Overcoming Neutrino Interaction Mis-modeling with DUNE-PRISM

Imperial College London Luke Pickering 2020-05-06

Pronouns: He/Him/His





This Talk

- Primer: Neutrino Oscillations
- Introduction to DUNE
- The PRISM Concept





Big Picture Neutrino Questions

What is the mass ordering of the neutrino mass states?

Is there significant CP violation in the neutrino sector?

What are the precise values of the remaining neutrino oscillation parameters?

Could neutrino sector CP violation explain the matter/anti-matter asymmetry?





Big Picture Neutrino Questions

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What is the mass ordering of

Is there violation

I believe that the biggest barrier to progress is neutrino interaction mis-modelling.

se values of neutrino meters?

matter/anti-matter asymmetry?





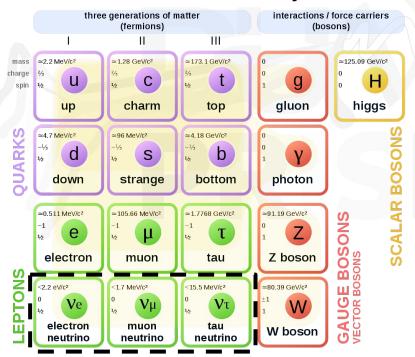
Primer: Neutrino Oscillations





Neutrinos

Standard Model of Elementary Particles



Three generations of matter:

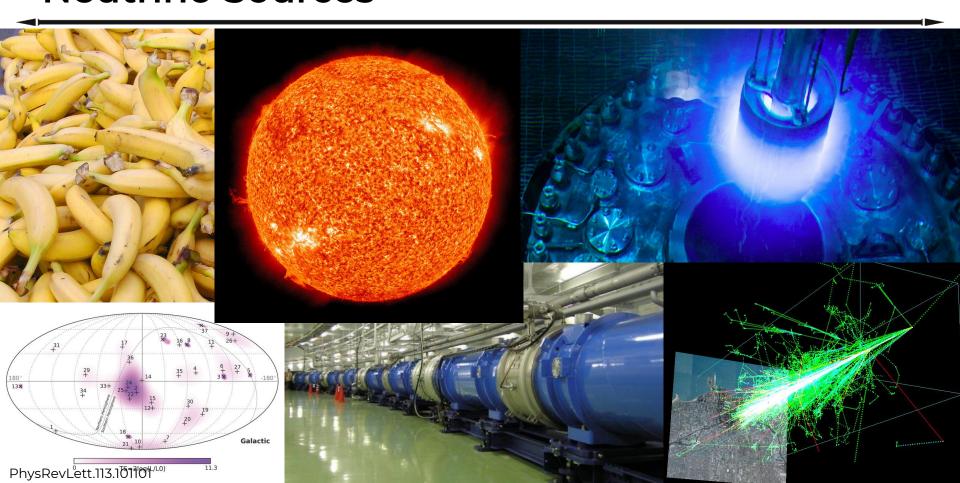
 Three neutrinos paired with charged leptons: electron, muon, tau.

Neutrinos are:

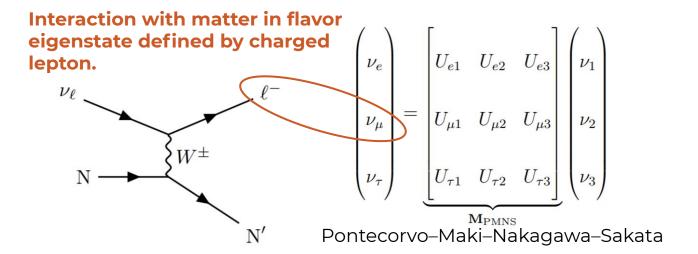
- Electro-magnetically neutral
- Massless within the standard model
- o Interact via mainly via the weak force.
- Absurdly abundant





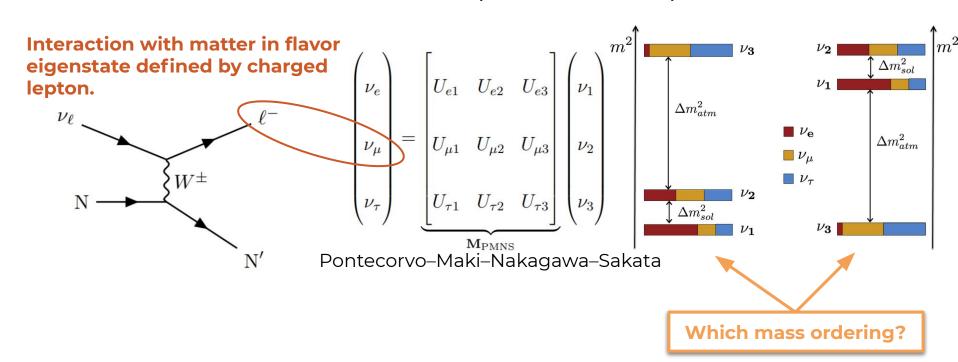


Neutrino Oscillation: PMNS

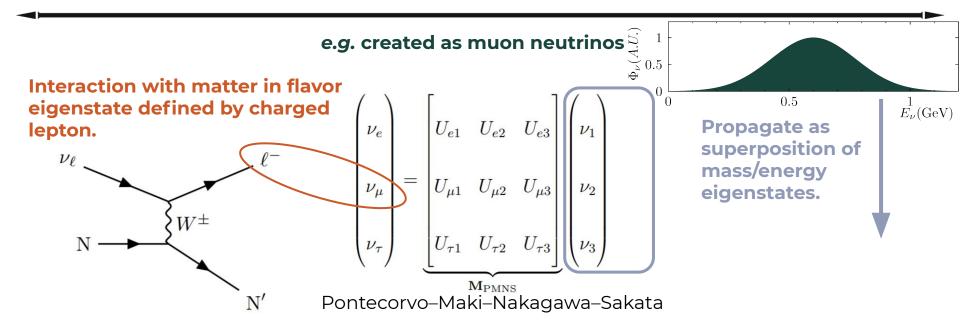


Neutrino Oscillation: PMNS

Journal of Physics G: Nuclear and Particle Physics. 43. 10.1088/0954-3899/43/8/084001



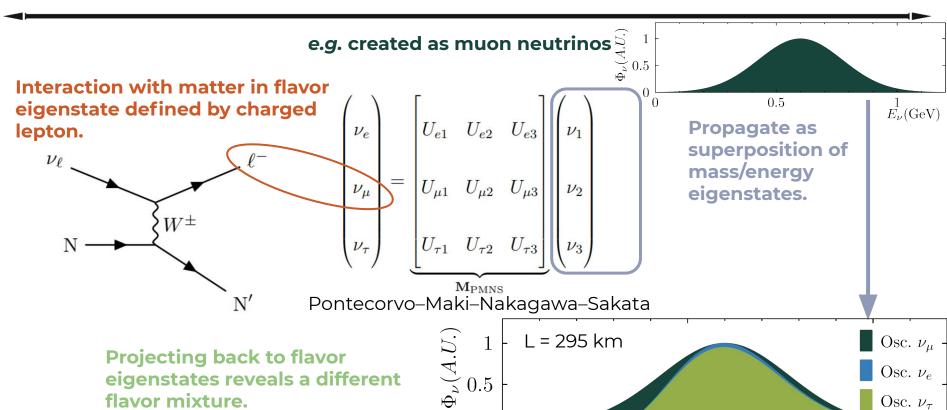
Neutrino Oscillation: PMNS



 $E_{\nu}(\text{GeV})$

0.5

Neutrino Oscillation: PMNS



 $(if |\Delta m^2_{ii}| \neq 0)$

Re-parameterizing the PMNS

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13}e^{-i\delta_{CP}} \\ 0 & 1 & 0 \\ -s_{13}e^{i\delta_{CP}} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$
 Atmospheric Reactor /Accelerator

- Unitarity lets us re-parameterize PMNS matrix in terms of:
 - Three mixing angles: $C_{ii} = cos(\theta_{ij})$
 - CP violating phase: $0<\delta_{CD}<2\pi$

Muon Neutrino Disappearance

 To leading order, muon neutrino survival probability depends on mixing angles, and mass-squared splittings.

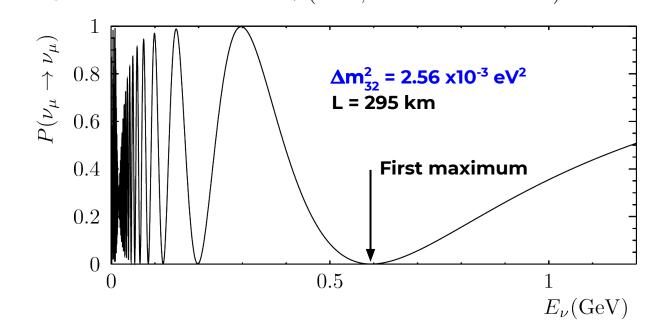
$$P(\nu_{\mu} \to \nu_{\mu}) \simeq 1 - 4\cos^{2}\theta_{13}\sin^{2}\theta_{23}$$

$$\times \left[1 - \cos^{2}\theta_{13}\sin^{2}\theta_{23}\right]\sin^{2}\frac{\Delta m_{32}^{2}L}{4E}$$
+ (solar, matter effect terms)

- To leading order, muon neutrino survival probability depends on mixing angles, and mass-squared splittings.
- Choose L/E for maximum effect:

$$\sin^2\left(\Delta m_{23}^2 L/4E\right) \simeq 1$$

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- Electron neutrino appearance probability has 'CP odd' term.
 - Sign flip between matter and antimatter.

$$P(\stackrel{\leftarrow}{\nu_{\mu}} \rightarrow \stackrel{\leftarrow}{\nu_{e}}) \simeq \sin^{2}\theta_{23}\sin^{2}2\theta_{13}\sin^{2}\frac{\Delta m_{32}^{2}L}{4E}$$

$$(+)-\left[\sin 2\theta_{12}\sin 2\theta_{23}\sin 2\theta_{13}\cos \theta_{13}\right]$$

$$\times \sin \frac{\Delta m_{21}^{2}L}{4E}\sin^{2}\frac{\Delta m_{32}^{2}L}{4E}\sin \delta_{CP}\right]$$

$$+ (CP-even, solar, matter effect terms)$$

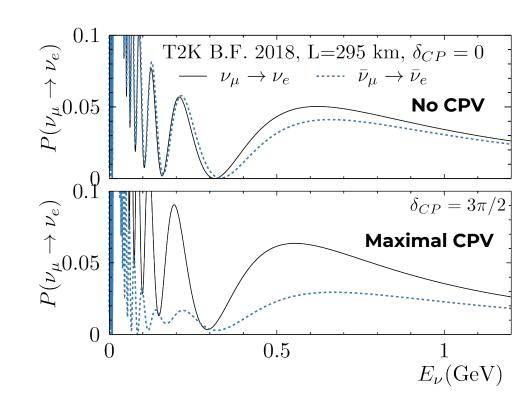
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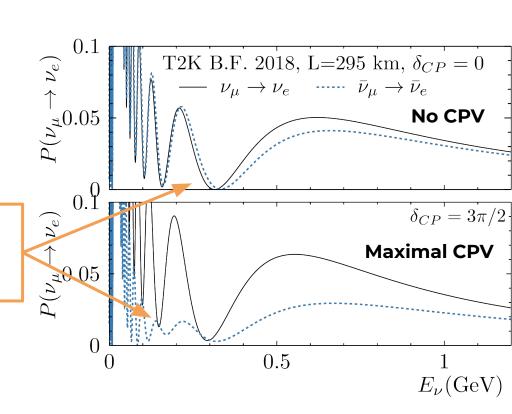


Electron Neutrino Appearance

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 What is the value of δ_{CP} ?

+ (CP-even, solar, matter effect terms)



Electron Neutrino Appearance

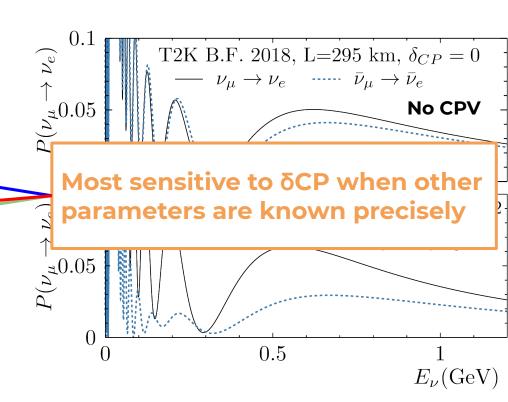
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Neutrino Oscillation: What Now?

- Evidence for neutrino oscillation is overwhelming: c.f. 2015 Nobel Prize
- We know: all mixing angles and both mass-squared splittings ≠ 0.

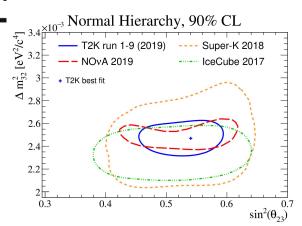
PDG 2018: Neutrino Masses, Mixing, and Oscillations

Parameter	best-fit	3σ
$\Delta m_{21}^2 [10^{-5} \text{ eV}^2]$ $\Delta m_{31(23)}^2 [10^{-3} \text{ eV}^2]$	7.37 $2.56 (2.54)$	6.93 - 7.96 2.45 - 2.69 (2.42 - 2.66)
$\sin^2 \theta_{12}$	0.297	0.250 - 0.354
$\sin^2\theta_{23}, \Delta m_{31(32)}^2 > 0$	0.425	0.381 - 0.615
$\sin^2\theta_{23}, \Delta m_{32(31)}^2 < 0$	0.589	0.384 - 0.636
$\sin^2\theta_{13}, \Delta m_{31(32)}^2 > 0$	0.0215	0.0190 - 0.0240
$\sin^2\theta_{13}, \Delta m_{32(31)}^2 < 0$	0.0216	0.0190 - 0.0242
δ/π	1.38(1.31)	2σ : (1.0 - 1.9)
		$(2\sigma: (0.92\text{-}1.88))$

Phys. Rev. D97, 072001 (2018)

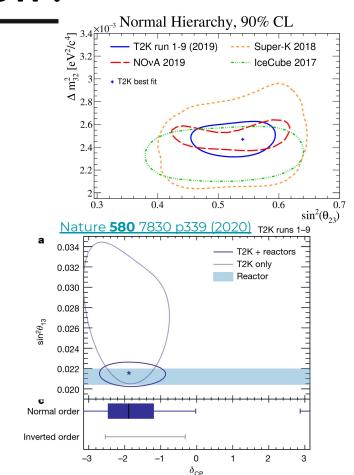
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 - Most sensitivity when other parameters are well known



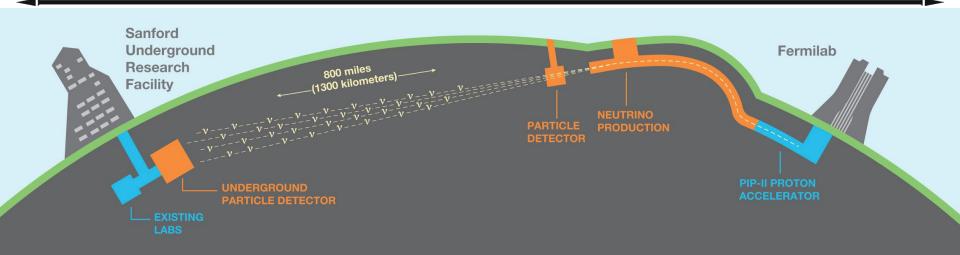
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 - Most sensitivity when other parameters are well known
 - Current generation experiments have some sensitivity to δ_{CP} , but disagree on the best fit...
 - Need new experiment for definitive 'five sigma' result...









Collaboration

- >1100 Collaborators
- 34 Countries

PMNS Oscillations

- Unprecedented sensitivity to osc. params.
- Measurement of $oldsymbol{\delta}_{\scriptscriptstyle extsf{CP}}$ and mass ordering

Rich Physics Program

- Solar \mathbf{v} 's
 - Geo \mathbf{v} 's Sterile \mathbf{v} 's
- SN v's
- Cross

NSI

Banana 1



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Collaboration

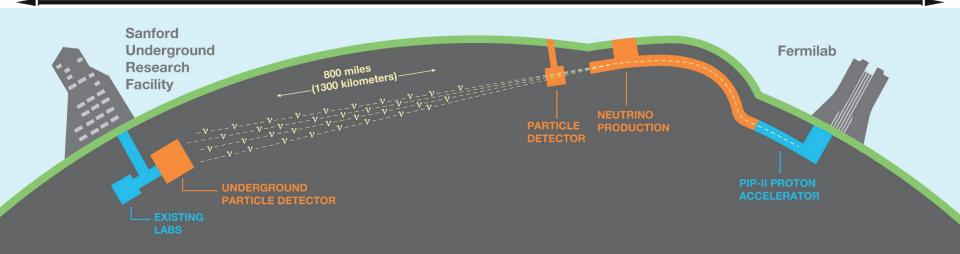
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Cross

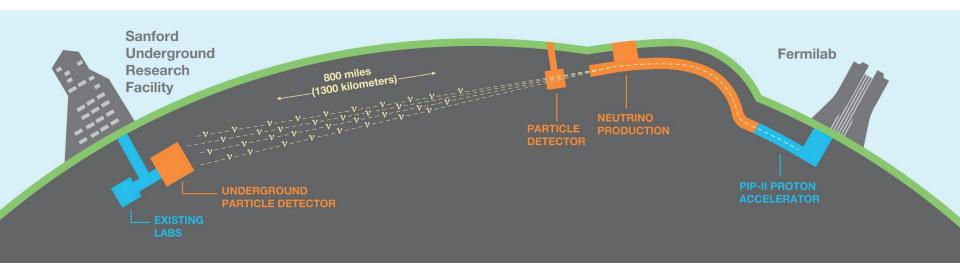
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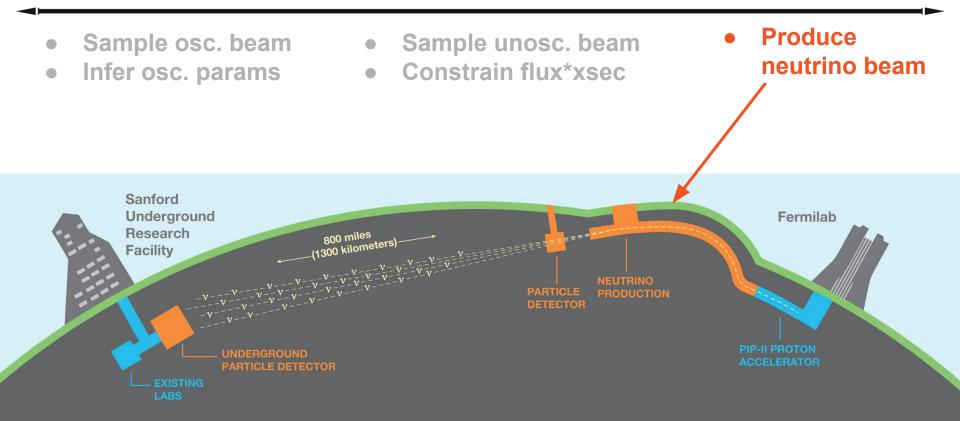
◆ Banana v's

