# **Transmission of data**

#### •Real systems are often distributed

data **source** is remote from signal processing

*instruments in hazardous or very remote environments,eg satellites, HEP, nuclear reactors,..,* 

but

also applies to much shorter distances - like nearby labs or instruments in the same room

so need to transfer data from source to receiver

and usually send messages (eg.control signals) back

•need to understand

practical ways of doing this

issues: power, speed, noise,... other physical constraint

•methods - a mixture

electrical, but increasing use of optical fibres,

radio for satellites and space, mobile telephones,...

1

# **Electrical transmission lines**

•Line with characteristic inductance and capacitance per unit length

An important assumption **R negligible** 

•Voltage and current satisfy 2nd order differential equation

$$d^2V/dx^2 = - {}^2L_0C_0V = -k^2V$$
 ie  $k = (L_0C_0)^{1/2}$ 

•Solution

$$V = Ae^{jkx} + Be^{-jkx}$$

Inject signal ~  $e^{j t}$  V =  $Ae^{j(kx+t)} + Be^{-j(kx-t)}$  two opposite direction waves

•Speed  $v = /k = 1/(L_0C_0)^{1/2}$ 

•Impedance  $Z_0 = (L_0/C_0)^{1/2}$ 

NB real, ie resistive, but defined by L and C

# **Cables**

•Any wire has inductance, capacitance and resistance

so when is it a transmission line?

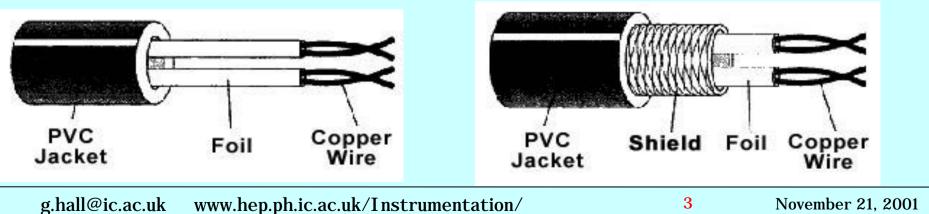
•Twisted pair

simple pair of wires, mainly intended for differential signals

Can also be unshielded...

or shielded

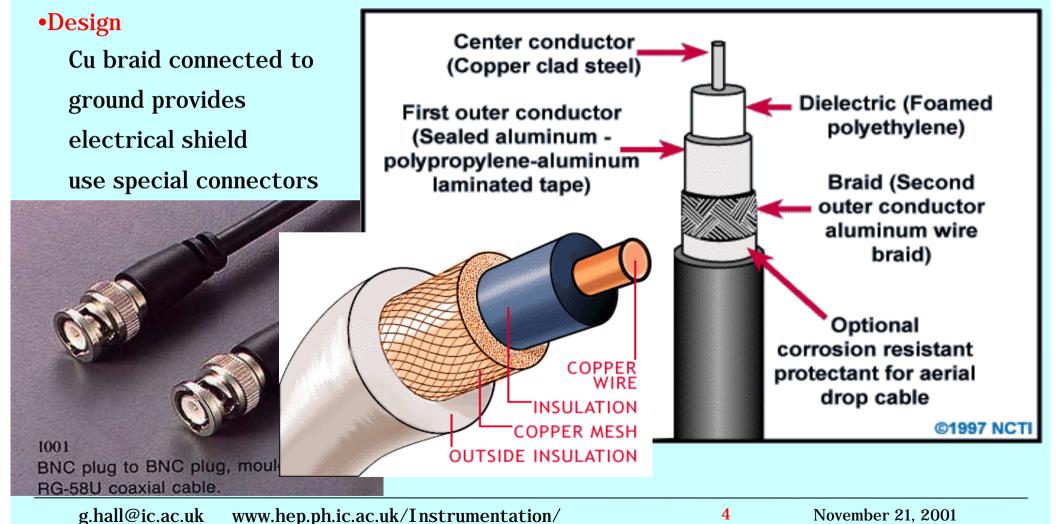
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# **Coaxial cable**

central copper core radius  $r_{\rm 1}$ , with plastic dielectric, braided metal shield in cylindrical geometry radius  $r_{\rm 2}$ 

