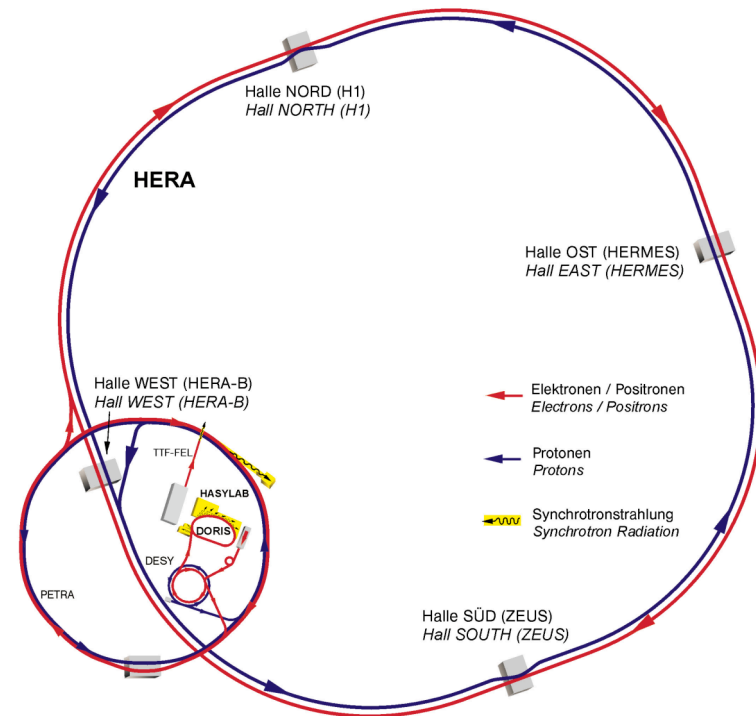


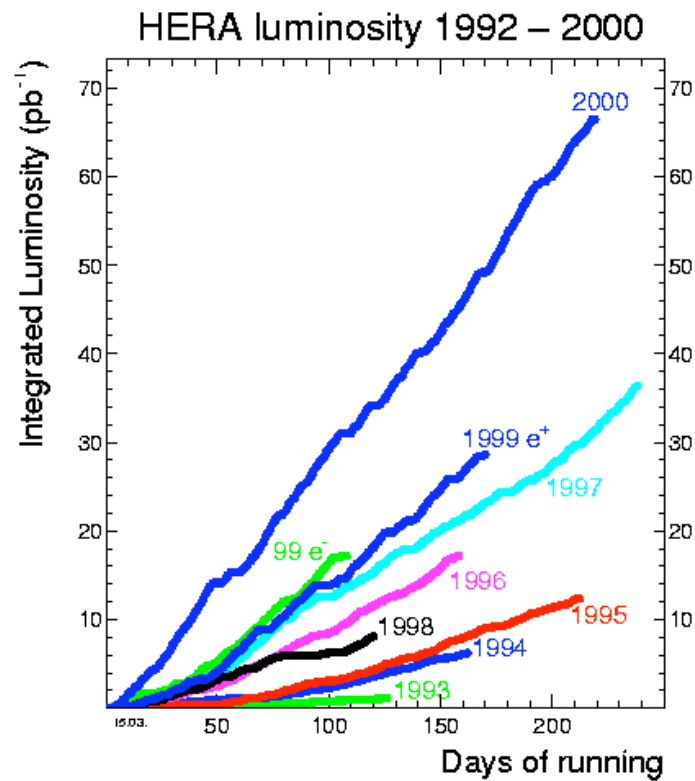
The ZEUS experiment

Alex Tapper

- The HERA accelerator
- The ZEUS detector
- Central Tracking Detector
- Transverse Polarimeter
- Physics at HERA I
- Plans for HERA II