- Sample osc. beam
- Infer osc. params

- Sample unosc. beam
- Constrain flux*xsec

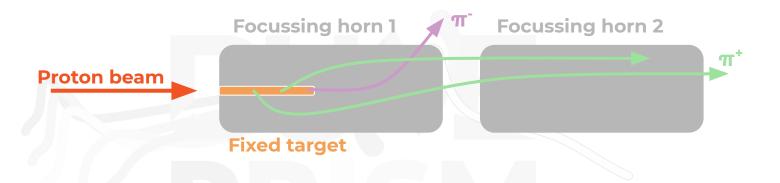
Produce neutrino beam



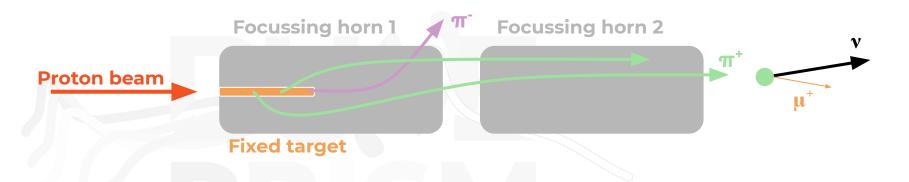




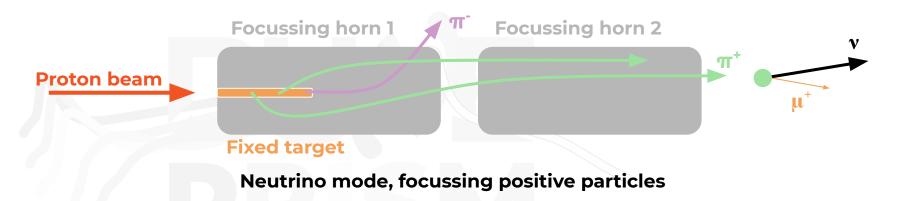
Proton beam strikes a fixed target producing secondary hadrons: mostly pions and kaons



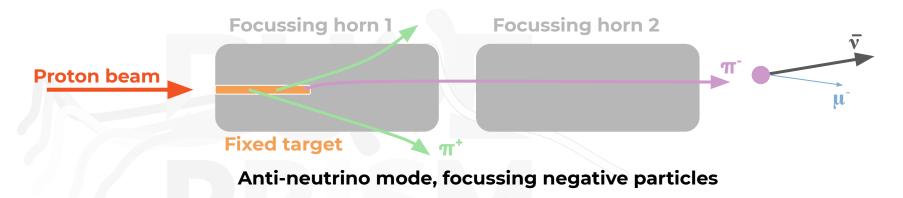
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- The horn current can be inverted to produce mostly anti-neutrinos

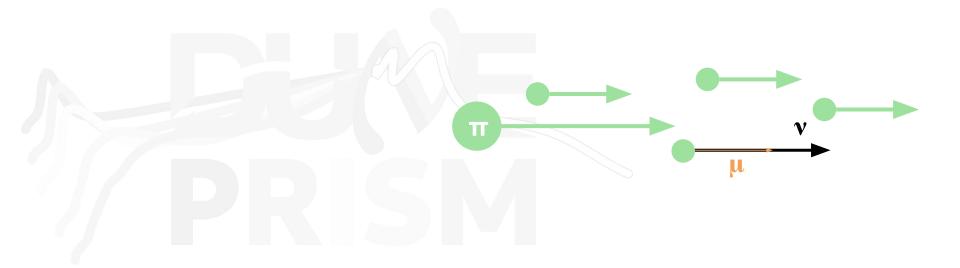


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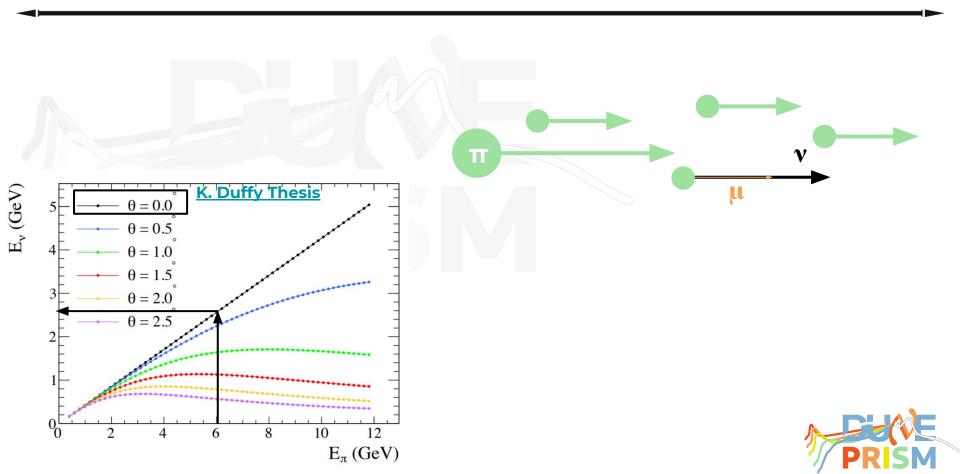
Off Axis Fluxes





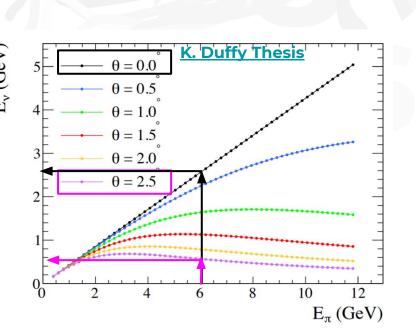


Off Axis Fluxes



Off Axis Fluxes

• Boosted π decay kinematics result in lower energy neutrinos off beam axis.





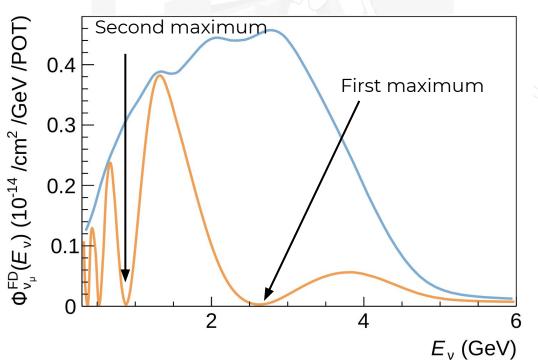
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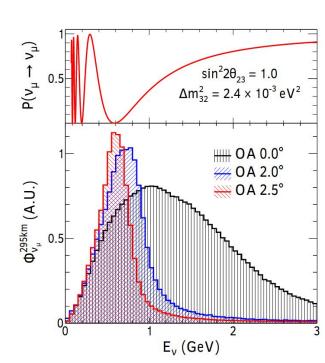
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Exploited by T2K and NOvA to achieve narrow-band beam for maximal oscillation signal at first oscillation maximum $\sin^2 2\theta_{23} = 1.0$ P(v_µ. $\Delta m_{32}^2 = 2.4 \times 10^{-3} \text{ eV}^2$ ₩ OA 0.0° ## OA 2.0° Φ^{295km} (A.U.) .0 .5 $\theta = 2.0$ ₩ OA 2.5° $\theta = 2.5$ J-PARC neutrino flux E_{π} (GeV) Phys. Rev. D 87, 012001 E_v (GeV)

LBNF: The DUNE Neutrino Beam

- By contrast, DUNE will use an on axis, wide band beam:
 - Access to physics at higher order oscillation maxima





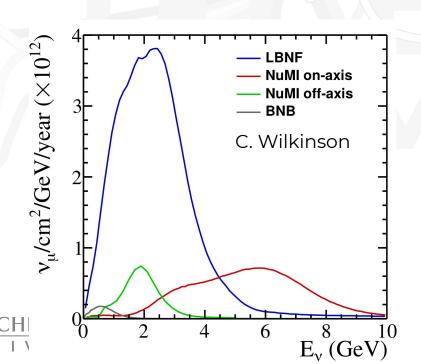






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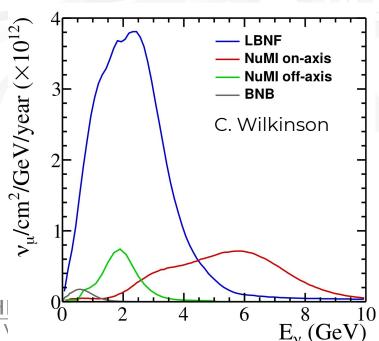
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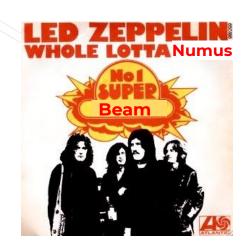




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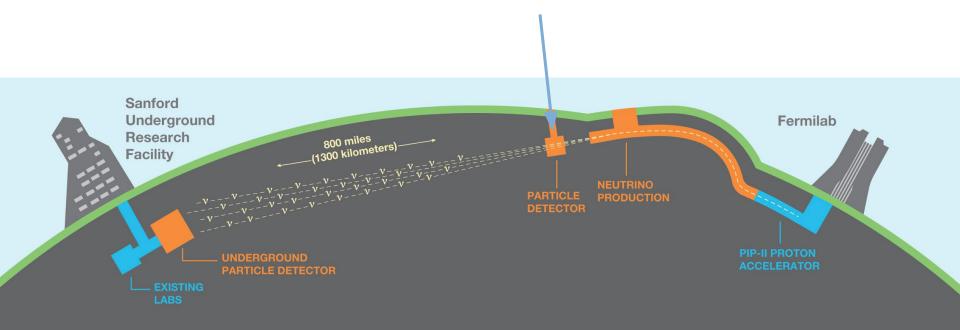


The Deep Underground Neutrino Experiment

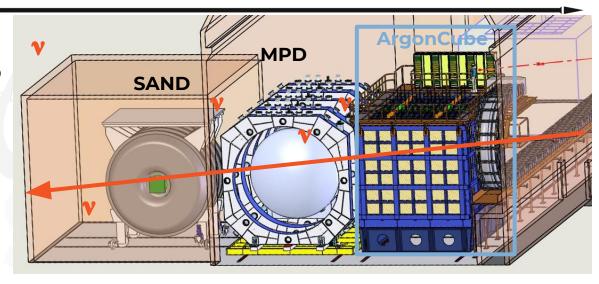
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Produce beam

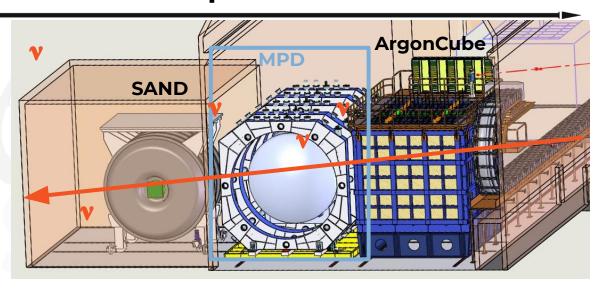


- **ArgonCube**: LAr TPC
 - Primary target, similar to FD



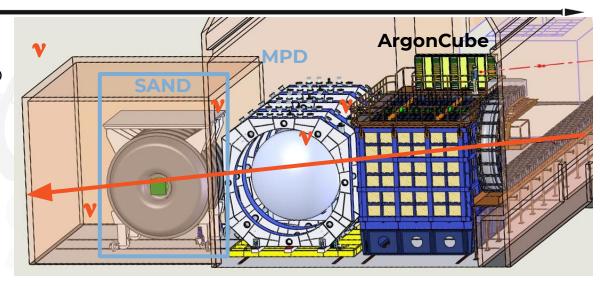
DUNE Preliminary		MPD FV			
	All int.	Selected			All int.
Run duration	$N\nu_{\mu}CC$	NSel	WSB	NC	$N\nu_{\mu}CC$
$\frac{1}{2}$ yr.	25.5M	11.3M	0.2%	1.4%	680,000

- ArgonCube: LAr TPC
 - o Primary target, similar to FD
- MPD: GAr TPC + ECal +
 Low mass magnet
 - o Charge/momentum/PID
 - Low threshold neutrino target

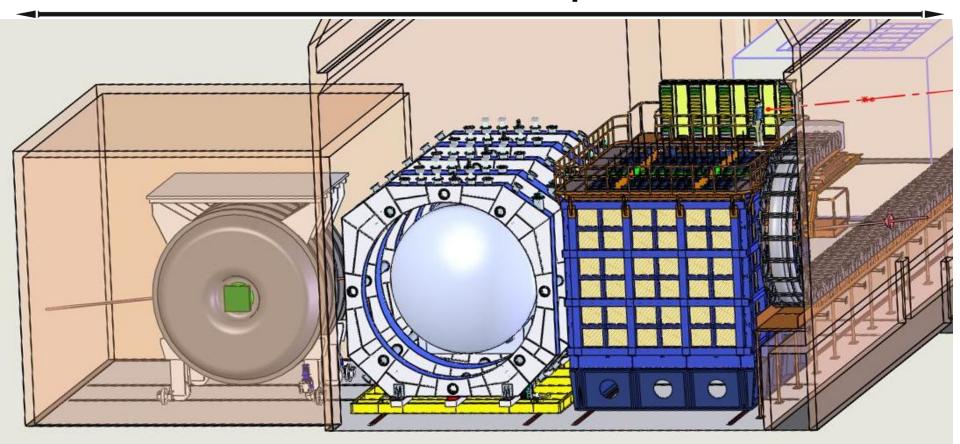


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- **ArgonCube**: LAr TPC
 - o Primary target, similar to FD
- MPD: GAr TPC + ECal +
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- SAND: 3D plastic scintillator detector inside a superconducting solenoid:
 - Beam monitor



DUNE Preliminary	ArgonCube FV				MPD FV
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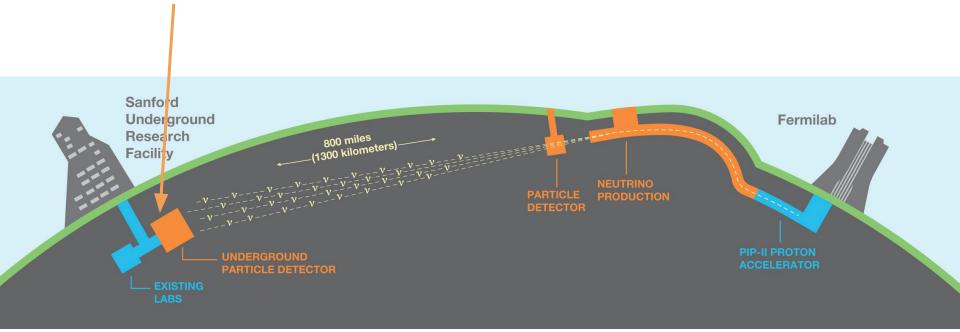


The Deep Underground Neutrino Experiment

- Sample osc. beam
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Produce beam



Far Detector

• 4x**10 kT LAr TPC**s







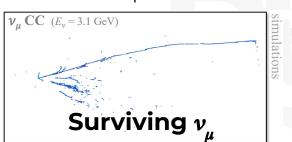
L. Pickering

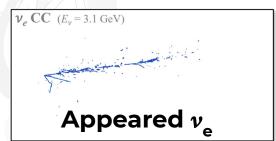
SURF underground

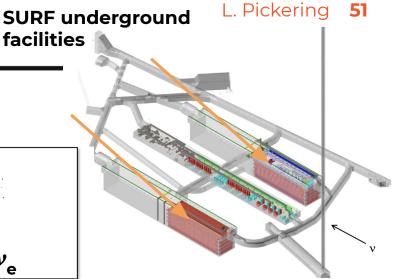
facilities

Far Detector

- 4x10 kT LAr TPCs:
 - Unprecedented FD event resolution





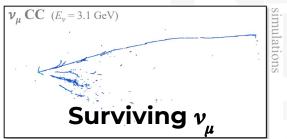


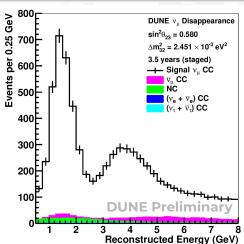


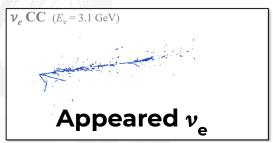


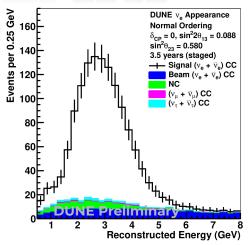
Far Detector

- 4x10 kT LAr TPCs:
 - Unprecedented FD event resolution and event rate!

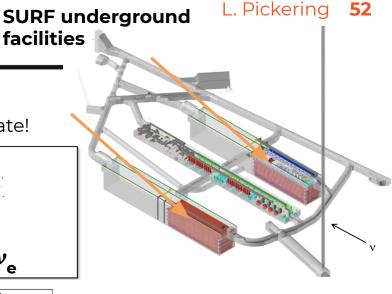










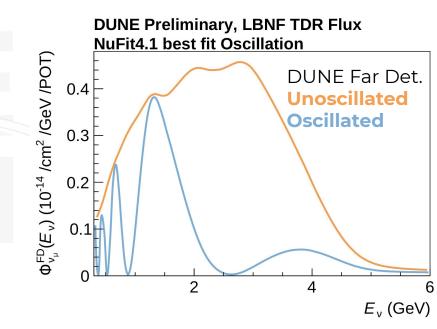


Measuring Oscillations



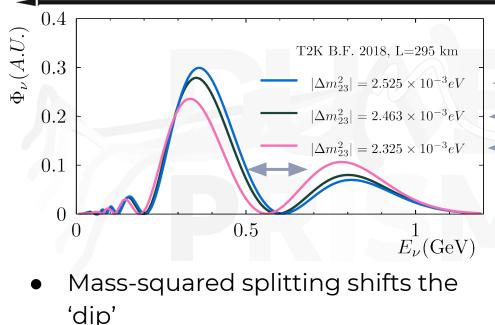


- Shouldn't be too hard
 - Sophisticated detectors
 - o Powerful neutrino beams
- Look for signature
 'oscillation' shape in flux at
 the 'far' detector...

