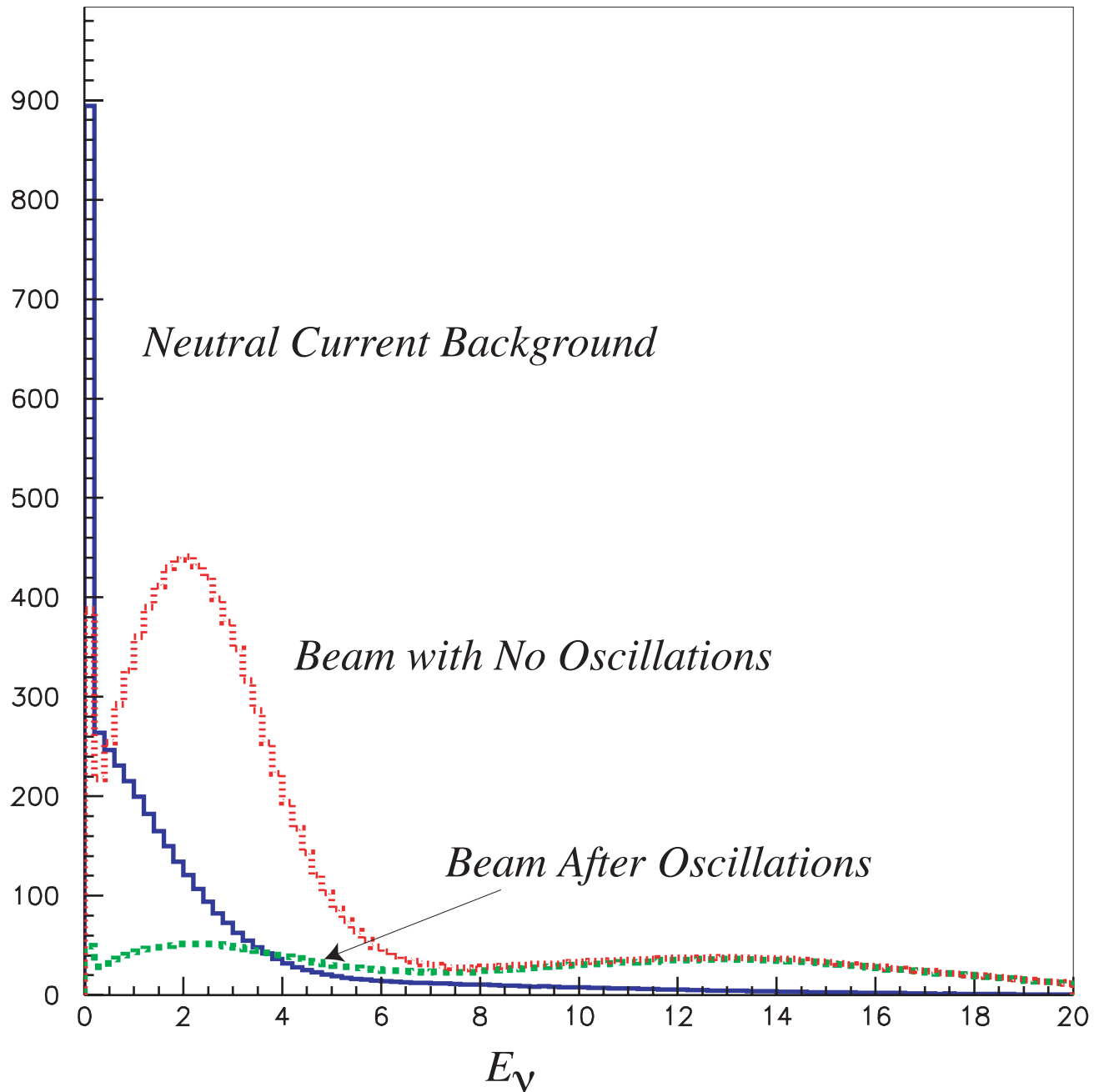
§2. Magnetic Horn Elements

§3. GEANT/FLUKA/...