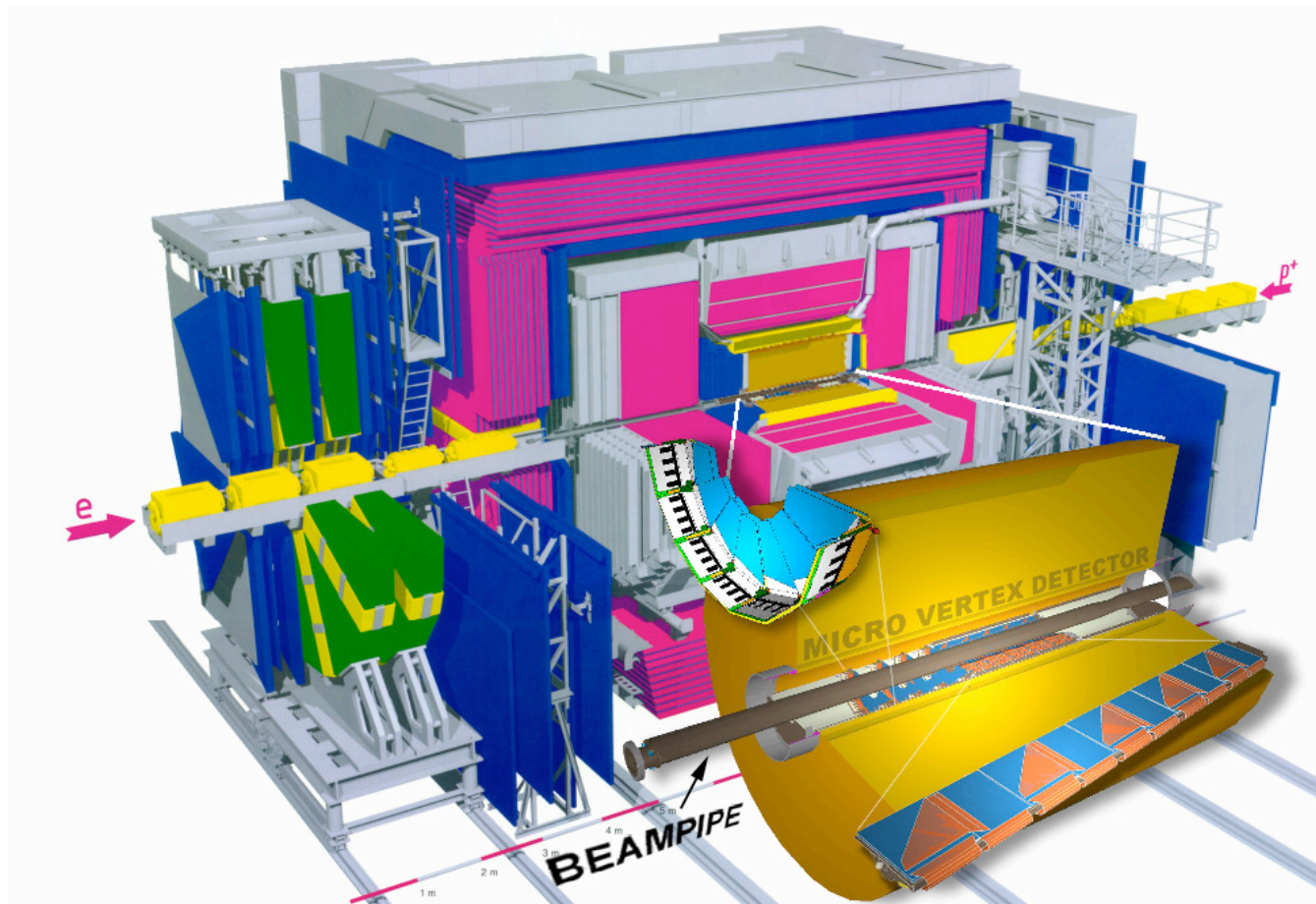
The HERA accelerator

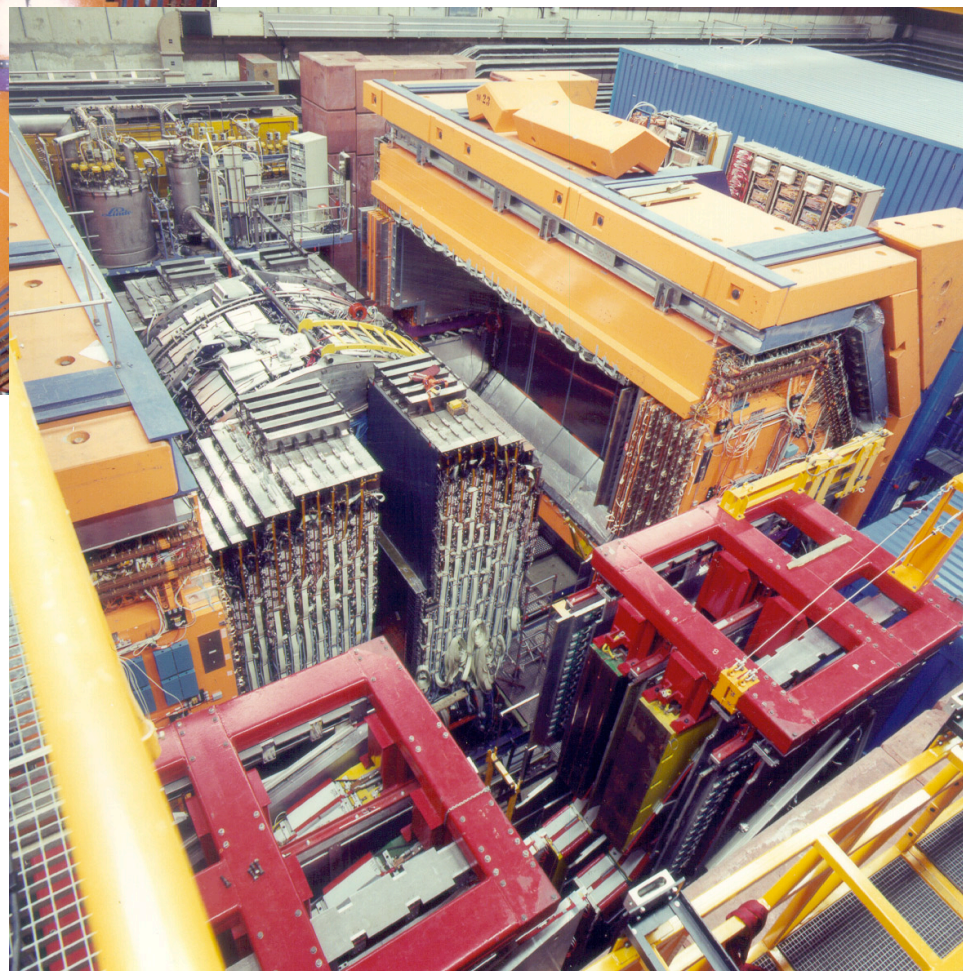
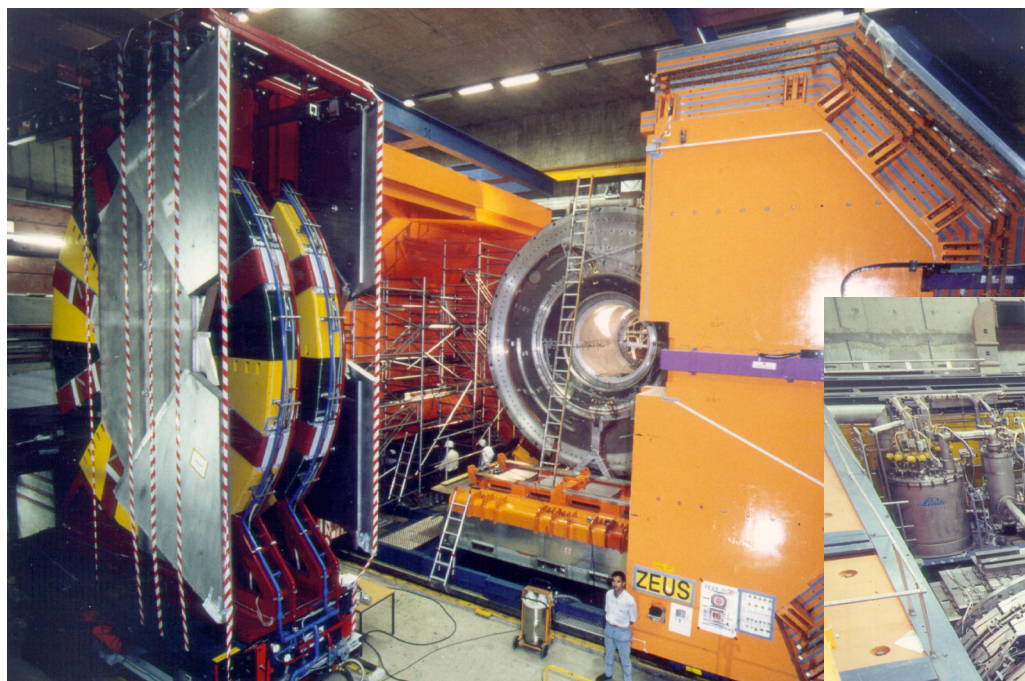