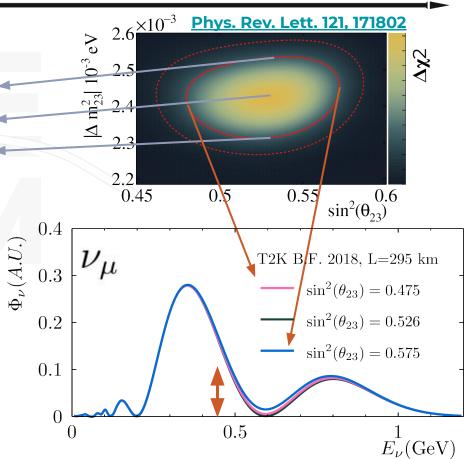




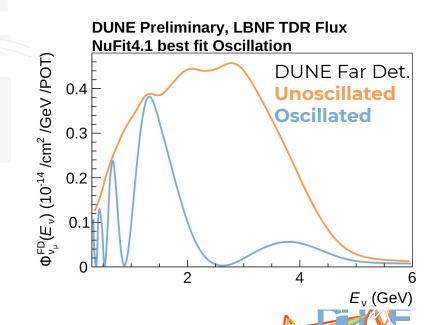




- 'dip'
- Mixing angle determines the depth of the 'dip'

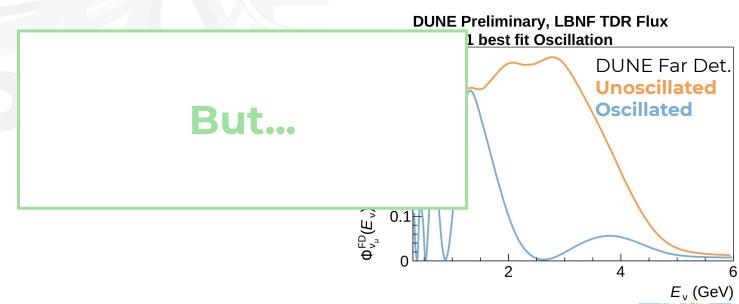


• Look for signature 'oscillation' shape in flux at the far detector



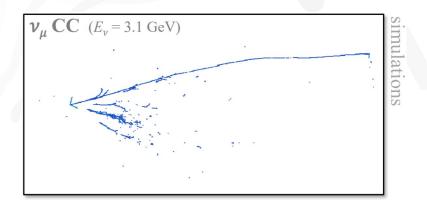


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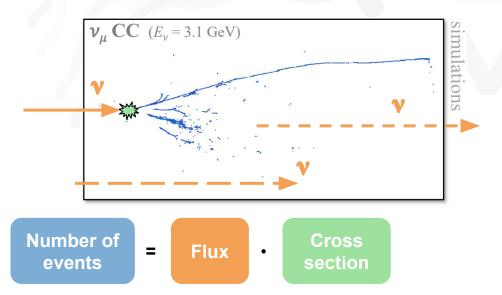




- Look for signature 'oscillation' shape in flux at the far detector
- We cannot observe the flux, only the event rate

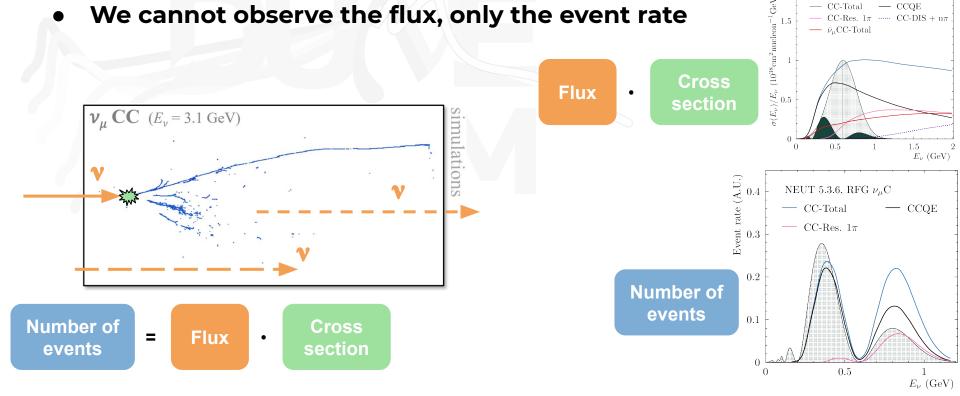


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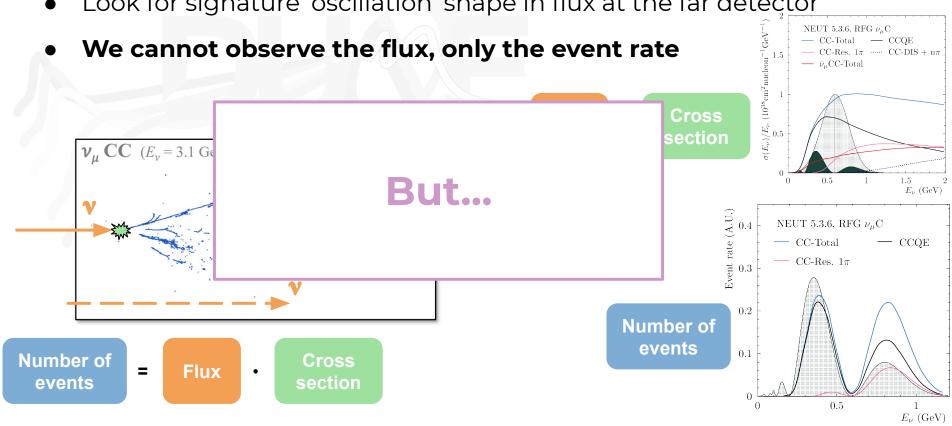


NEUT 5.3.6, RFG ν_{μ} C

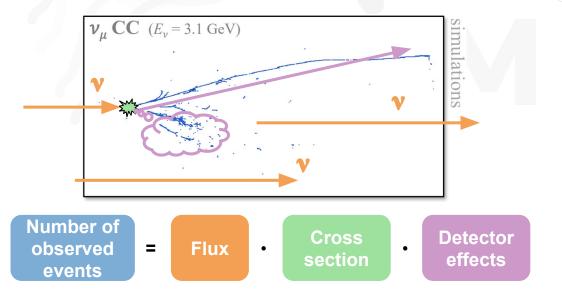
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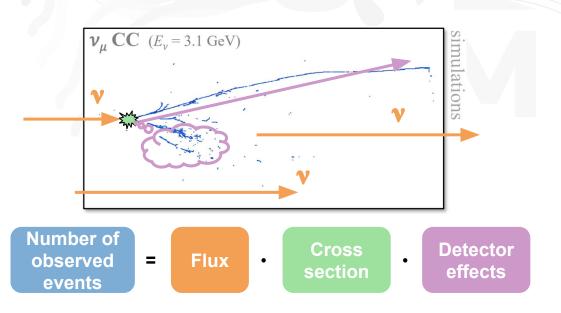
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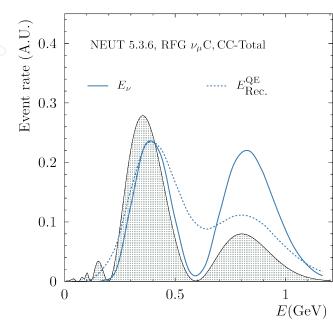


- Look for signature 'oscillation' shape in flux at the far detector...
- We cannot observe the flux, only the event rate
- We have to reconstruct the energy from observables



- Look for signature 'oscillation' shape in flux at the far detector...
- We cannot observe the flux, only the event rate
- We have to reconstruct the energy from observables

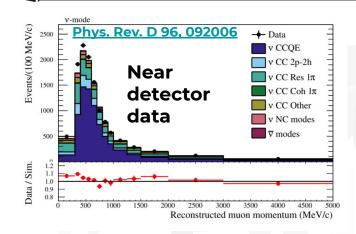




Current Long Baseline Neutrino Oscillation Analysis



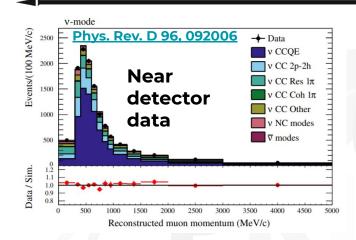




Wiggle model parameters at the Near Detector





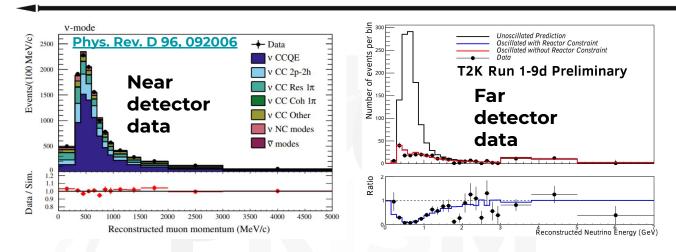


- Wiggle model parameters at the Near Detector
 - Uses near detector data to constrain model parameters (flux, detector, cross section)





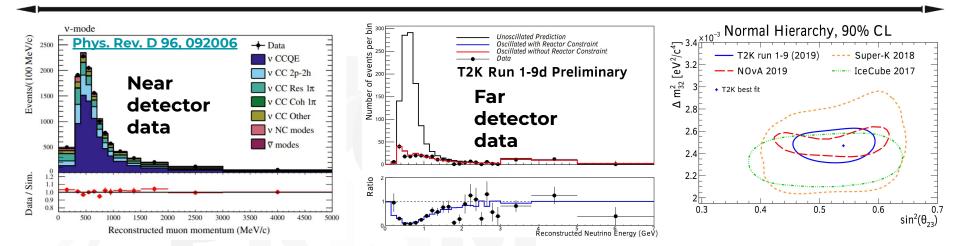
An Oscillation Analysis



- Wiggle model parameters at the Near Detector
 - Uses near detector data to constrain model parameters (flux, detector, cross section)
- Trust model + uncertainties to predict far detector data for a given oscillation hypothesis.





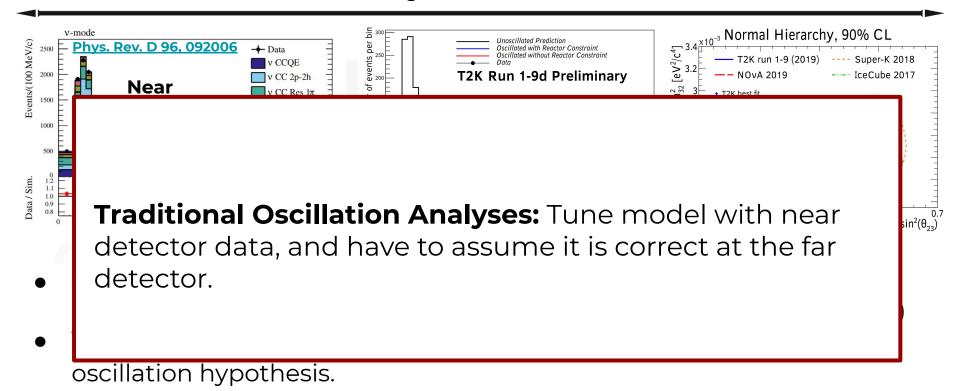


- Wiggle model parameters at the Near Detector
 - Uses near detector data to constrain model parameters (flux, detector, cross section)
- Trust model + uncertainties to predict far detector data for a given oscillation hypothesis.
- Infer oscillation parameters from observed data





An Oscillation Analysis



Infer oscillation parameters from observed data





- What if the model isn't correct? We can end up:
 - → Attributing data/MC discrepancy to the wrong energy range at the near detector

Model-driven Extrapolation

- What if the model isn't correct? We can end up:
 - → Attributing data/MC discrepancy to the wrong energy range at the near detector
 - ⇒ Predicting an incorrect observed far detector spectrum

Model-driven Extrapolation

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 - ⇒ Exacting biased oscillation parameters.

Model-driven Extrapolation

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 - → Attributing data/MC discrepancy to the wrong energy range at the near detector
 - ⇒ Predicting an incorrect observed far detector spectrum
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Phys. Rev. D 91, 072010

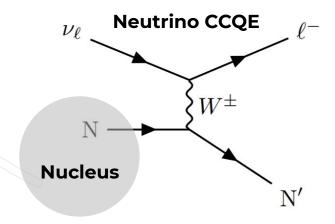
As well as biases

in Δm^2 , fits to the varied $E_{\rm b}$ simulated data sets also showed biases in $\sin^2 \theta_{23}$ comparable to the total systematic uncertainty.

Example: My Work on T2K



Uncertain 'missing energy' for interactions with bound nucleons.



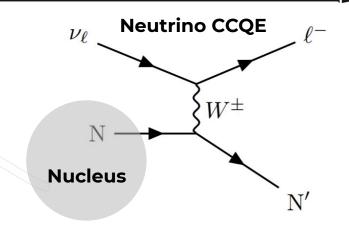




Example: My Work on TZK



- Uncertain 'missing energy' for interactions with bound nucleons.
- More missing energy → less visible muon energy for the same true neutrino energy.



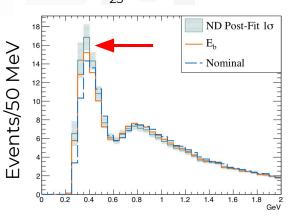


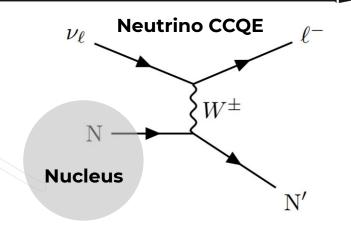


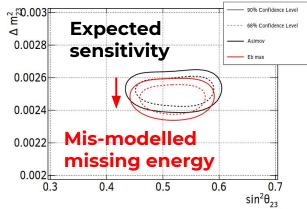
Example: My Work on JZK



- Uncertain 'missing energy' for interactions with bound nucleons.
- More missing energy → less visible muon energy for the same true neutrino energy.
- Incorrect prediction at far detector induces significant biases in Δm_{2z}^2

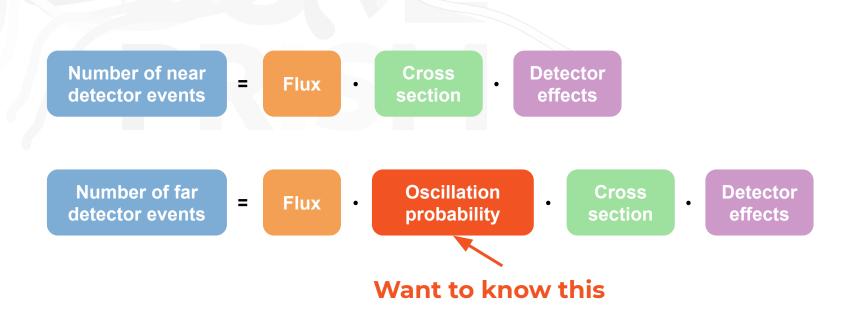








Why can we not just look at near/far ratio?



Oscillations at the Far Detector

- Why can we not just look at near/far ratio?
 - Because it isn't quite that simple...

$$N_{
m near}\left(E_{
m obs}\right) = \int dE_{
u} \Phi_{
m near}\left(E_{
u}\right) \cdot \sigma\left(E_{
u}\right) \cdot \mathbf{D}_{
m near}$$

$$N_{
m far}\left(E_{
m obs}
ight) = \int dE_{
u} \Phi_{
m far}\left(E_{
u}
ight) \cdot P_{osc}\left(E_{
u}
ight) \cdot \sigma\left(E_{
u}
ight) \cdot \mathbf{D}_{
m far}$$

Want to know this

- Why can we not just look at near/far ratio?
 - Because it isn't quite that simple...
 - Convolution of detector effects with flux · cross section
 - Cannot directly compare near and far observables to extract oscillations

$$N_{
m near}\left(E_{
m obs}
ight) = \int dE_{
u} \; \Phi_{
m near}\left(E_{
u}
ight) \cdot \sigma\left(E_{
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ight) \cdot \sigma\left(E_{
u}
ight) \cdot \mathbf{D}_{
m far}$

Want to know this

Oscillations at the Far Detector

- Why c

What if we could make near detector measurements, o Cal in an oscillated flux?

$$N_{
m near}\left(E_{
m obs}\right) = \int dE_{
u} \, \Phi_{
m near}\left(E_{
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Want to know this



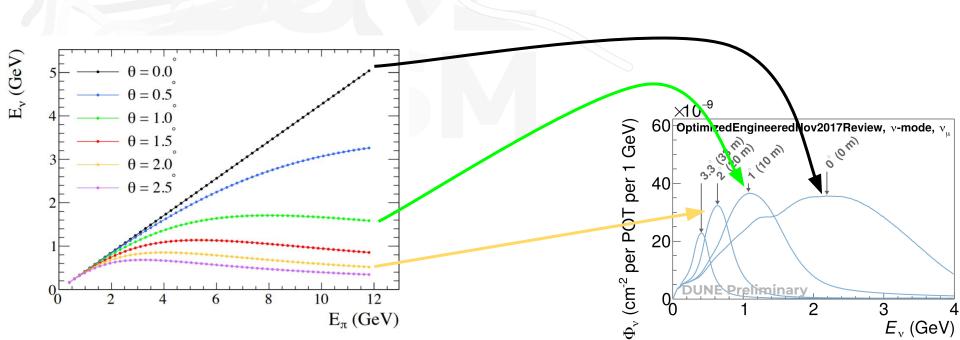
Precision Reaction-Independent Spectrum Measurement





DUNE Off Axis

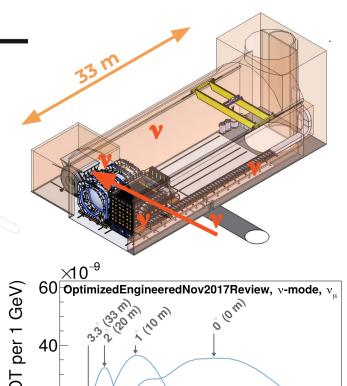
 Sample different fluxes at different off axis angles.



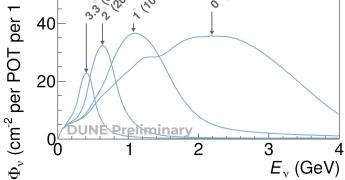
Off Axis at the Near Detector

 Sample different fluxes at different off axis positions.