 $C_0 = 2 /\ln(r_2/r_1)$   $L_0 = (\mu_0/2) . \ln(r_2/r_1)$  see lecture 1 notes

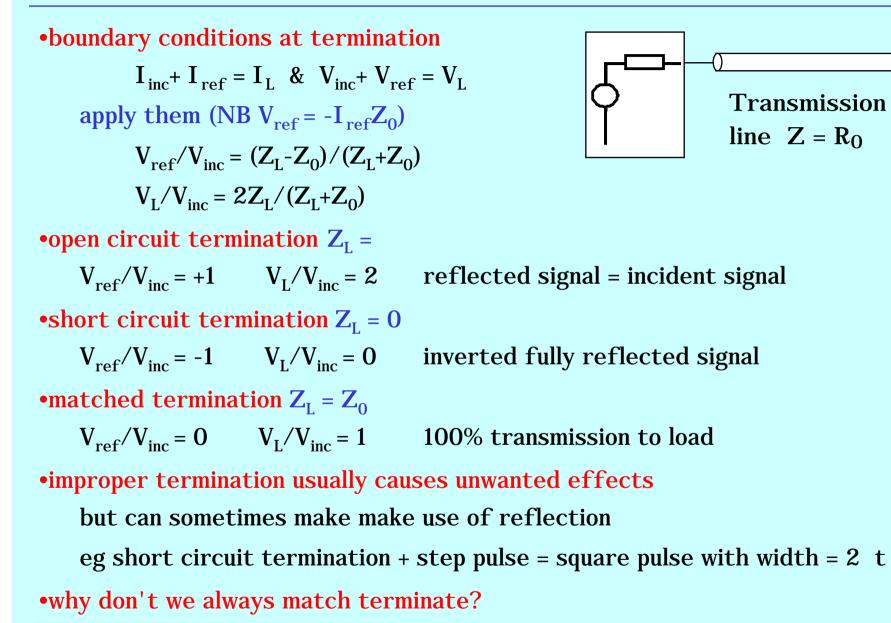


# **Coaxial cable properties**

from G. Knoll	see also	http://www.colemancable.com/fstechnical.htm				
	<b>RG- 58</b>	<b>RG-178</b>	<b>RG-8</b>	<b>RG-11</b>	<b>RG- 62</b>	
typical dielectric	Polyethylene	Teflon	Polyethylene	Gas injected	Foamed	
				polyethylene	Fluorinated	
					Ethylene	
					Propylene	
outer diameter	5.0	1.8	10.3	10.3	6.1	mm
v/c	0.659	0.694	0.659	0.659	0.840	
$Z_0$	50	50	52	75	93	Ω
C <sub>0</sub>	100.1	95.1	96.8	67.3	44.3	pF/m
calculated data						
L <sub>0</sub>	0.25	0.24	0.26	0.38	0.38	µH∕m
dielectric constant	2.30	2.08	2.30	2.30	1.42	
inner diameter	1.4	0.5	2.8	1.5	1.0	mm
C <sub>0</sub>	101.2	96.1	97.3	67.5	42.7	pF/m
$\mathbf{R}_{core}$ [ $\rho_{Cu}=17.2n\Omega.m$ ]	2.8	18.7	0.7	2.3	5.9	$\mathbf{m}\Omega / \mathbf{m}$
RC (1m)	0.28	1.78	0.07	0.15	0.26	ps
RC (100m)	2.8	17.8	0.7	1.5	2.6	ns

•TV antenna cables typically have 75  $\,$  , although look similar to these •Twin lead portable TV cables Z ~ 300

# **Termination and Matching**



g.hall@ic.ac.uk www.hep.ph.ic.ac.uk/Instrumentation/

# To match or not? (i)

•Impedance matching is a general question, not only for transmission lines

•Match if

to transfer maximum power to load (source must be capable)

eg audio speakers

#### minimise reflections from load

very important in audio, fast (high frequency) systems, to avoid ringing or multiple pulses (eg in counting systems)

#### fast pulses

pulse properties can contain important information

usually don't want to change

sometimes we wish to do this with "too fast" signals - "spoiling"

### •Usually match by choosing impedances, adding voltage buffers

transformer matching is another method if this is impractical

•The same physics is encountered in other areas

eg optical coatings, gel in ultrasound scans, optical grease,...