- Collides electrons/positrons with protons
- $E_e = 27.5 \text{ GeV}$
- $E_p = 920 \text{ GeV}$
- Centre-of-mass energy $\sim 320 \text{ GeV}$

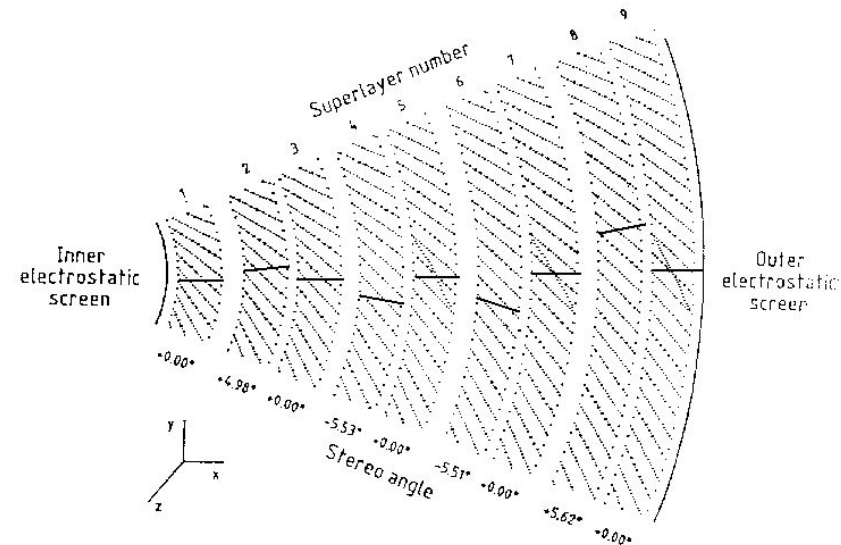
The ZEUS detector

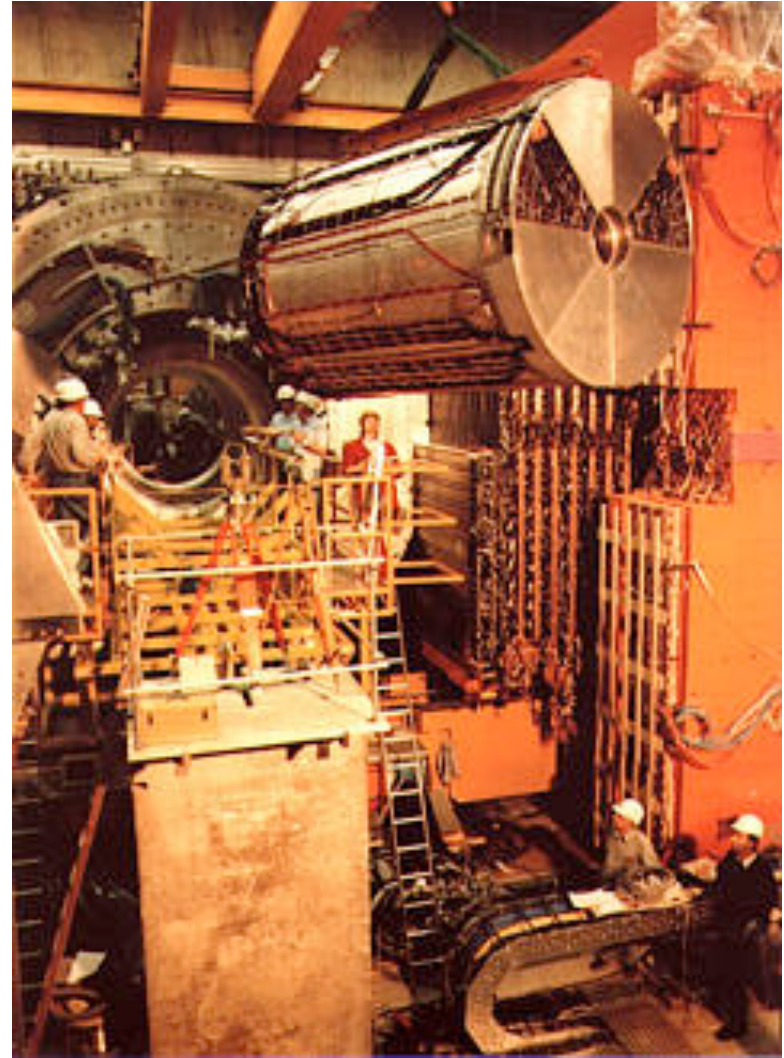
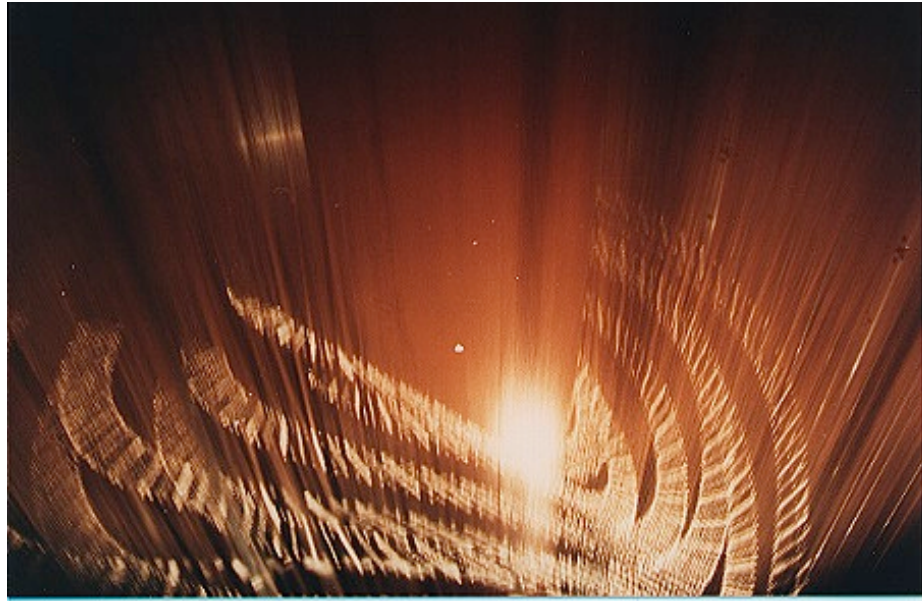