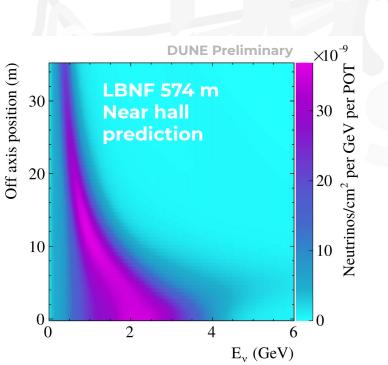
PRISM

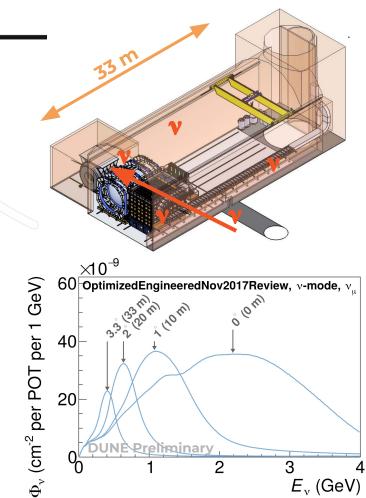




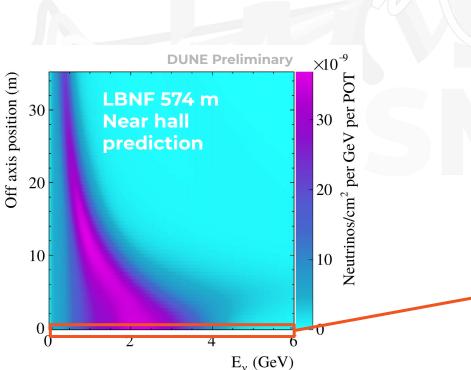


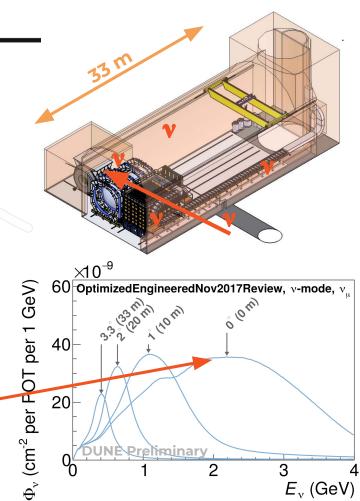
Off Axis at the Near Detector



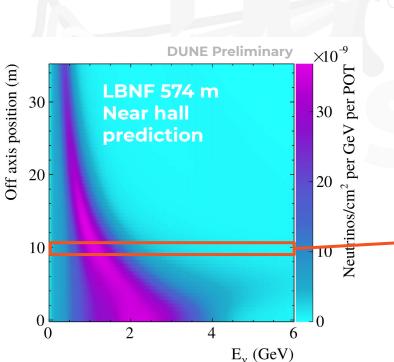


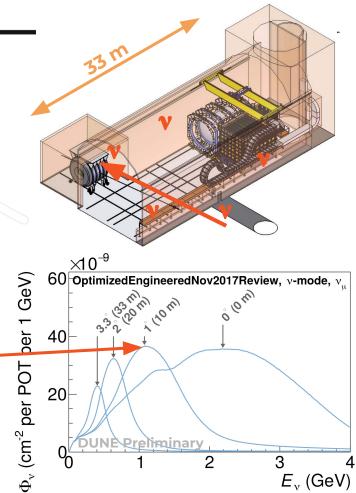
L. Pickering

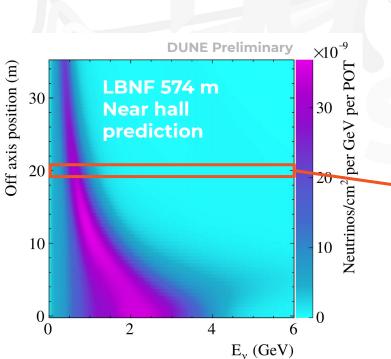


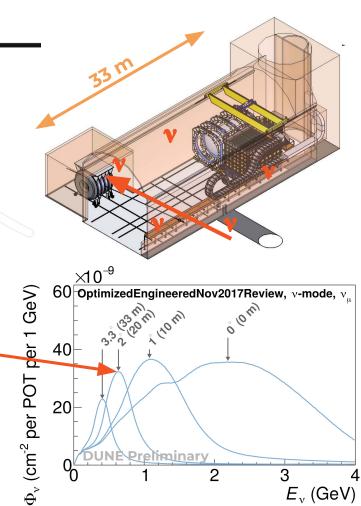


L. Pickering







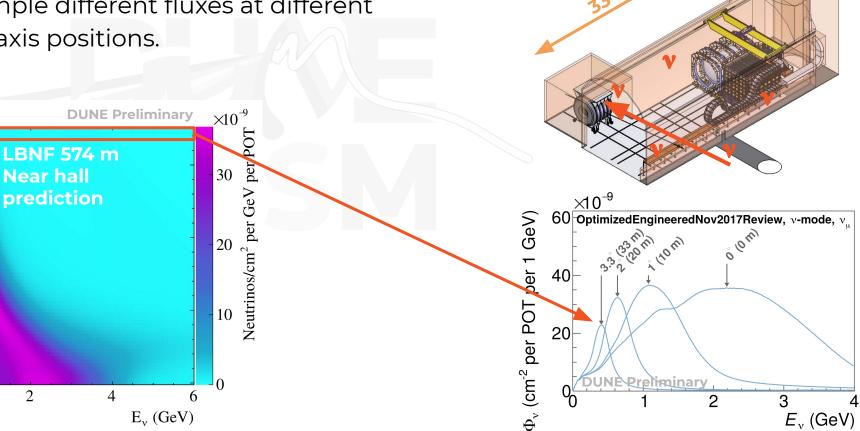


L. Pickering

Sample different fluxes at different off axis positions.

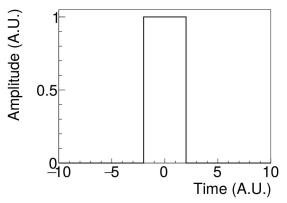
Off axis position (m)

10



Discrete Fourier Transforms

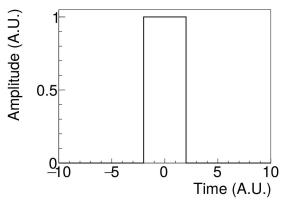
 Approximate function as a linear sum of sines and cosines

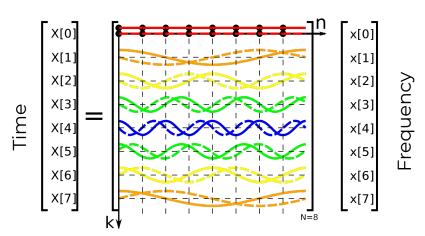




Discrete Fourier Transforms

Approximate function as a linear sum of sines and cosines



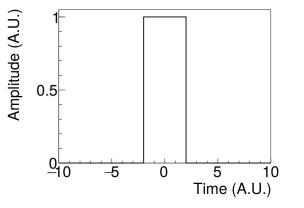


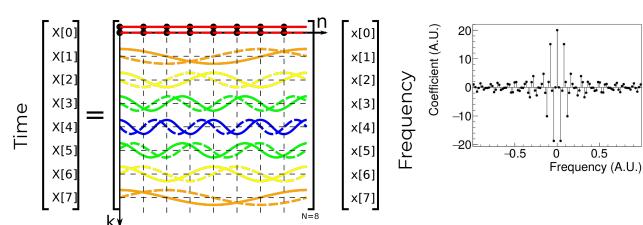
By Original by en:User:Glogger, vectorization by User:SidShakal. -Hand-traced in Inkscape, based on Image:Fourierop_rows_only.png., CC BY-SA 3.0, https://commons.wikimedia.org/w/index.php?curid=3570075



Discrete Fourier Transforms

 Approximate function as a linear sum of sines and cosines

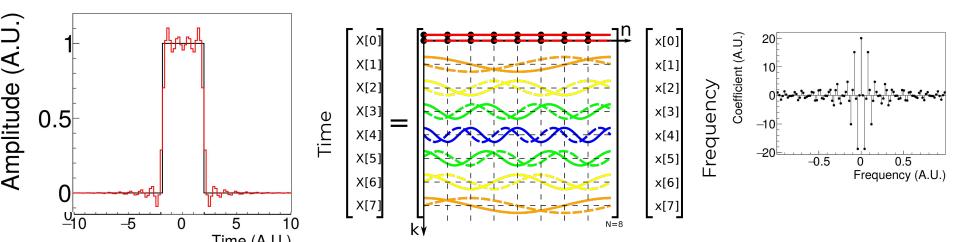




By Original by en:User:Glogger, vectorization by User:SidShakal. - Hand-traced in Inkscape, based on Image:Fourierop_rows_only.png., CC BY-SA 3.0, https://commons.wikimedia.org/w/index.php?curid=3570075



 Approximate function as a linear sum of sines and cosines

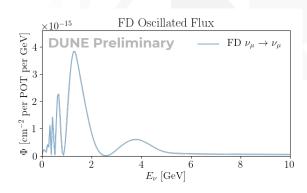


Time (A.U.) By Original by en:User:Glogger, vectorization by User:SidShakal. - Hand-traced in Inkscape, based on Image:Fourierop_rows_only.png., CC BY-SA 3.0, https://commons.wikimedia.org/w/index.php?curid=3570075



Matching the Far Detector Flux

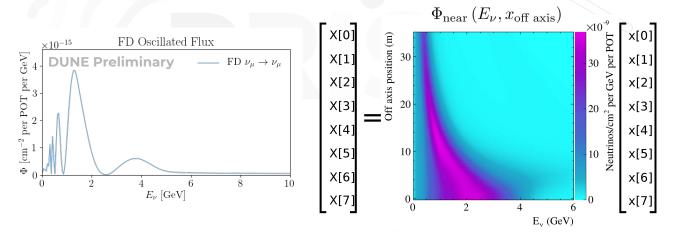
Would like to approximate an oscillated far detector flux at the near detector





Matching the Far Detector Flux

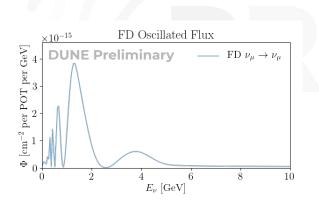
 Would like to approximate an oscillated far detector flux at the near detector: Try a linear sum of off axis near detector fluxes!

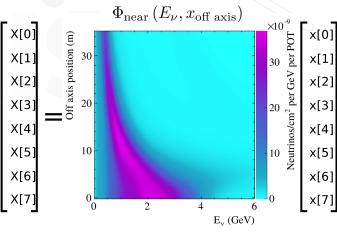


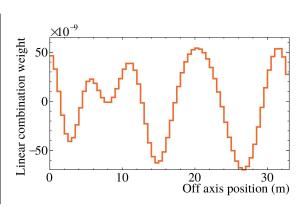


Matching the Far Detector Flux

- Would like to approximate an oscillated far detector flux at the near detector: Try a linear sum of off axis near detector fluxes!
 - Determine a linear combination of near detector off axis fluxes that reproduces the oscillated far detector flux.

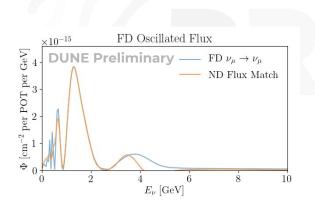


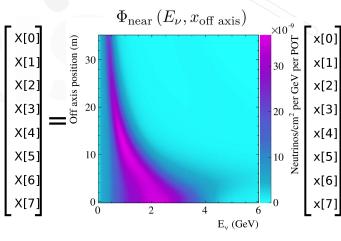


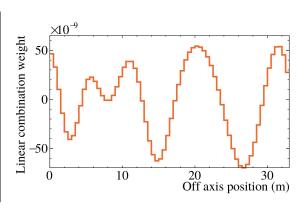




- Use the 2D flux prediction at the near detector to approximate an oscillated far detector flux
 - Determine a linear combination of near detector off axis fluxes that reproduces the oscillated far detector flux.









• Use the PRISM method to build: $\Phi_{\text{near}}\left(E_{\nu}, x_{\text{off axis}}\right) \times \vec{c} = \Phi_{\text{far}}\left(E_{\nu}\right) P_{osc}\left(E_{\nu}\right)$

$$N_{
m near}\left(E_{
m obs}
ight) = \int dE_{
u} \, \Phi_{
m F
u} \, {}^{
m for}\left(E_{
u}
ight) \cdot \sigma\left(E_{
u}
ight) \cdot {}^{
m D}_{
m near}$$
 $N_{
m far}\left(E_{
m obs}
ight) = \int dE_{
u} \, \Phi_{
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u}
ight) \cdot P_{osc}\left(E_{
u}
ight) \cdot \sigma\left(E_{
u}
ight) \cdot {}^{
m D}_{
m far}$

How does that help?

- Use the PRISM method to build: $\Phi_{\text{near}}\left(E_{\nu}, x_{\text{off axis}}\right) \times \vec{c} = \Phi_{\text{far}}\left(E_{\nu}\right) P_{osc}\left(E_{\nu}\right)$
- Cross sections are not position dependent

$$N_{
m near}\left(E_{
m obs}
ight) = \int dE_{
u} \, \Phi_{F
u} \, \mathcal{F}_{
u}$$

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m far}\left(E_{
m obs}
ight) = \int dE_{
u} \, \Phi_{
m far}\left(E_{
u}
ight) \cdot P_{osc}\left(E_{
u}
ight) \cdot \sigma\left(E_{
u}
ight) \cdot \mathbf{D}_{
m far}$$



How does that help?

- Use the PRISM method to build: $\Phi_{\text{near}}\left(E_{\nu}, x_{\text{off axis}}\right) \times \vec{c} = \Phi_{\text{far}}\left(E_{\nu}\right) P_{osc}\left(E_{\nu}\right)$
- Cross sections are not position dependent
- When we pick the correct oscillation hypothesis:
 - Signal event rates are the same near and far!

$$N_{
m near}\left(E_{
m obs}
ight) = \int dE_{
u} \, \Phi_{
m F
u} \, \mathcal{K}_{
m off} \, \mathcal{L}_{
u} \cdot \sigma \left(E_{
u}
ight) \cdot \mathbf{D}_{
m near}$$
 $N_{
m far}\left(E_{
m obs}
ight) = \int dE_{
u} \, \Phi_{
m far}\left(E_{
u}
ight) \cdot P_{osc}\left(E_{
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u}
ight) \cdot \mathbf{D}_{
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- Use the PRISM method to build: $\Phi_{\text{near}}(E_{\nu}, x_{\text{off axis}}) \times \vec{c} = \Phi_{\text{far}}(E_{\nu}) P_{osc}(E_{\nu})$
- Cross sections are not position dependent



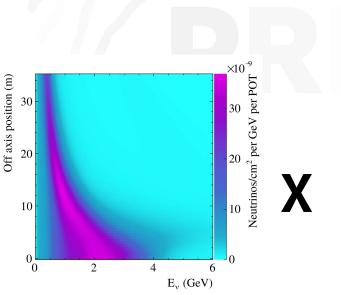
The novel DUNE-PRISM Technique: Make near detector measurements in oscillated far detector fluxes!

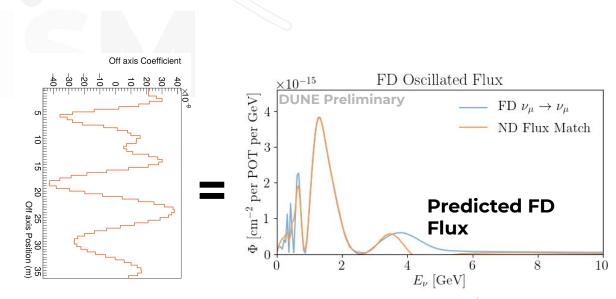
$$N_{\mathrm{far}}\left(E_{\mathrm{obs}}\right) = \int dE_{
u} \Phi_{\mathrm{far}}\left(E_{
u}\right) \cdot P_{osc}\left(E_{
u}\right) \cdot \sigma\left(E_{
u}\right) \cdot \mathbf{D}_{\mathrm{far}}$$



Building a far detector prediction

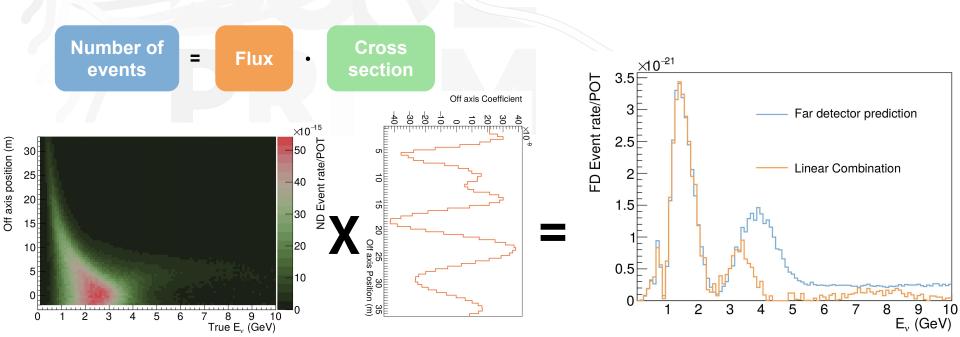
Have so far been matching fluxes





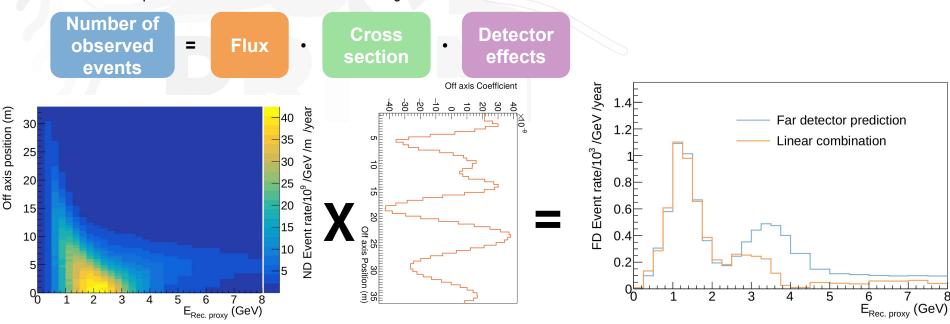
Building a far detector prediction

- Have so far been matching fluxes:
 - o PRISM flux matching only depends on the off axis position of an interaction
 - o Can use the same linear combination coefficients for event rate.