# To match or not (ii)

•Don't match if High impedance source with small current signals - typical of many sensors photodiode, or other sensors must drive high impedance load short cables are required to avoid difficulties Weak voltage source, where drawing power from source would affect result eg bridge circuits require to change properties of fast pulse eg pulse widening for ease of detection electronics with limited drive capabilities eg logic circuits, many are designed to drive other logic, not long lines CMOS circuits, even with follower, are an example

•If you get this wrong, often end up with new time constants in the system or prevent system from working at all, eg diode with low R load

# **Coaxial cable limits**

#### •Transmission speed and bandwidth limiting

all cables have finite resistance

#### remarkably small - see table for calculated values

for long cables, RC time constant per unit length becomes noticeable

therefore expect delay, attenuation and finite rise time in fast pulses

### •When is a cable a transmission line?

not reasonable to assume transmission line behaviour unless length of line is at least  $\sim 1/8\ wavelength$ 

#### •Other forms of transmission line

in high speed circuits, tracks must be laid out carefully using knowledge of the characteristics of the boards to control delays, rise times and signal velocities

eg parallel tracks,...

often need measurement to define parameters precisely

ultra high freqencies need waveguides or alternative

# **Optical fibres**

- •Principle: transparent dielectric with  $n_0 > n_1 =$ lightguide usually glass: high silica content, doped with fluorine or oxides Light propagates by multiple reflections - expect attenuation  $T \sim R^n$ •Cladding - as well as n<sub>1</sub> provides no mechanical strength & protection limits evanescent radiation from fibre ( $\sim e^{-r}$ ) cladding  $n_1 < n_0$ limits spread of velocities down fibre (different routes) - t/L n/c•Advantages of fibre size, weight and flexibility - typical diameter  $\sim 250 \mu m$ electrical isolation - interference immunity, can mix with electrical cable low transmission loss - as low as 0.2dB/km
  - security hard to tap into
- •Cons (more fragile), connections, need for opto-electronic conversion electronic circuits matching speed of fibres ~ multi-Gb/s

# **Modes**

•ray picture inadequate - need to consider wave equations in waveguide solutions to Maxwell's equations - cylindrical symmetry