The Central Tracking Detector

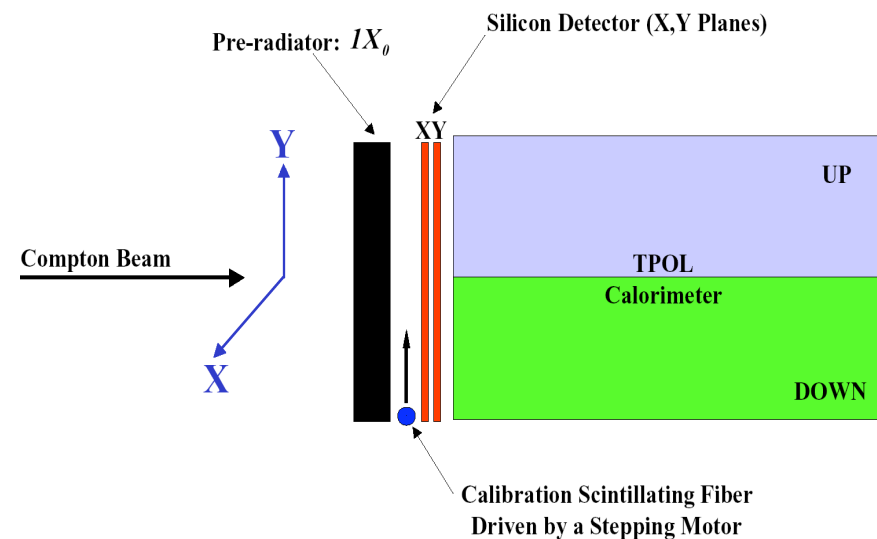
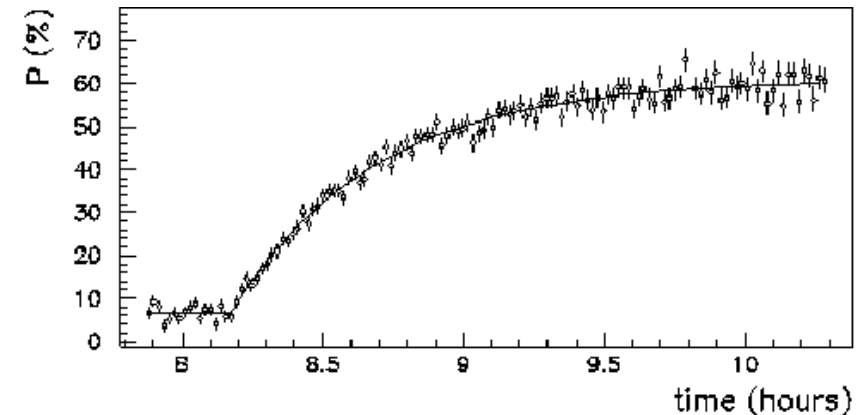
- Built by UK universities
- Cylindrical drift chamber
- ~25000 wires
- 1.43T field
- ~2m long
- ~1m radius