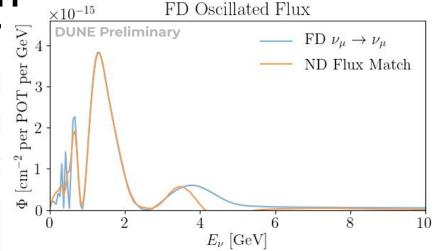


Building a far detector prediction

- Have so far been matching fluxes:
 - o PRISM flux matching only depends on the off axis position of an interaction
 - o Can use the same linear combination coefficients for event rate.
 - Can predict the event rate in any near detector observable



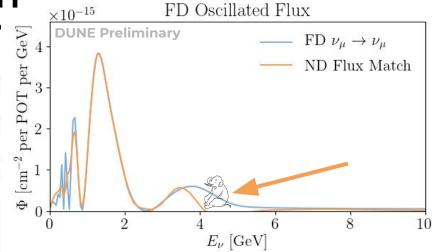
Elephant in the room







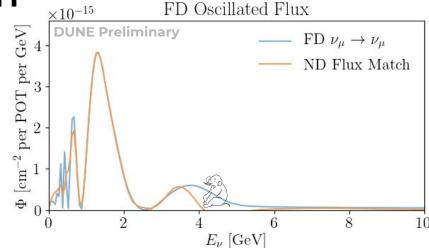
Elephant in the room







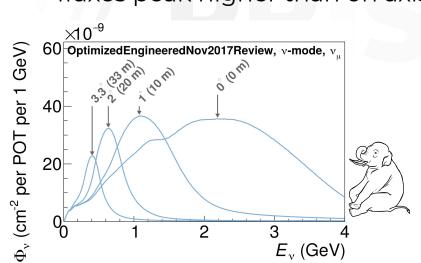
- Have to correct for this mismatch by using far detector simulation:
 - Want to minimize model assumptions wherever possible...

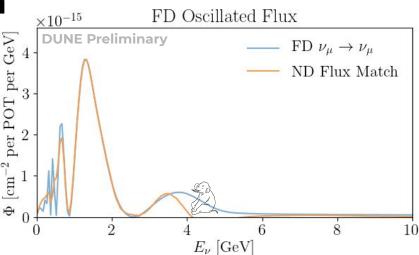




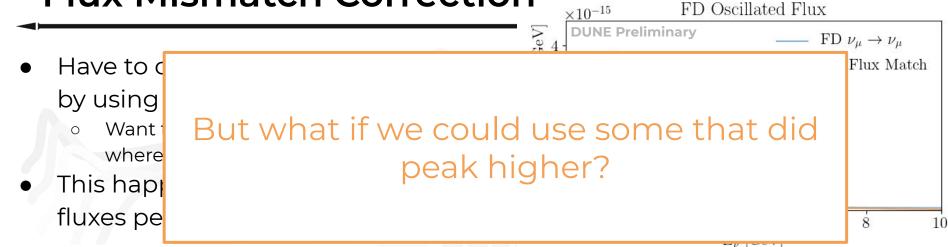


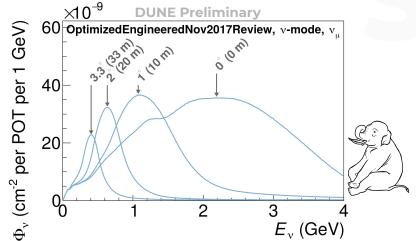
- Have to correct for this mismatch by using far detector simulation:
 - Want to minimize model assumptions wherever possible...
- This happens because no off axis fluxes peak higher than on axis



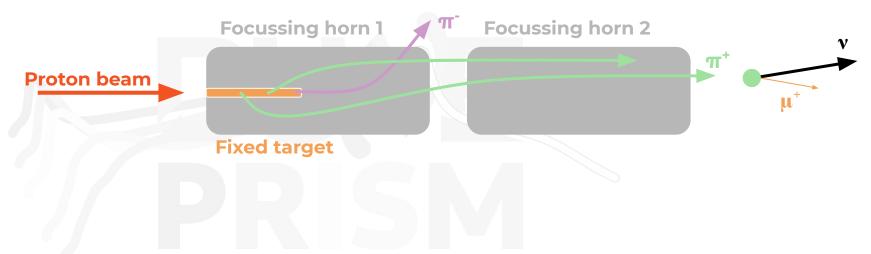








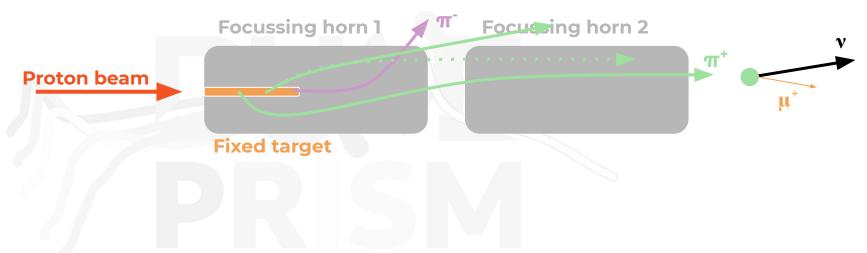




 If we vary the current in the magnetic horns, we change their momentum acceptance



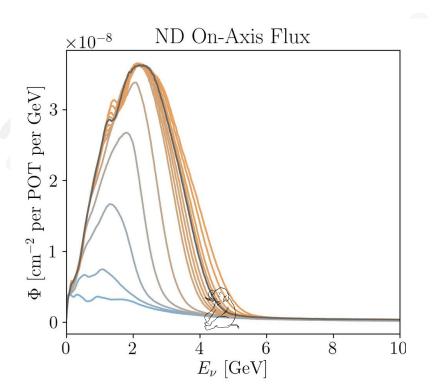


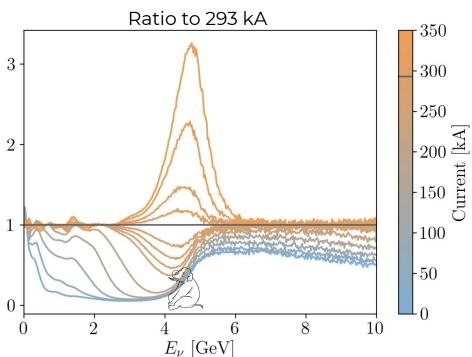


- If we vary the current in the magnetic horns, we change their momentum acceptance:
 - o For a lower current, some higher energy pions might not be well focussed...





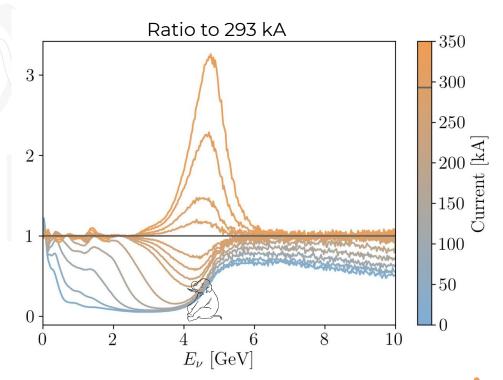








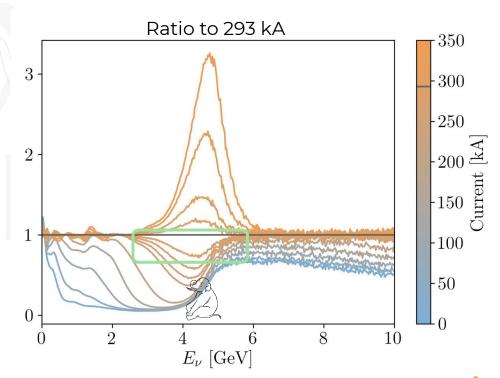
- Small variations are better:
 - Less change in far detector exposure
- Lower currents are better:
 - Current horn and power supply designed with 293 kA as the operating current.







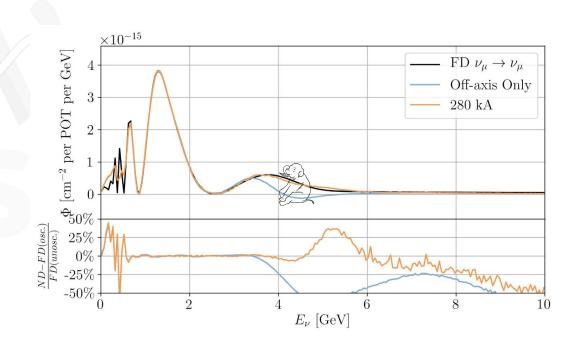
- Small variation are better:
 - Less change in far detector exposure
- Lower currents are better:
 - Current horn and power supply designed with 293 kA as the operating current.
- 280 kA looks useful







- Including an on-axis run at 280 kA drastically improves the flux matching!
 - Much less far detector model correction required.







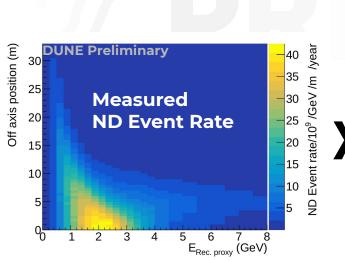
PRISMing it all together...

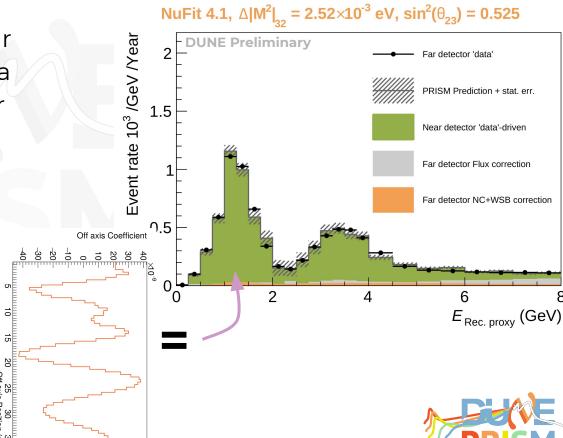




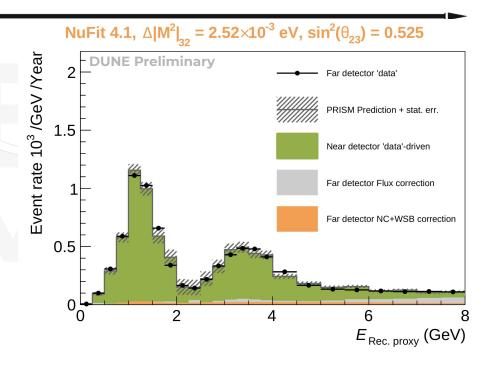
The PRISM prediction

 Now we can predict the far detector event rate using a linear combination of near detector observables!





- As the majority of the prediction is rearranged near detector data:
 - PRISM transfers near detector
 'constraint' even if the near
 detector sample is mis-modelled.

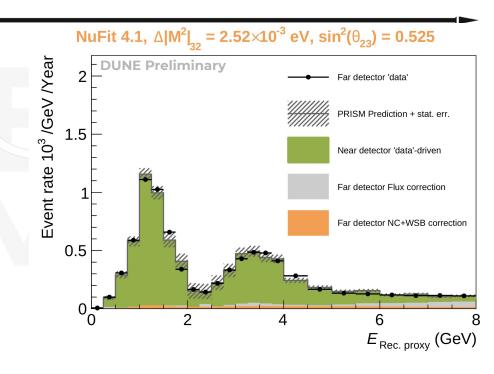






The PRISM prediction

- As the majority of the prediction is rearranged near detector data:
 - PRISM transfers near detector
 'constraint' even if the near
 detector sample is mis-modelled.
- In a traditional analysis, the whole spectrum would be 'correction'.



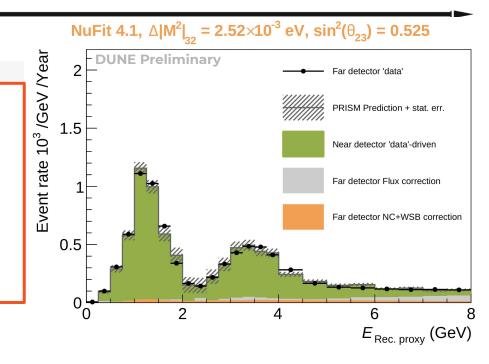




The PRISM prediction

As the majority of the

PRISM Oscillation Analysis: Rearranges near detector data to predict far detector observables with minimal dependence on interaction models.







A Test Case





• What if the model is wrong but it was missed?



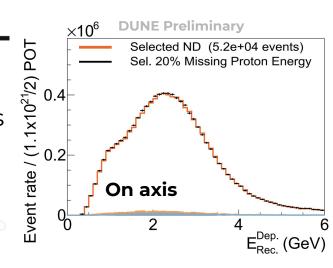


- What if the model is wrong but it was missed?
- Can imagine a world where the model predicts the near detector data well, but E^v_{True}⇒E^v_{Obs} is wrong.





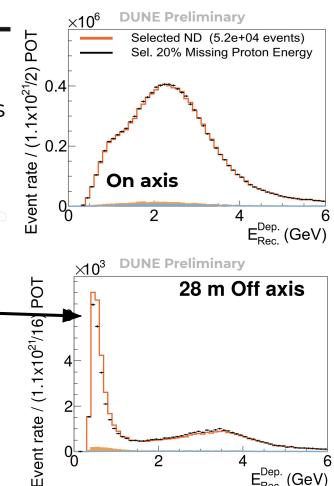
- What if the model is wrong but it was missed?
- Can imagine a world where the model predicts the near detector data well, but E^v_{True}⇒E^v_{Obs} is wrong.
- Case Study:
 - Move 20% of proton KE to neutrons but on-axis ND fit still works well





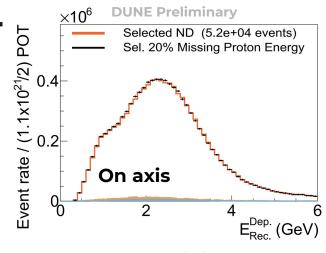


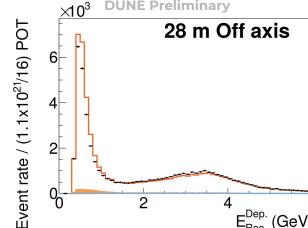
- What if the model is wrong but it was missed?
- Can imagine a world where the model predicts the near detector data well, but $E^{\nu}_{True} \Rightarrow E^{\nu}_{Obs}$ is wrong.
- Case Study:
 - Move 20% of proton KE to neutrons but on-axis ND fit still works well
 - Clearly visible off axis





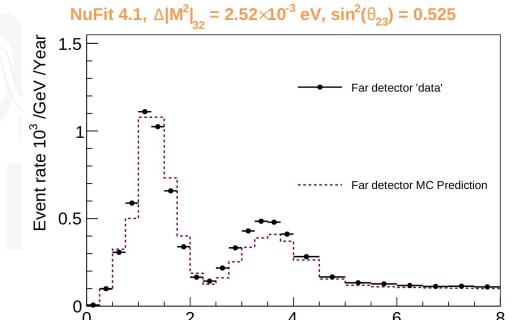
- What if the model is wrong but it was missed?
- Can imagine a world where the model predicts the near detector data well, but E^v_{True}⇒E^v_{Obs} is wrong.
- Case Study:
 - Move 20% of proton KE to neutrons but on-axis ND fit still works well
 - Clearly visible off axis
 - But not obvious how to handle it in a traditional analysis...







- If we had trusted the on axis near detector constraint:
 - We would make a poor prediction of the data, even with the correct oscillation hypothesis.

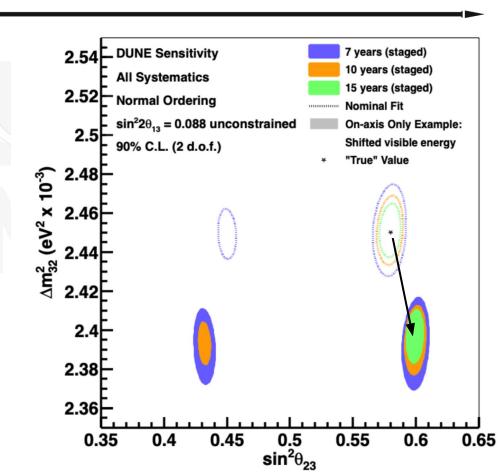






Mock Data Spectrum

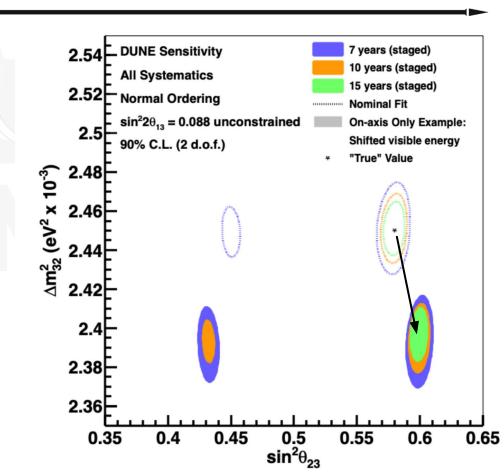
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Mock Data Spectrum

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- What about if we ask PRISM?

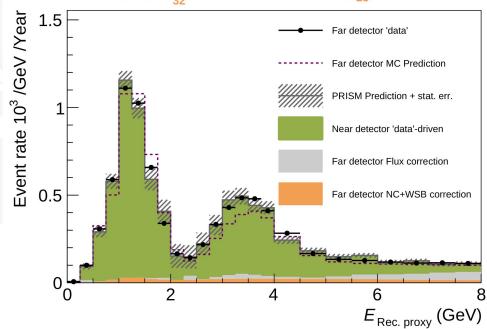




PRISM Prediction

- If we had trusted the on axis near detector constraint:
 - We would make a poor prediction of the data, even with the correct oscillation hypothesis.
 - Would have extracted biased results, well outside quoted error estimates.
- What about if we ask PRISM?
 - The direct extrapolation of near detector data largely side-steps the modelling problem!



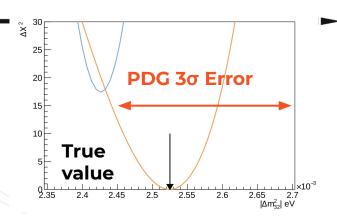






PRISM

- What might have been the best fit?
 - In this case, the traditional analysis would be badly biased.



Traditional analysis

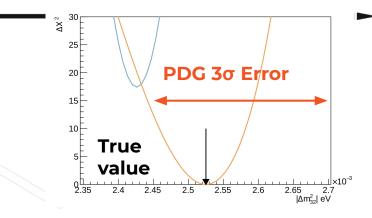


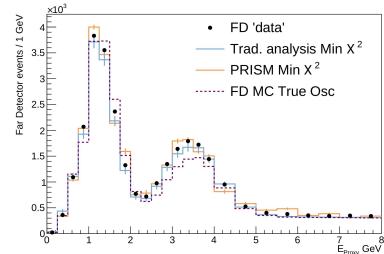


PRISM

PRISM Prediction

- What might have been the best fit?
 - In this case, the traditional analysis would be badly biased.
- Oscillation parameters were varied to make up for a mismodelling.
- For this study, PRISM showed no such bias.