= (r, )exp[-j(t-z)] = 2 /

eigenvalue solutions for different at given : modes

ie not all rays permitted



NA = sin =  $n_0 sin_0 = (n_0^2 - n_1^2)^{1/2}$ 

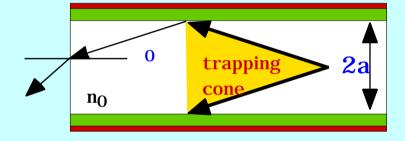
no. modes ~ core area and  $(NA)^2$ 

but find solutions where only single mode propagates

provided > 2 a.NA/2.405

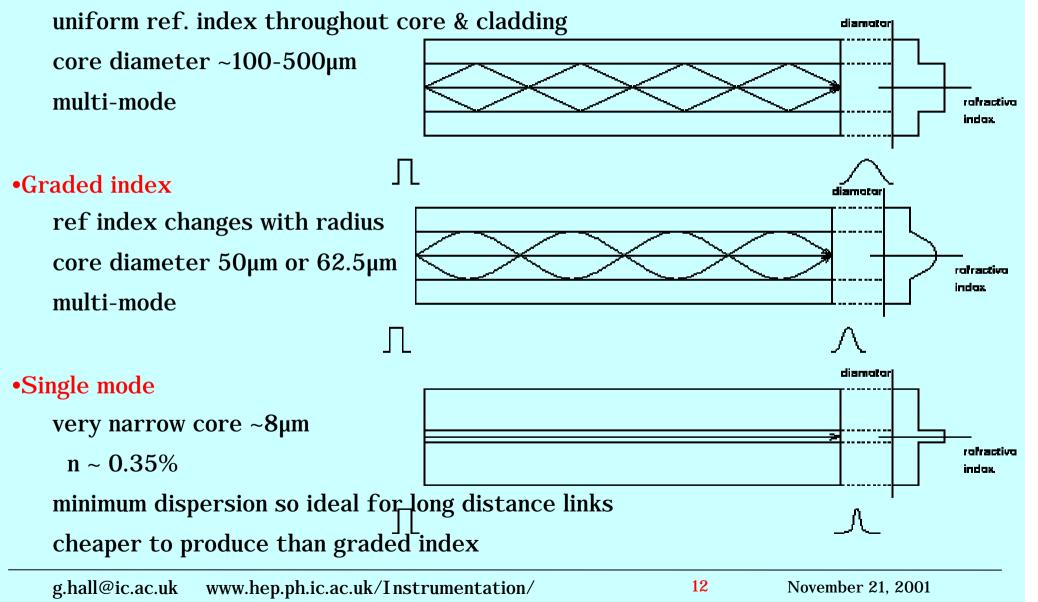
#### •single mode fibre

dominates long distance telecomms



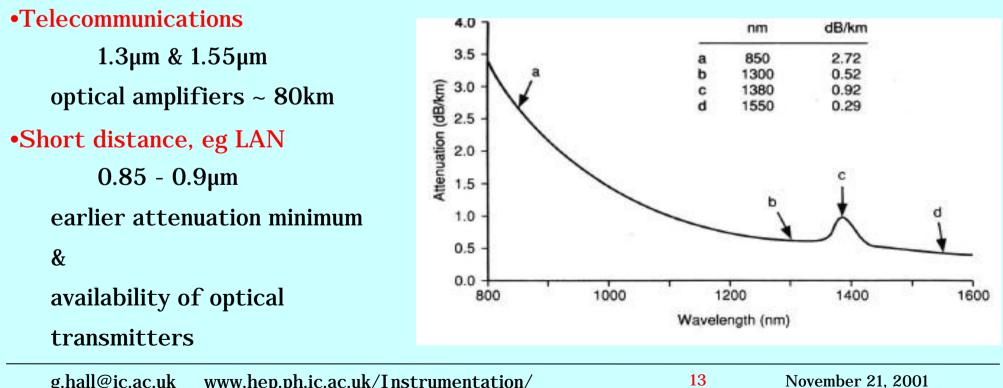
# **Fibre types**

#### •Step index



# **Attenuation in fibres**

#### •Quality is now so high that attenuation is close to physical limits Rayleigh scattering 1.2µm glass absorption (GeO<sub>2</sub>, $B_2O_3$ , SiO<sub>2</sub> band edges at longer wavelengths) absorption peak $\sim 1.4 \mu m$ (OH- impurity ions) waveguide imperfections & bending - low level



www.hep.ph.ic.ac.uk/Instrumentation/ g.hall@ic.ac.uk

### Limits

material: waveguide:	nainly chromatic dependence of n dependence of c <sub>fibre</sub> ligital - both kinds of data a	D() $S_0[ - 0^4/3]$ ps/(nm.km) S <sub>0</sub> 0.025 ps/(nm <sup>2</sup> .km) 0 1310nm		
0	Pros	Cons		
Analogue	Avoid digitisation	Signal distortion/attenuation		
	circuits/power	require good linearity		
Digital	Transmit 0/1	need complex circuits & power many bits needed => high speed		
telecommunications and computer: digital dominates				
cable TV, phone: analogue				
•Bandwidth constantly striving to increase, eg fibre quality				
•Connectors typically expensive and care needed to avoid dirt, damage				
but fibre is cheap so maximise length before connections				