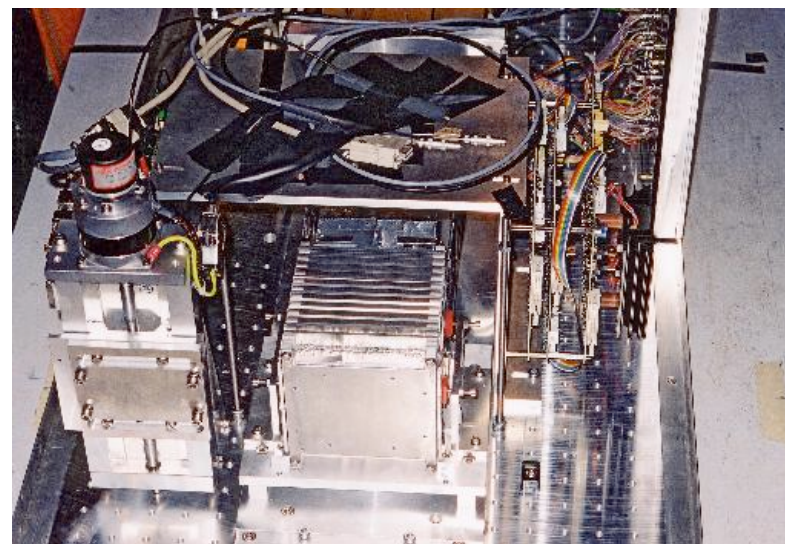
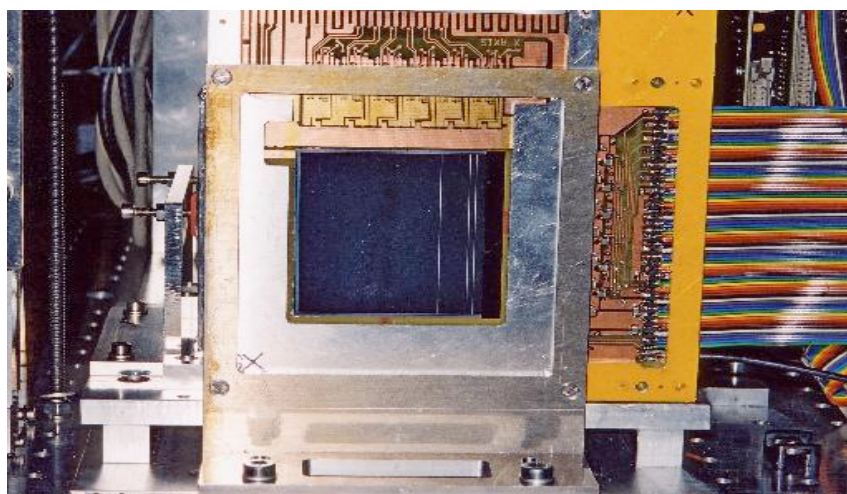
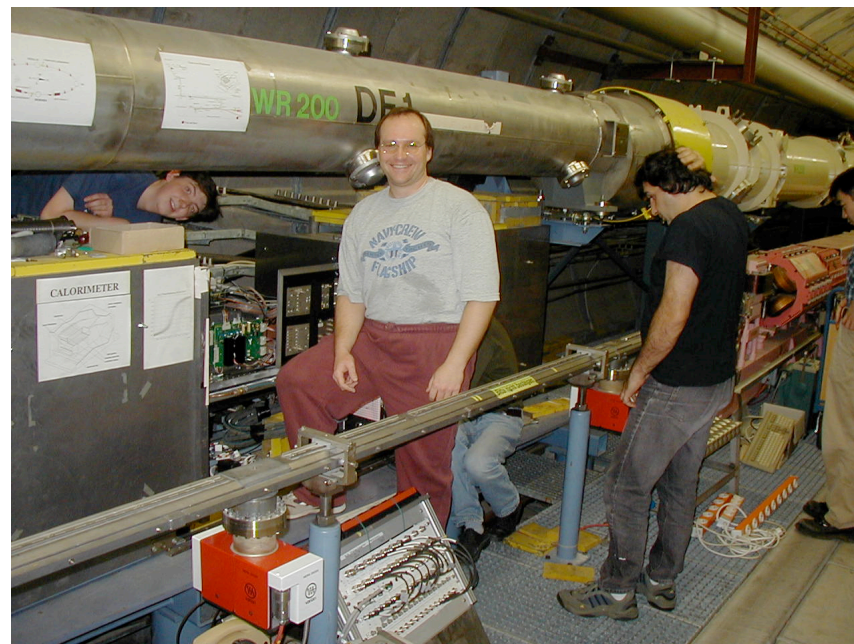
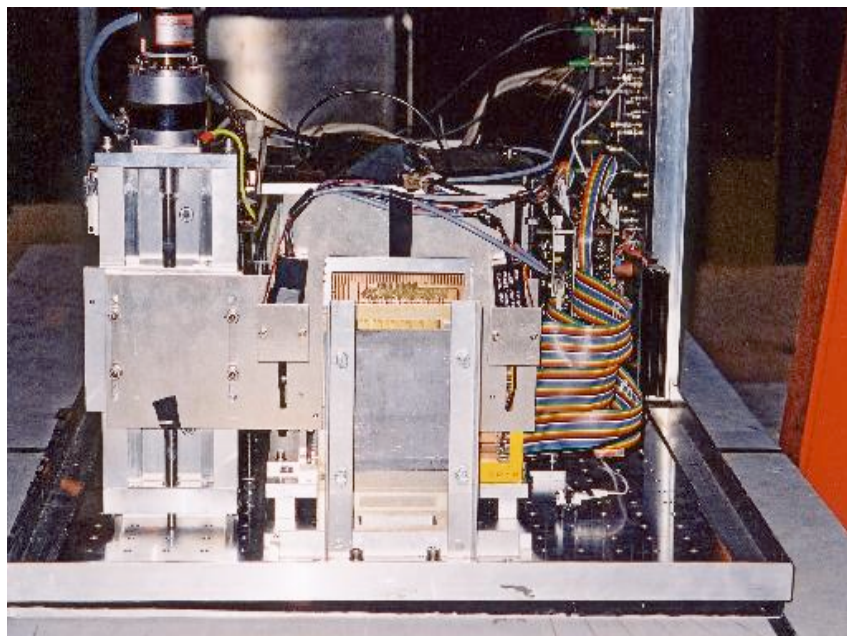