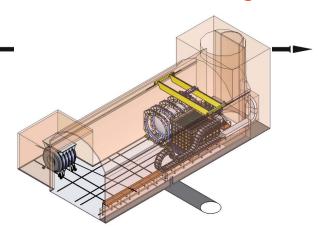




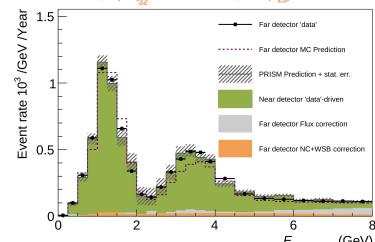


DUNE-PRISM Summary

- PRISM is now part of the DUNE reference design.
- A mobile near detector renders mis-modelling much easier to identify
- The novel PRISM analysis uses an extra degree of freedom and uses it to build a robust oscillation analysis, largely free of interaction model dependence









Thanks for listening

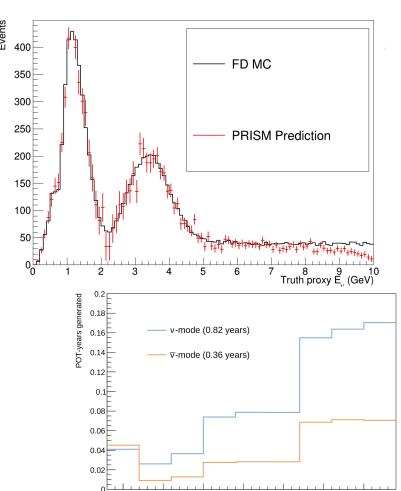




Off axis position (m

The Old Plan

- Firstly, the 'true' MC stats error:
 - I.e. what I have been showing as the 'error' on the PRISM FD prediction.
- Comes from the actual simulated MC exposure.
 - Equivalent to 0.82 years with a (now known to be) sub-optimal exposure plan.

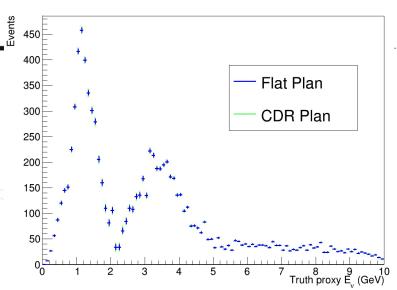


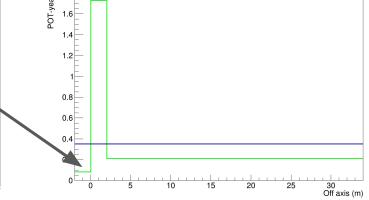


- Now, set ND errors to be sqrt(predicted rate).
- CDR run plan, with 3.5 years POT
- Very hard to see, but the CDR plan predicts slightly worse errors than a flat plan.
 - Haven't looked in to why, but now have the

tools!

		Liquid			Gas
		All int.	Selec		
Stop	Run duration	$N u_{\mu} C C$	NSel	™ Speci	ial
On axis (293 kA)	21 wks.	21.9M	10.2M	O HC ru	
On axis (280 kA)	1 wk.	1M	470,000	U.	•••
4 m off axis	18 dys.	2.3M	1.2M	0. POT	
8 m off axis	18 dys.	1.3M	670,000	0.5% 0.9%	၁၁, ພ ບ
12 m off axis	18 dys.	660,000	340,000	0.8% 0.7%	18,000
16 m off axis	18 dys.	380,000	190,000	1.1% 0.7%	10,000
20 m off axis	18 dys.	230,000	120,000	1.3% 0.7%	6,300
24 m off axis	18 dys.	160,000	76,000	1.8% 0.7%	4,200
28 m off axis	18 dys.	110,000	50,000	2.1% 0.8%	2,900
32 m off axis	18 dys.	61,000	28,000	2.4% 0.7%	1,600





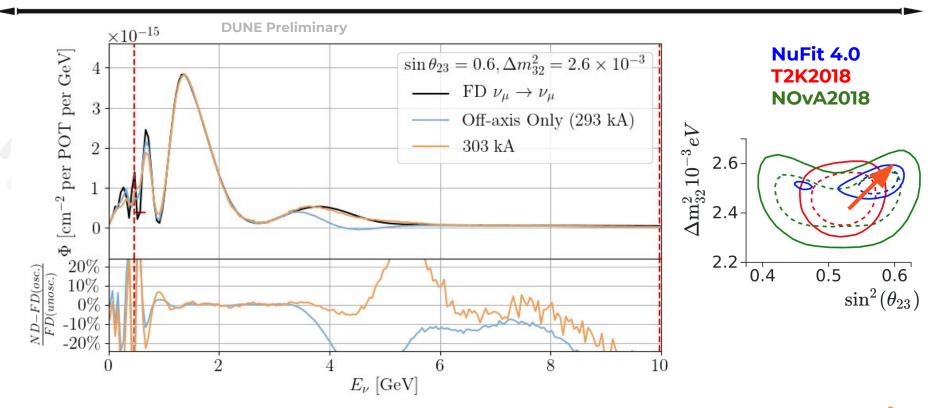


Pre-emptive Answers to Questions





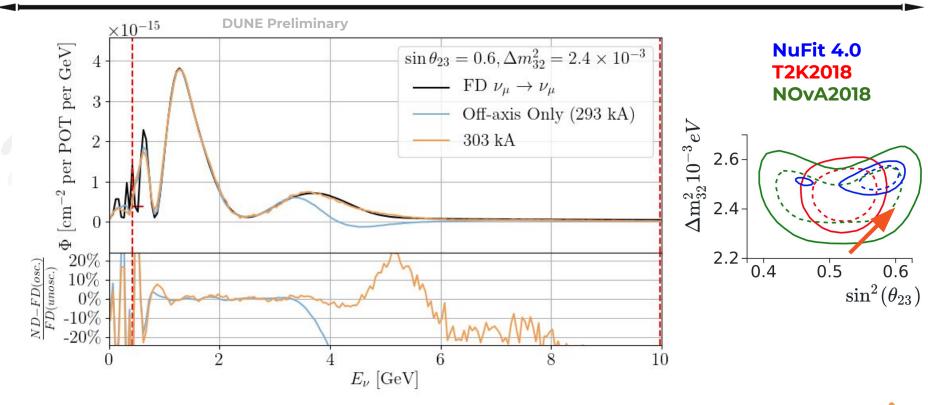
Does it work everywhere? Try it yourself!







Does it work everywhere?

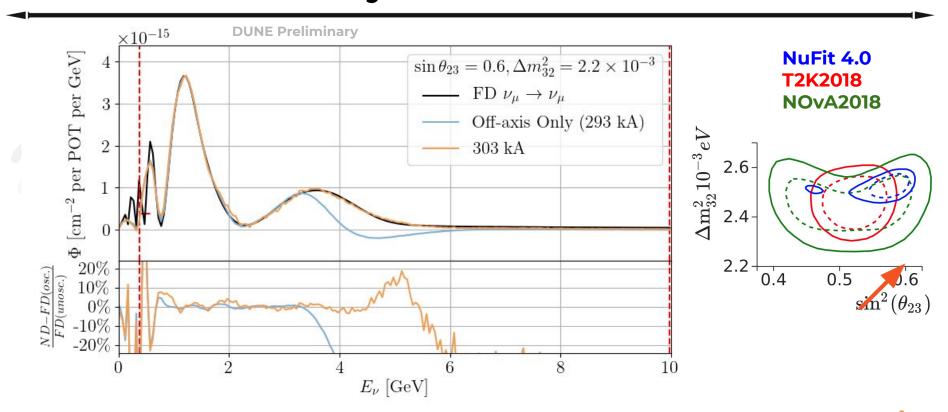






139

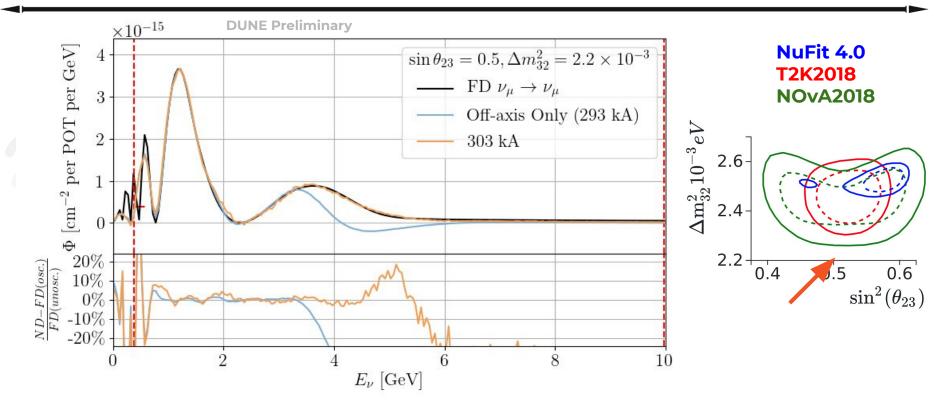
Does it work everywhere?







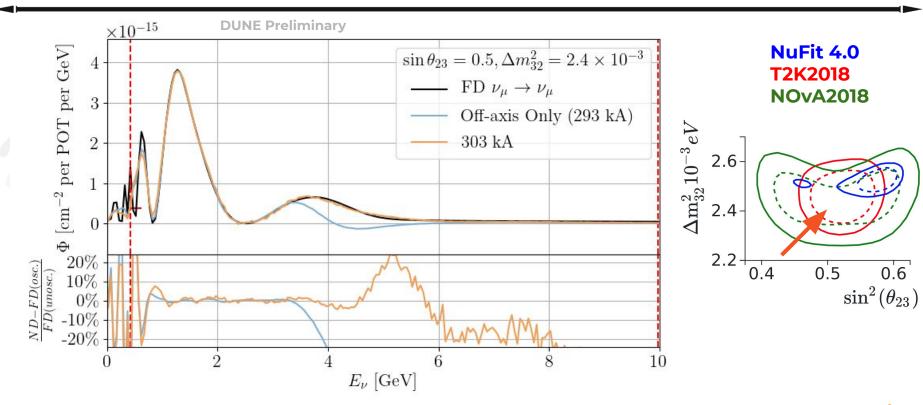
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Does it work everywhere?

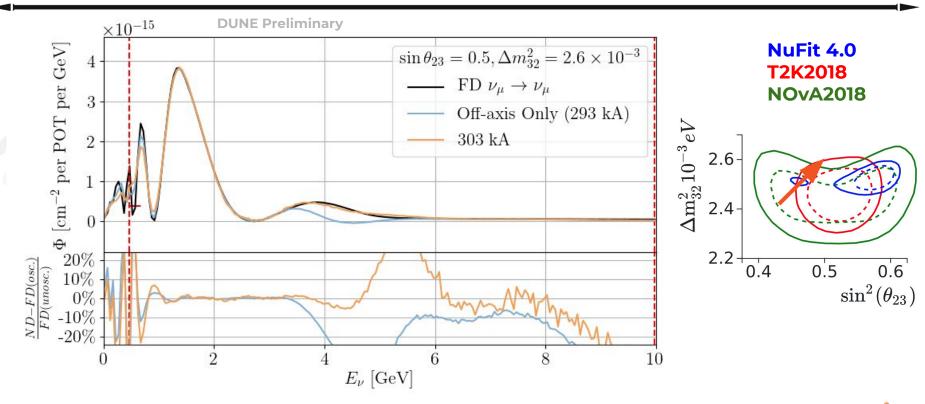






Try it yourself!

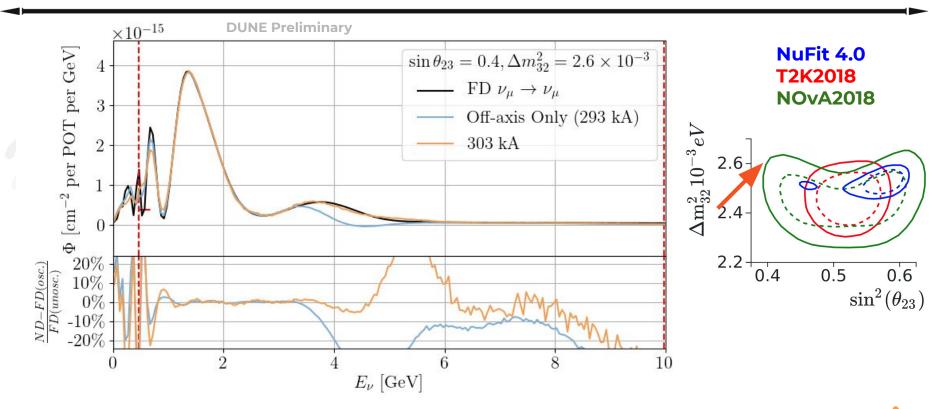
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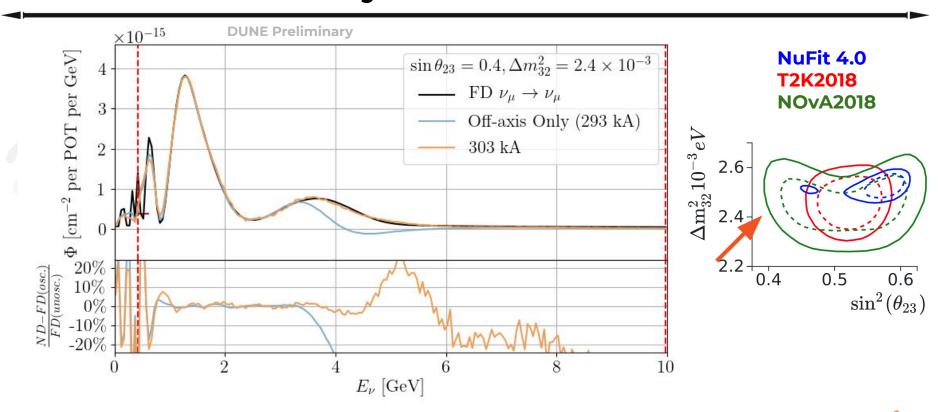
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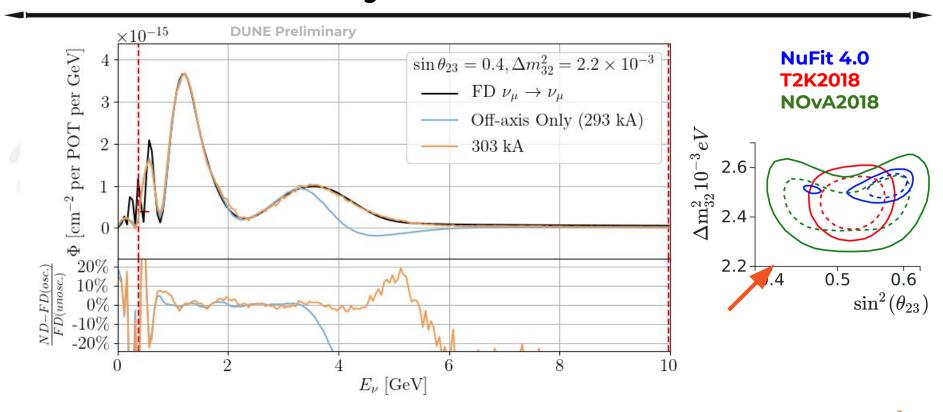
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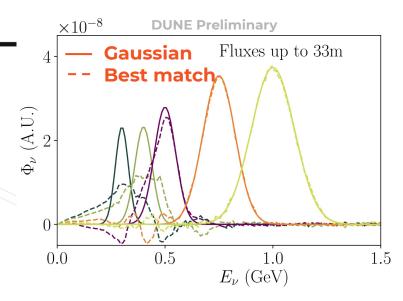




Narrow-band fluxes

 Also of interest to construct narrow band flux measurements.

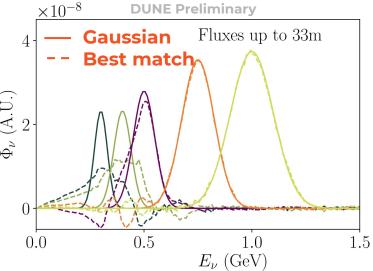
PRISM

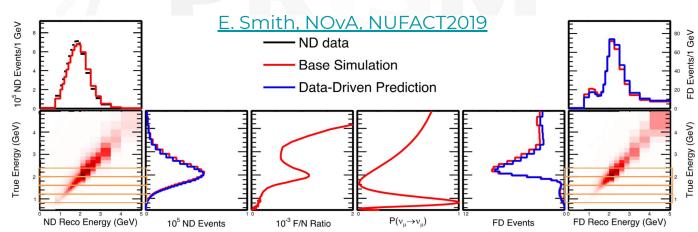






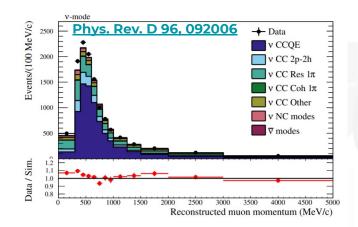
- Also of interest to construct fine band flux measurements.
 - Can be used to probe the 'true' reconstructed energy bias and inform simulation improvements









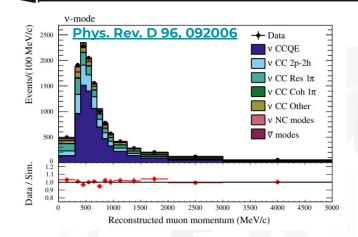


Wiggle model parameters at the ND







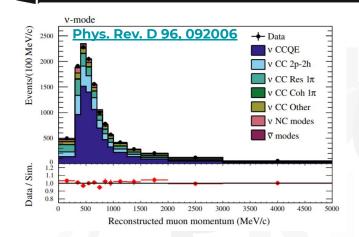


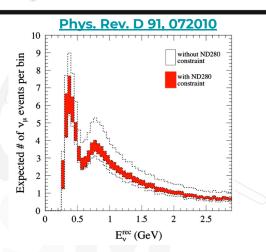
Wiggle model parameters at the ND









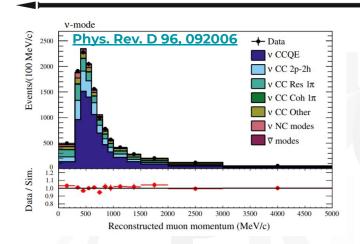


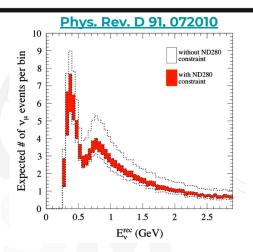
- Wiggle model parameters at the ND
- Get correlated flux/xsec uncertainties
- Make predictions at the FD