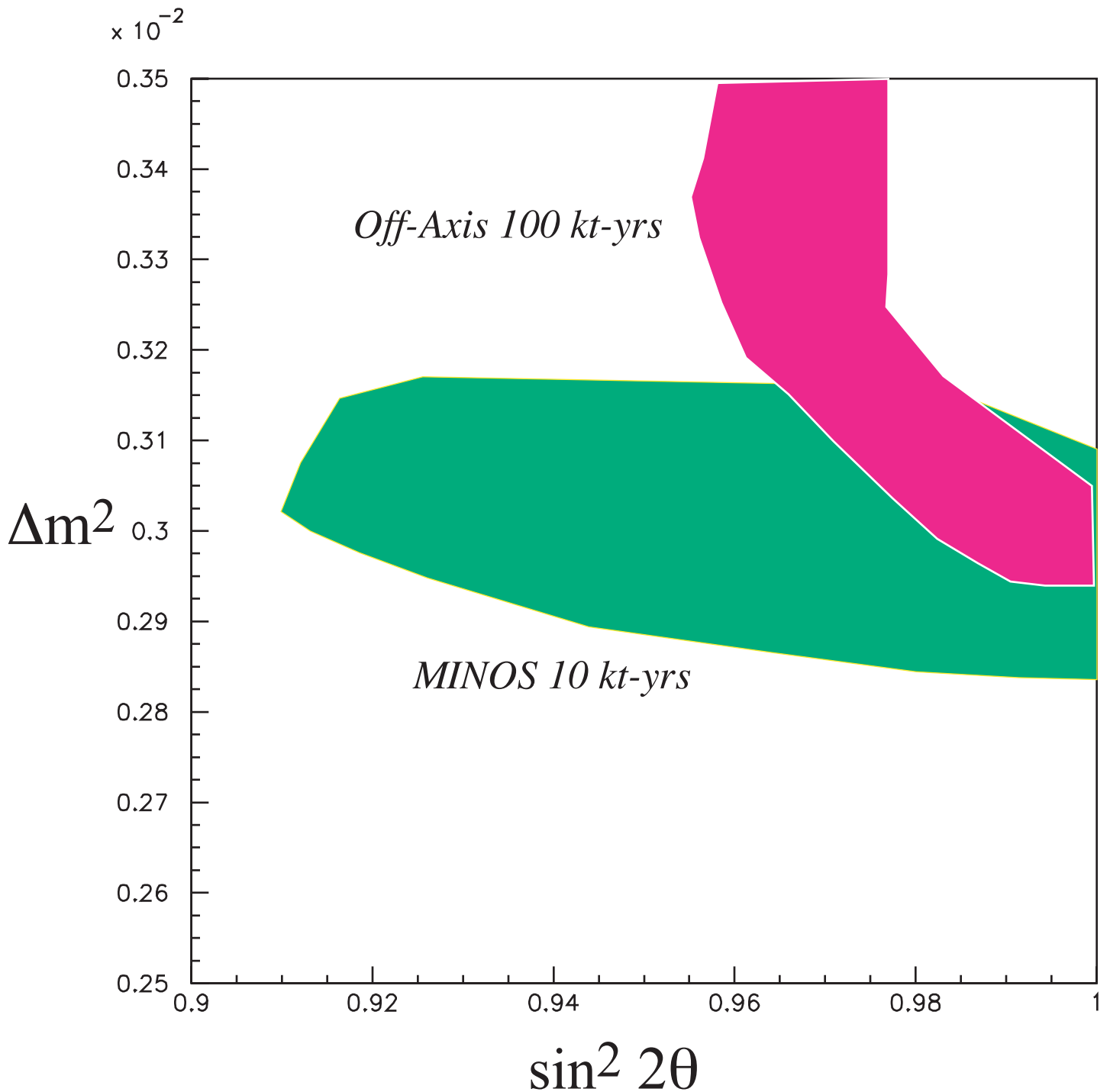
- Correlated Flux from

§1. Fiducial Volume and Mass of
Near, Far Detectors





- $\nu_\mu \rightarrow \nu_\tau$ 90% CL
- Signal at $\Delta m^2 = .0030, \sin^2 2\theta = 1.0$



Future Work

§1. Can This Do Better than Total Rate Test

§2. Rigorous Combined MINOS signal

(tedious, time-consuming,
but straightforward)

§3. Move to $\nu_\mu \rightarrow \nu_e$