The Transverse Polarimeter

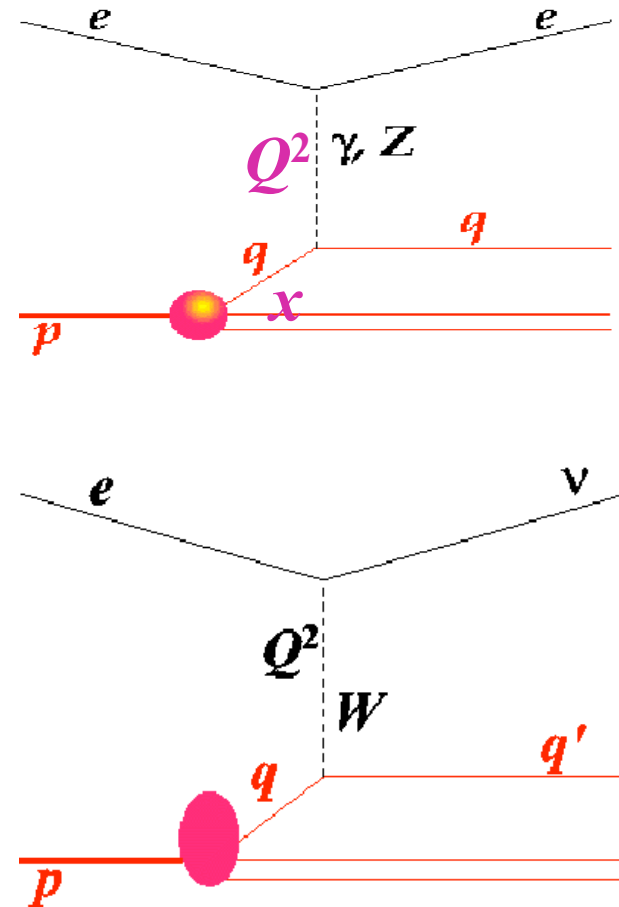
- Sokolov-Ternov effect leads to natural build up of transverse polarisation
- Spin rotators convert this to longitudinal polarisation
- TPOL measures spatial asymmetry in Compton scattered light from laser
- Si and scintillating fibre improve asymmetry measurement from CAL