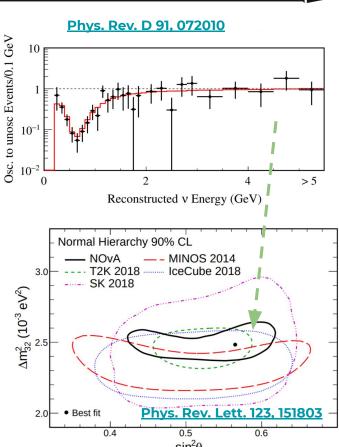




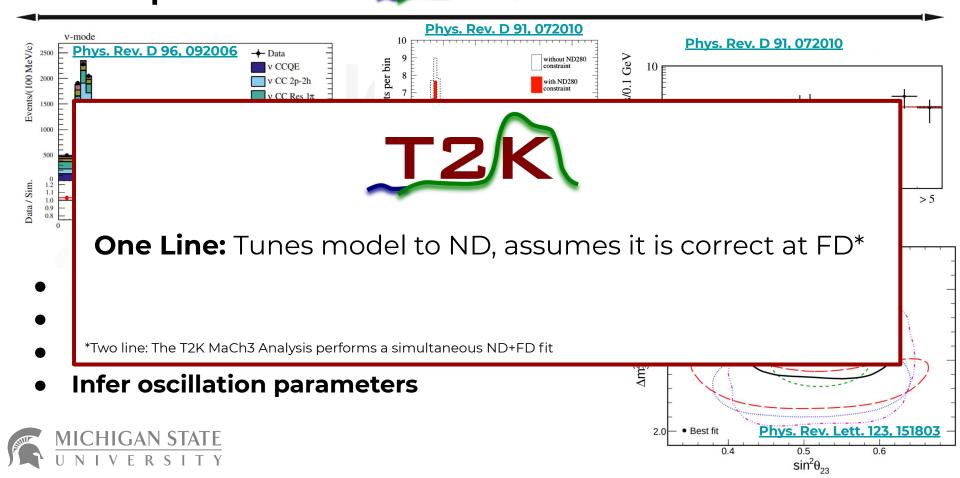


- Get correlated flux/xsec uncertainties
- Make predictions at the FD
- Infer oscillation parameters



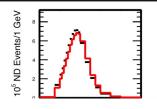








*WSB: Wrong Sign Background (nubar in nu-mode)



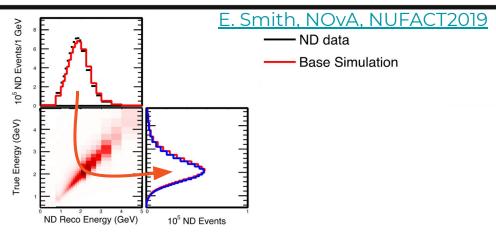
E. Smith, NOvA, NUFACT2019

— ND data

— Base Simulation

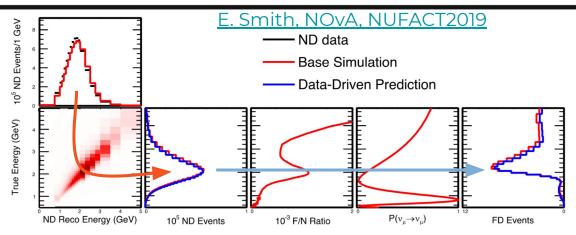
1. Measure observed event rate at the near detector





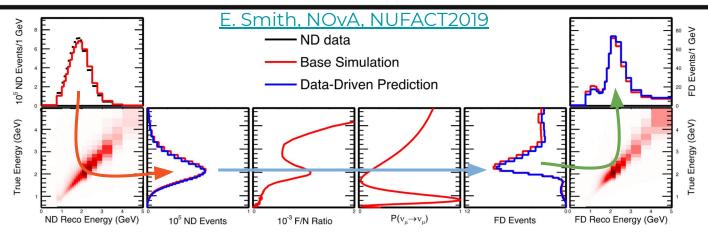
- Measure observed event rate at the near detector
- 2. Use MC to predict true event rate at the near detector





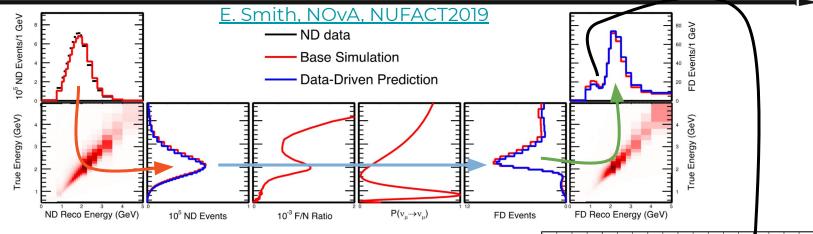
- Measure observed event rate at the near detector
- Use MC to predict true event rate at the near detector
- Oscillate and correct for ND/FD differences



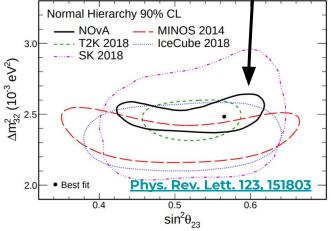


- Measure observed event rate at the near detector
- 2. Use MC to predict true event rate at the near detector
- 3. Oscillate and correct for ND/FD differences
- 4. Use MC to predict observed event rate at the far detector





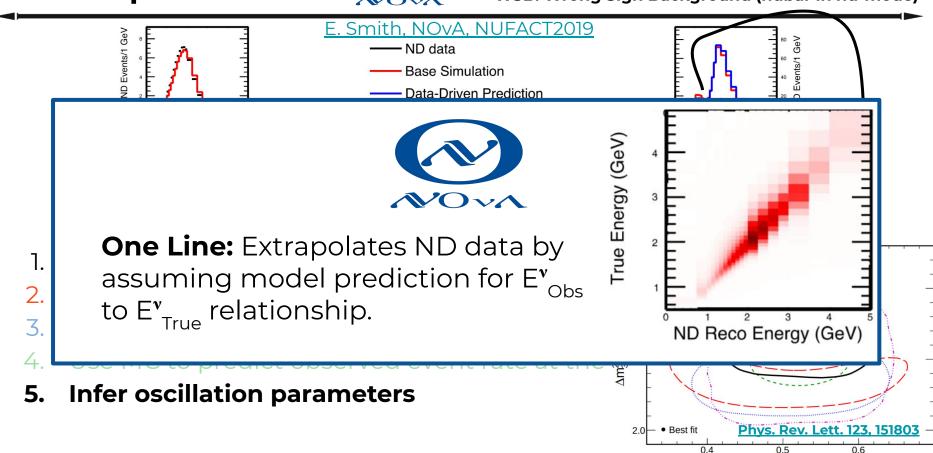
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- 5. Infer oscillation parameters



 $\sin^2\theta_{22}$

Example of OA:





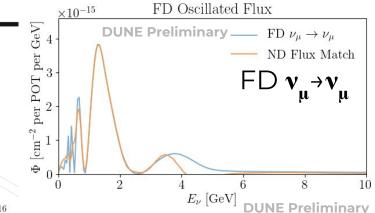
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- You've only shown one set of oscillation parameters, does it work over the whole allowed space?
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- Right, but do the flux uncertainties still cancel?

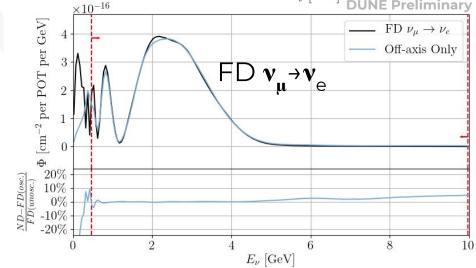




Fixing for an appearance

- For appearance, cannot match ND $v_{\perp} \Rightarrow FD v_{\perp}$
- Instead:
 - Use ND v_{μ} sample
 - \circ Build appeared FD $v_{\rm e}$ flux

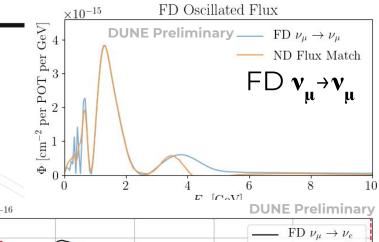


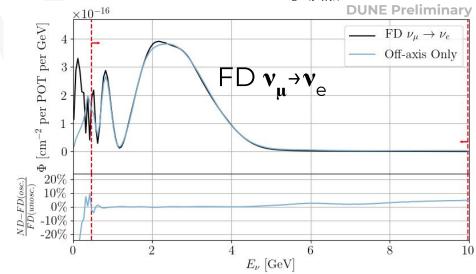




Fixing for an appearance

- For appearance, cannot match ND $v_{\perp} \Rightarrow FD v_{\perp}$
- Instead:
 - Use ND v_{μ} sample
 - o Build appeared FD v_e flux
- Have to correct for electron/muon reconstruction & cross-section differences.

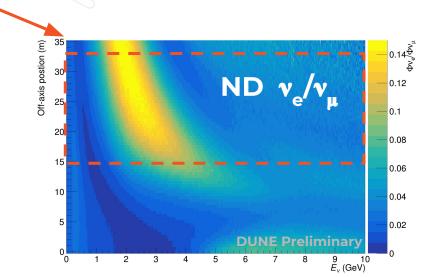






ND nue fits

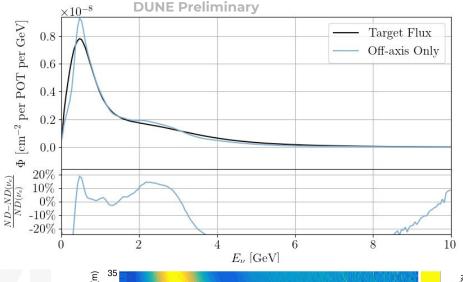
- Sample ND v_e flux while scanning off axis angle.
- v_e produced in 3-body decay: relative rate rises off axis.
 - \circ Match ND v_{μ} to ND v_{e}
- Use to check simulation of cross-section and reconstruction for \mathbf{v}_{μ} and \mathbf{v}_{e} in a similar flux

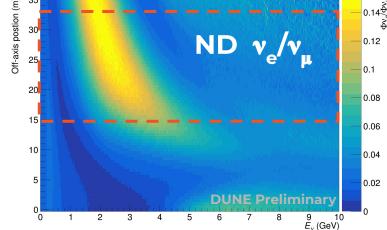




ND fits

- Sample ND v_e flux while scanning off axis angle.
- v_e produced in 3-body decay: relative rate rises off axis.
 - Match ND ν_μ to ND ν_e
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Expected Questions

- Flux fit correction seems a bit large dunnit?
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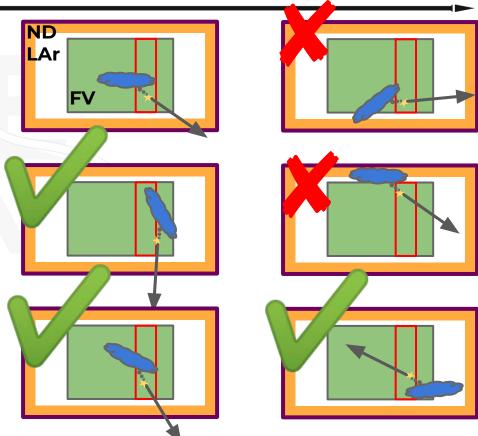
Near/Far Differences

- Must correct for differences in ND/FD selection.
- Want to avoid asking the simulation everywhere possible.

Near/Far Differences

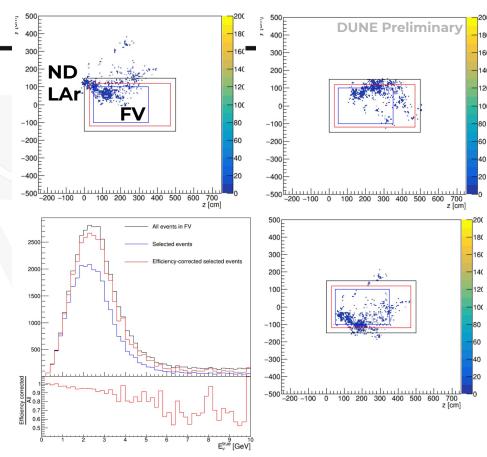
Hadronic Showers Muons

- Must correct for differences in ND/FD selection.
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- An idea: develop data-driven geometric efficiency correction
 - How often would I have selected this energy deposit under relevant symmetry transformations

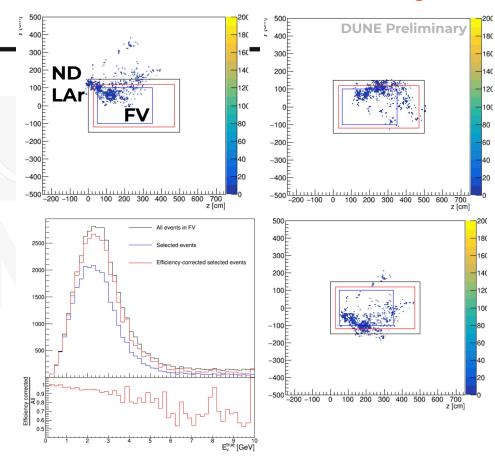


Near/Far Differences

- Must correct for differences in ND/FD selection.
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- Which events do I select at the FD and never see at the ND?



- Must correct for differences in ND/FD selection.
- Want to avoid asking the simulation everywhere possible.
- An idea: develop data-driven geometric efficiency correction
 - How often would I have selected this energy deposit under symmetry transformations
- Which events do I select at the FD and never see at the ND?
- Also have to account for resolution difference ND/FD.



Expected Questions

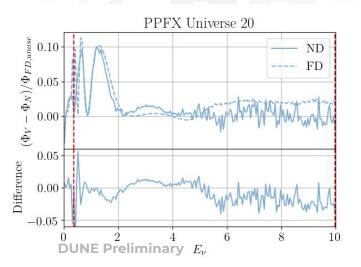
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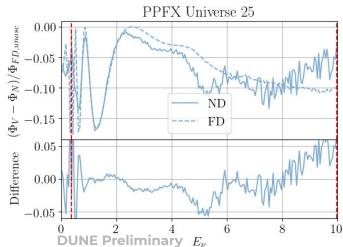




Flux Uncertainties

- Study how flux errors affect the flux matching:
 - o Determine flux match coefficients for nominal prediction
 - Apply the same coefficients to systematically varied ND/FD predictions.
- Here: hadron production uncertainties:
 - e.g. two specific systematic universes



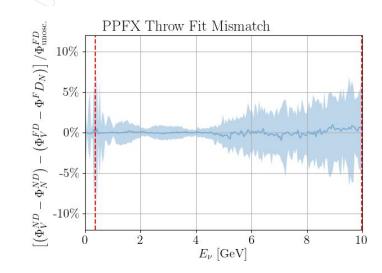




Flux Uncertainties

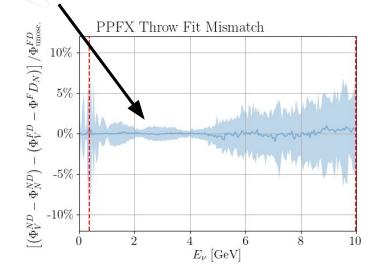
- Study how flux errors affect the flux matching:
 - Determine flux match coefficients for nominal prediction
 - Apply the same coefficients to systematically varied ND/FD predictions.
- Here: 100 universes used in the TDR analysis







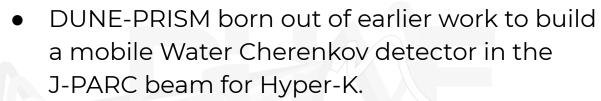
- Study how flux errors affect the flux matching:
 - Determine flux match coefficients for nominal prediction
 - Apply the same coefficients to systematically varied ND/FD predictions.
- Here: 100 universes used in the TDR analysis
 - Cancellations down to a few percent still observed!



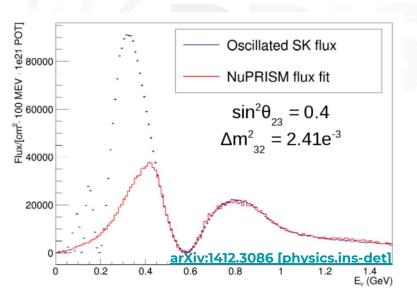


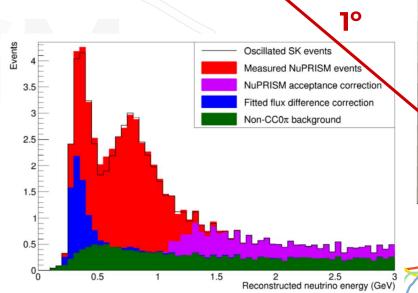
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vPRISM



• J-PARC PAC Proposal





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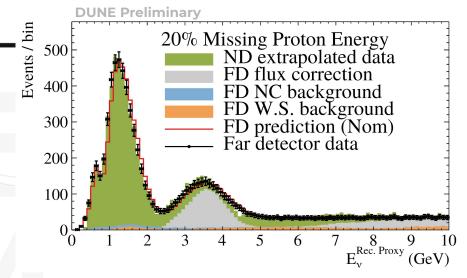
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Flux Misfit Correction

Elephant in the room

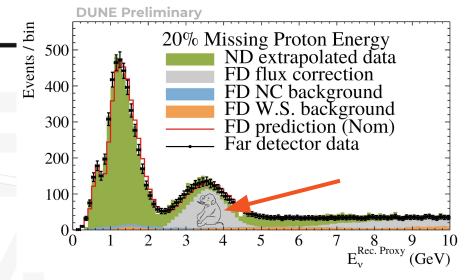






Flux Misfit Correction

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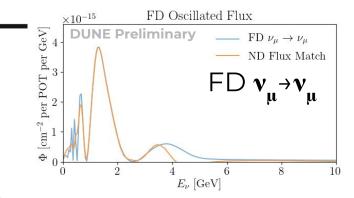


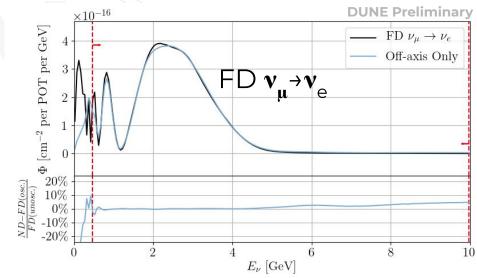
Remaining complications

- Almost there, but we still have to deal with:
 - Making event rate predictions
 - Extrapolating observable quantities
 - Imperfect FD flux matching
 - \circ Matching FD \mathbf{v}_{e} appearance spectrum
 - ND and FD backgrounds
 - ND/FD selection and reconstruction differences

Fixing for an appearance

- For appearance, cannot match ND $v_{\perp} \Rightarrow FD v_{\perp}$
- Instead:
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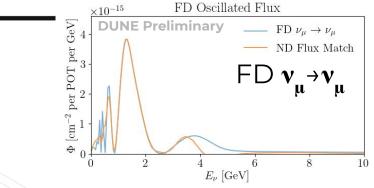


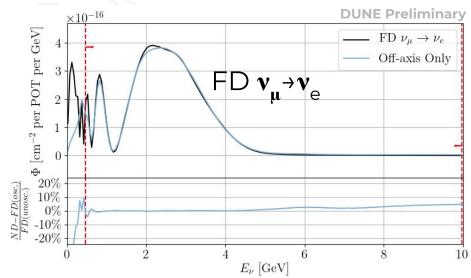




Fixing for an appearance

- For appearance, cannot match ND $v_{a} \Rightarrow FD v_{a}$
- Instead:
 - Use ND ν_μ sample
 - o Build appeared FD v_e flux
- More in a few slides...