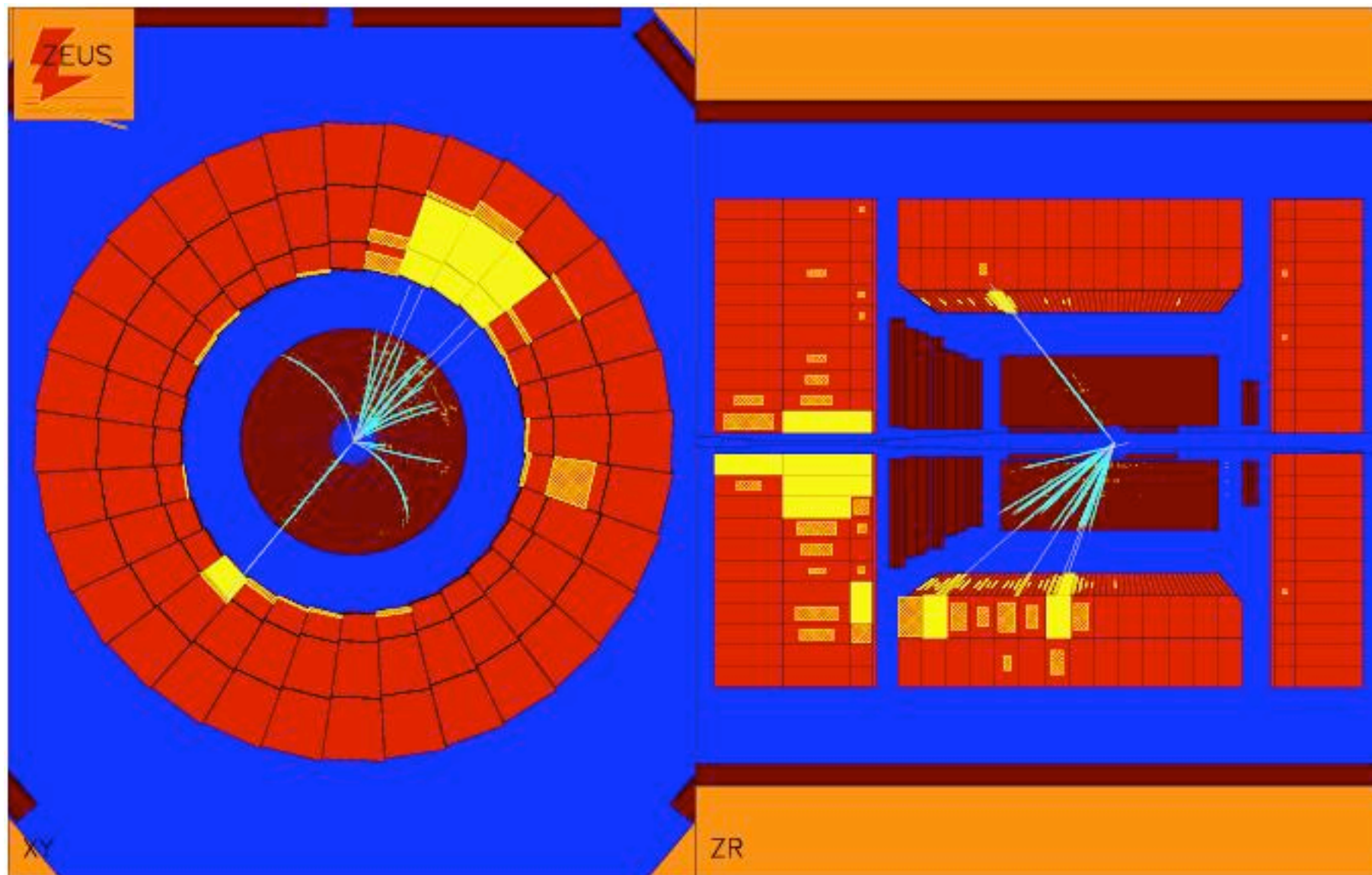


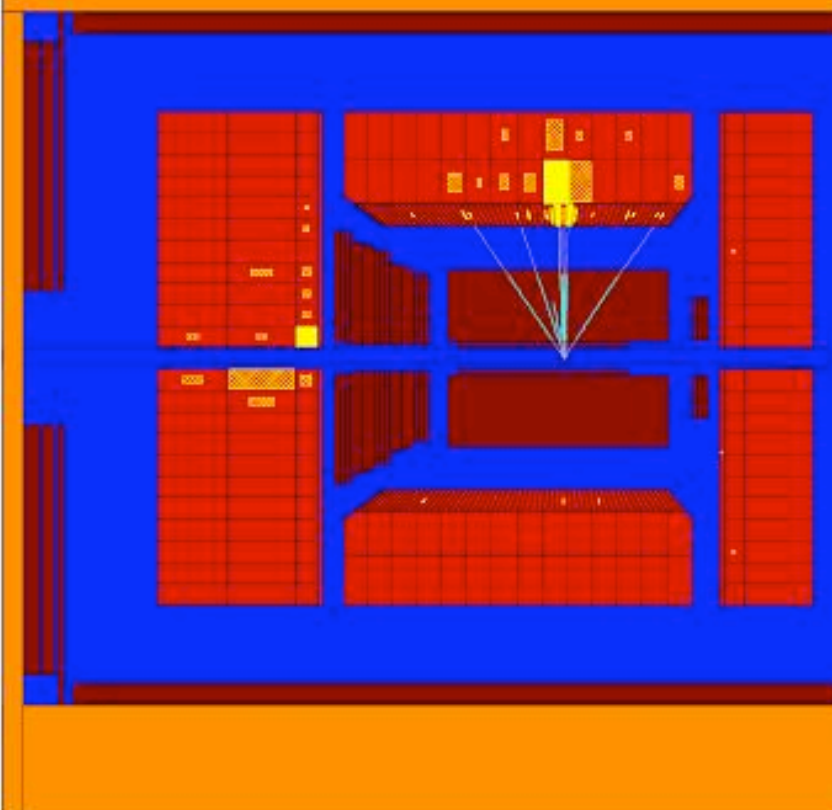


HERA I Physics

- Use electron to probe proton structure and investigate forces
- Q^2 resolving power
- x fraction of p momentum
- y inelasticity