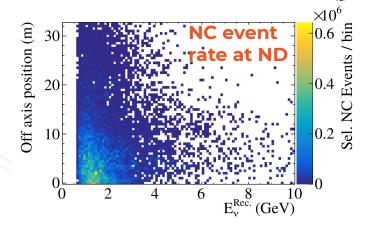


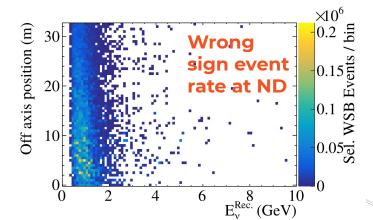


Remaining complications

- Almost there, but we still have to deal with:
 - Making event rate predictions
 - Extrapolating observable quantities
 - Imperfect FD flux matching
 - \circ Matching FD $v_{\rm e}$ appearance spectrum
 - ND and FD backgrounds
 - ND/FD selection and reconstruction differences

- So far we have just been talking about signal, and assuming ND and FD are functionally identical.
- Extra steps needed:
 - Subtract ND backgrounds
 - Add FD backgrounds
 - ND/FD efficiency differences
 - ND/FD reconstruction differences.

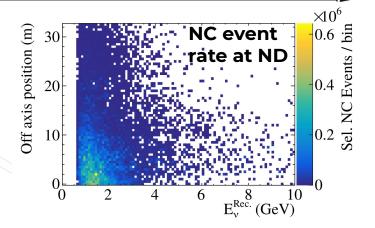


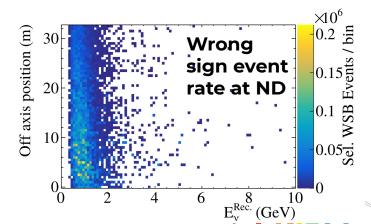




Remaining complications

- So far we have just been talking about signal, and assuming ND and FD are functionally identical.
- Extra steps needed:
 - Subtract ND backgrounds
 - Add FD backgrounds
 - ND/FD efficiency differences
 - ND/FD reconstruction differences.







Join DUNE-PRISM!

- Lots of simulation and analysis investigations still to do
- If you are:
 - Interested in the technique,
 - you can think of other ways of using off axis fluxes,
 - o or just want to ask more questions
 - Or have great ideas for a logo...
- Get in touch!



H. Tanaka



K. Mahn



L. Pickering



G. Yang



D. Douglas



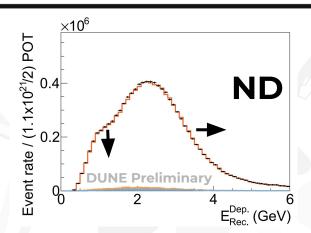
C. Vilela

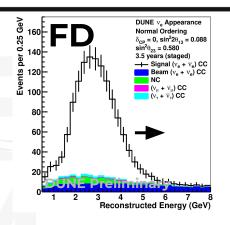


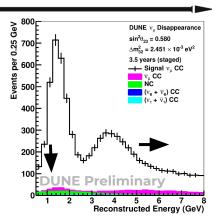
T. Lord



M. Wilking







 Wiggle systematics at ND and FD simultaneously





DUNE v, Disappearance

 $\Delta m_{22}^2 = 2.451 \times 10^{-3} \text{ eV}^2$

3.5 years (staged)

- Signal v., CC

(v_e + ⊽_e) CC

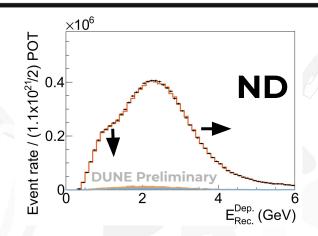
 $(v_{\tau} + \overline{v}_{\tau})$ CC

V, CC

ŃC

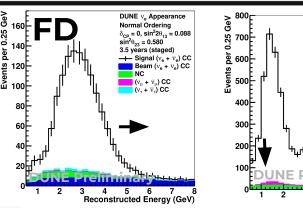
Reconstructed Energy (GeV)

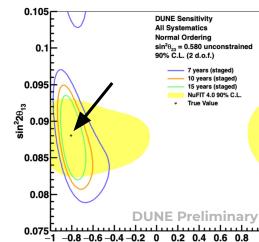
 $\sin^2\theta_{23} = 0.580$



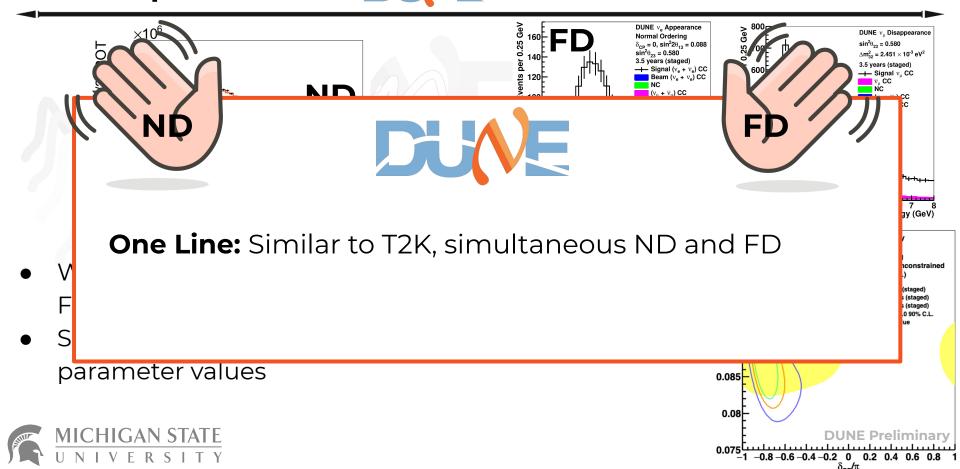
- Wiggle systematics at ND and FD simultaneously
- Search for best fit oscillation parameter values



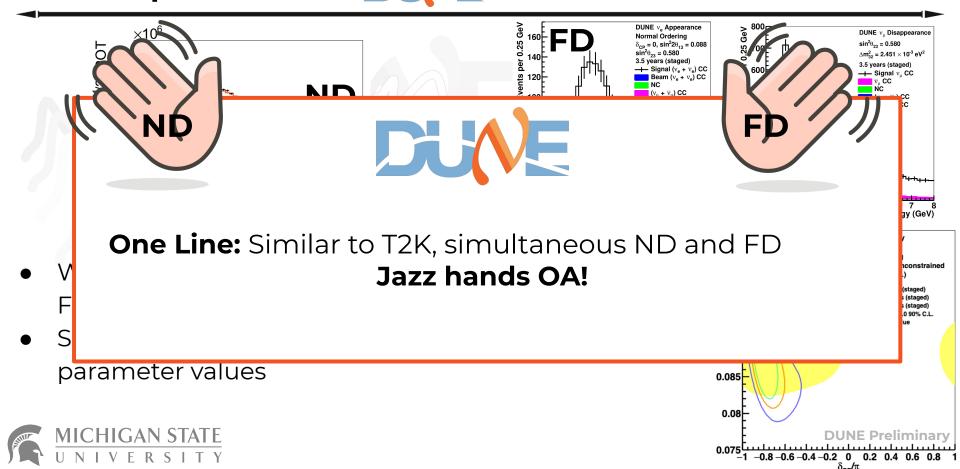


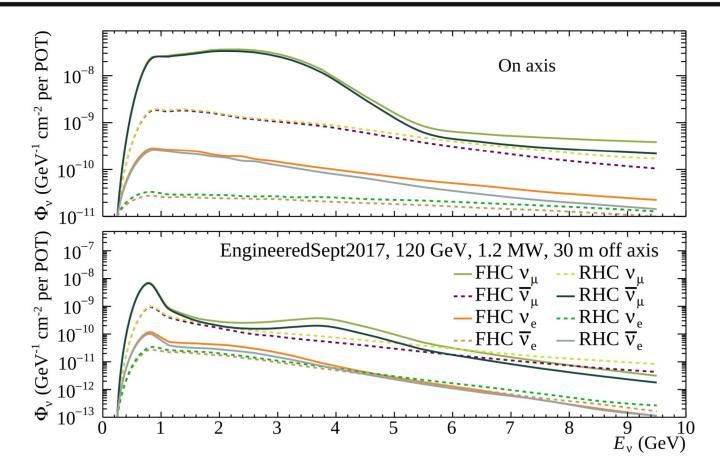


Examples of OA: DIVETDR

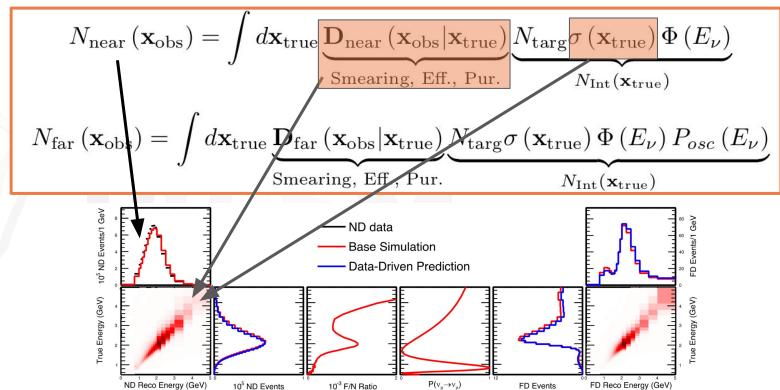


Examples of OA: DIVETDR





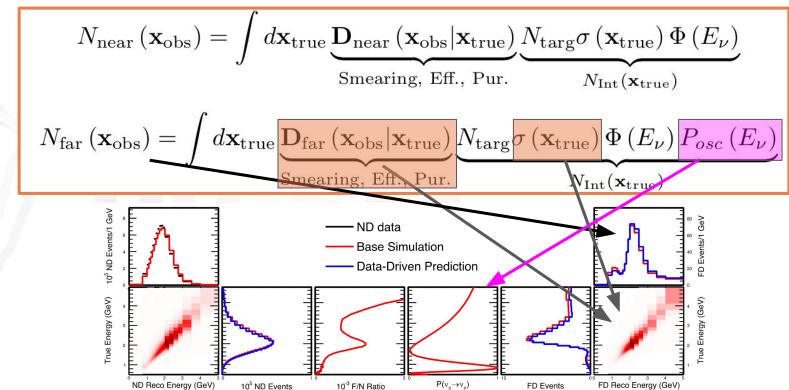
Concrete Example: NOvA







Concrete Example: NOvA

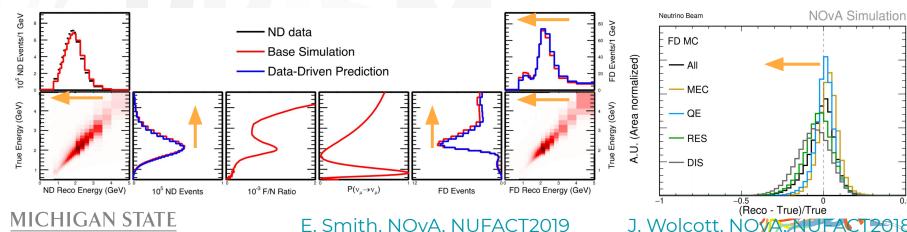






Concrete Example: NOvA

- If the models predicting **Observable → True** mappings are wrong then it is likely that inferred oscillation parameter constraints will also be wrong.
- ... So we need them to be right!





E. Smith, NOvA, NUFACT2019

Hand Picked Fake Data

INTRODUCTION

C. Vilela: DUNE Jan 2019

- Want to generate a fake data set that biases oscillation parameters but is not constrained by an on-axis near detector fit.
 - Developed in the context of DUNE-PRISM studies.

$$E_{\nu}^{cal} = E_{\ell} + \sum_{i=1}^{n} (E_{p'_{i}} - M) + \sum_{j=1}^{m} E_{h'_{j}}$$

Sum over knock-out nucleons:

- Neutrons!
- How many?
- How is energy shared?

Sum over mesons:

- If undetected, ~m_{meson} bias!
- How many?
- How is energy shared?

- Procedure:
 - Shift 20% of the energy carried by protons in CC interactions to neutrons.
 - This will change $E^{\nu}_{true} \to E^{\nu}_{rec}$ as neutrons are largely unseen.
 - Find a reweighting scheme that recovers the unshifted **distributions** of observables at an on-axis near detector.





Multivariate ReWeighting

C. Vilela: DUNE Jan 2019

- Reweighting/Fake data technique that is being used more on T2K and DUNE (originated in Collider land).
- Get BDT to give you event weights that make your nominal MC look like something else in many distributions at once (but get the correlations

MULTIVARIATE REWEIGHTING

- Train a BDT to classify ND CC events as either nominal or shifted based on the following six variables:
 - Lepton energy, energy deposits due to protons, π^{\pm} s and π^{0} .

•
$$E_{rec}^{\nu}$$
 and y_{rec} (= $1 - \frac{E_{rec}^{lep}}{E_{rec}^{\nu}}$).

- Oscillation analysis uses these variables.
- Output of the BDT gives, for each event:

•
$$p_{shifted}(E^{\nu}_{rec}, y_{rec}, E^{lep}_{rec}, E^{p}_{dep}, E^{\pi^{\pm}}_{dep}, E^{\pi^{0}}_{dep}) \sim \frac{N_{shifted}}{N_{nominal} + N_{shifted}}$$

• Applying weight $w = \frac{1}{p_{shifted}} - 1$ to shifted events results in a distribution that looks just like the **nominal**.

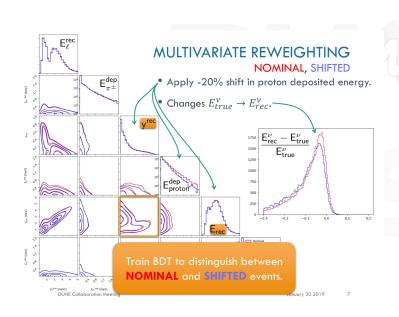
Based on A. Rogozhnikov, J.Phys.Conf.Ser. 762 (2016) no.1, 012036 [arXiv:1608.05806]

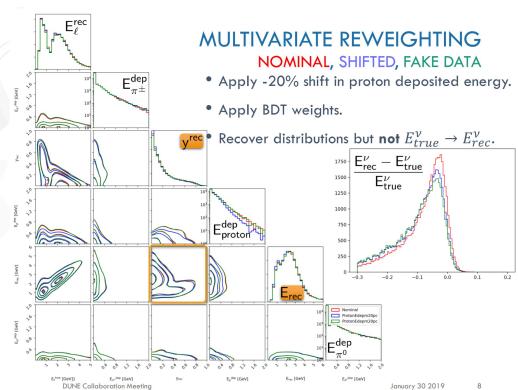




Missing Proton Fake Data

C. Vilela: DUNE Jan 2019



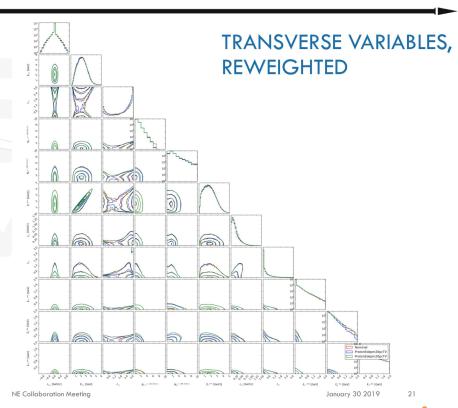






MO4R OBSERVABLES!

- There are limits to this technique, but they're much further off than multi-dimensional histogram reweighting.
- It's still reweighting, cannot change total phase space.
- Doesn't always produce a consistent model, for medium sized sets, weights can be noisey.

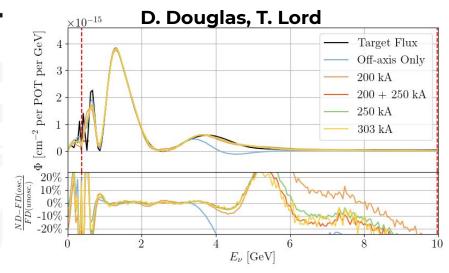






Special Horn Current Runs

- Can make flux predictions under different beam conditions:
 - o e.g. Varied horn currents
- Seems to really change the game in terms of reducing the need for FD MC!
- Only need an on-axis sample: minimal disruption of FD data taking.







Model-driven Extrapolation

- If model isn't correct:
 - → Attribute data/MC discrepancy to the wrong energy range at the ND
 - ⇒ Predict wrong FD spectrum



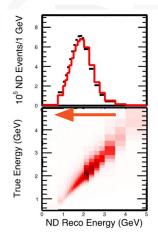
Phys. Rev. D 91, 072010

As well as biases

in Δm^2 , fits to the varied $E_{\rm b}$ simulated data sets also showed biases in $\sin^2 \theta_{23}$ comparable to the total systematic uncertainty.

Model-driven Extrapolation

- If model isn't correct:
 - \circ \Rightarrow Attribute data/MC discrepancy to the wrong energy range at the ND
 - ⇒ Predict wrong FD spectrum
- Errors in:
 - Reconstructed energy

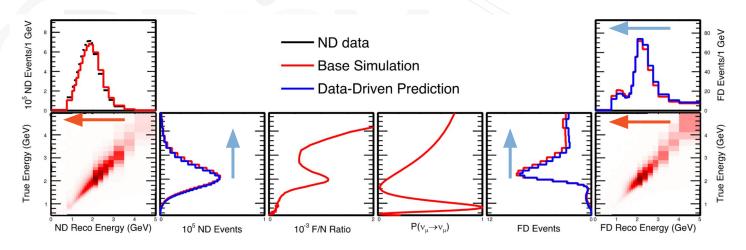


ND dataBase Simulation

E. Smith, NOvA, NUFACT2019

Model-driven Extrapolation

- If model isn't correct:
 - ⇒ Attribute data/MC discrepancy to the wrong energy range at the ND
 - ⇒ Predict wrong FD spectrum
- Errors in:
 - Reconstructed energy ⇒ misplaced oscillation features in energy



E. Smith, NOvA, NUFACT2019