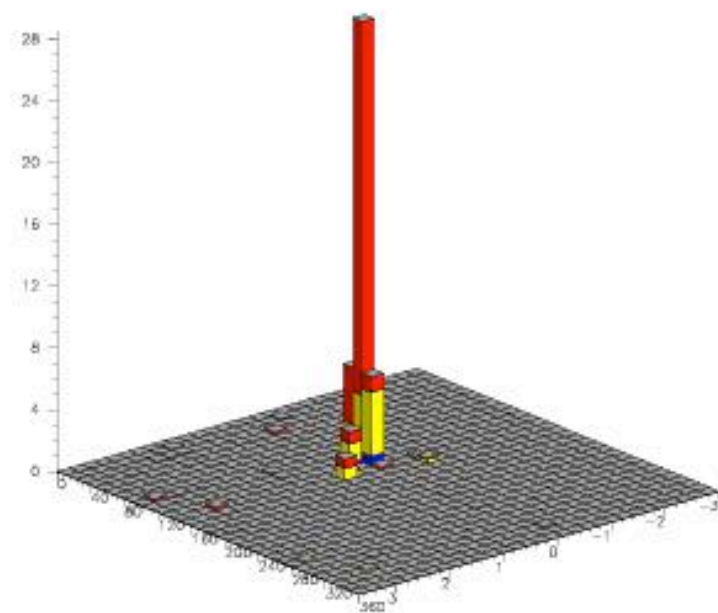






2R

$$Q^2 = 21000 \text{ GeV}$$

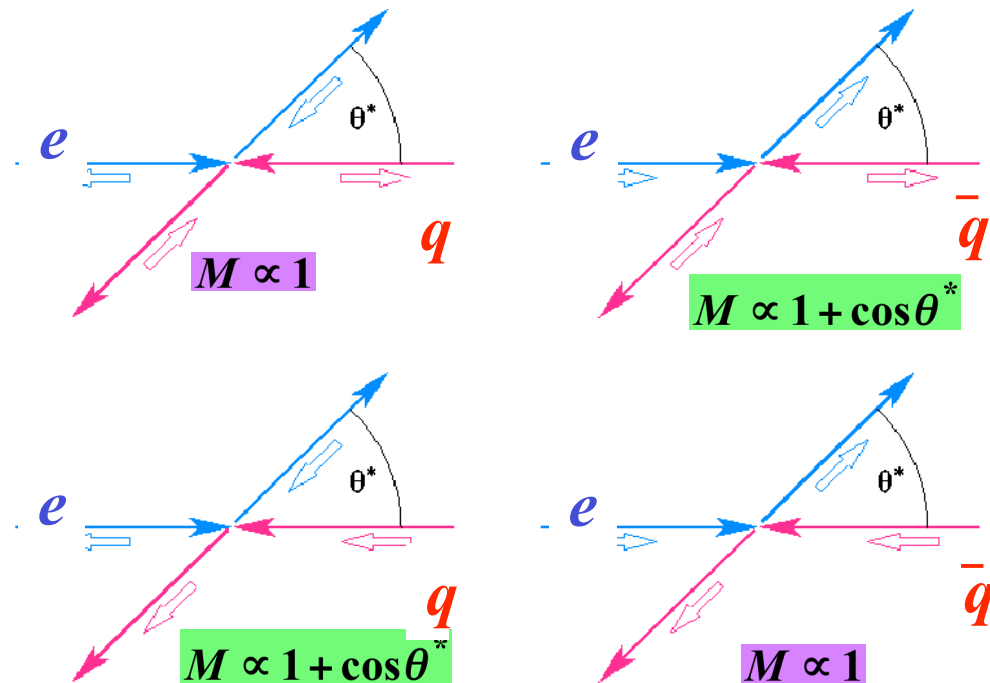


ETA PHI

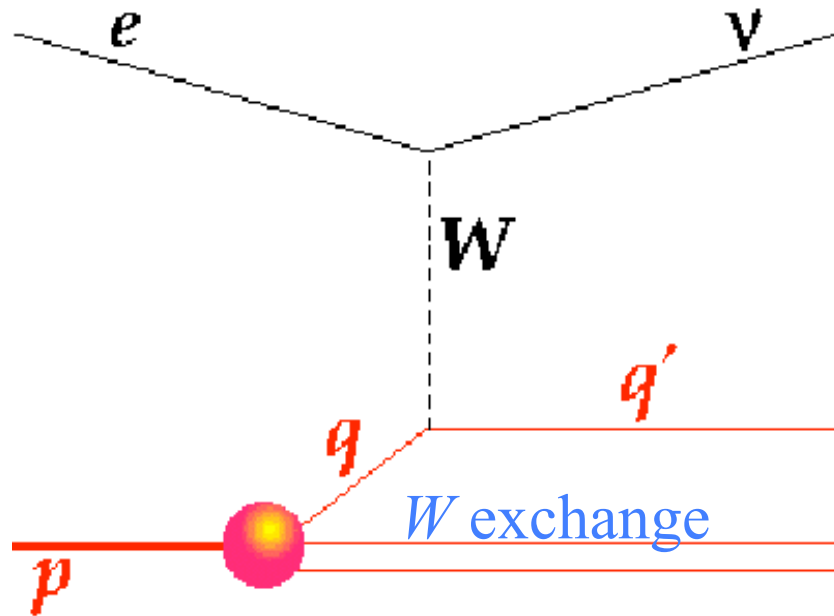
UCAL transverse energy

Lepton-quark scattering

- γ , Z and W all VECTOR bosons
 - helicity conserved (since $m_q, m_e \ll E$)
- (angular momentum conserved)



$$\begin{aligned}
 |M(e_L + q_L)|^2 &= |M(e_R + q_R)|^2 && \propto 1 \\
 |M(e_L + q_R)|^2 &= |M(e_R + q_L)|^2 && \propto (1 + \cos \theta^*)^2 \\
 &&& \propto \left(1 - \sin^2 \frac{\theta^*}{2}\right)^2
 \end{aligned}$$



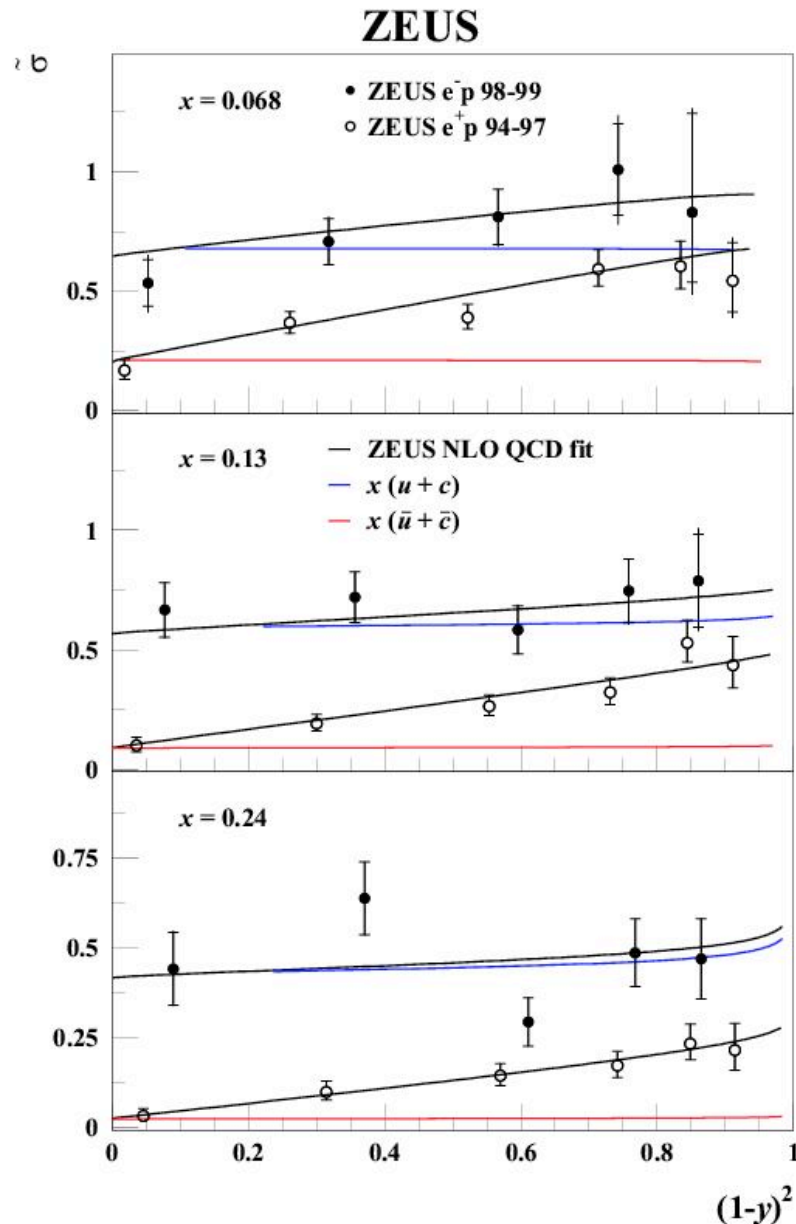
- first example: charged current

Define: $y = \sin^2 \frac{\theta^*}{2}$

e^+p : d, s and $u\text{-bar}, c\text{-bar}$

e^-p : u, c and $d\text{-bar}, s\text{-bar}$

$$\begin{aligned} \frac{d^2\sigma^{\text{CC}}}{dx dy} &= \{\text{Coupling}\} \{\text{Propagator}\} \{\text{Angular factor} \otimes \text{PDF}\} \\ &= \{\text{Coupling}\} \{\text{Propagator}\} \{\hat{\sigma}^{\text{CC}}(x)\} \end{aligned}$$



$$\tilde{\sigma}_{e^+p}^{\text{CC}} = (\bar{u}(x) + \bar{c}(x)) + (1-y)^2 (d(x) + s(x))$$

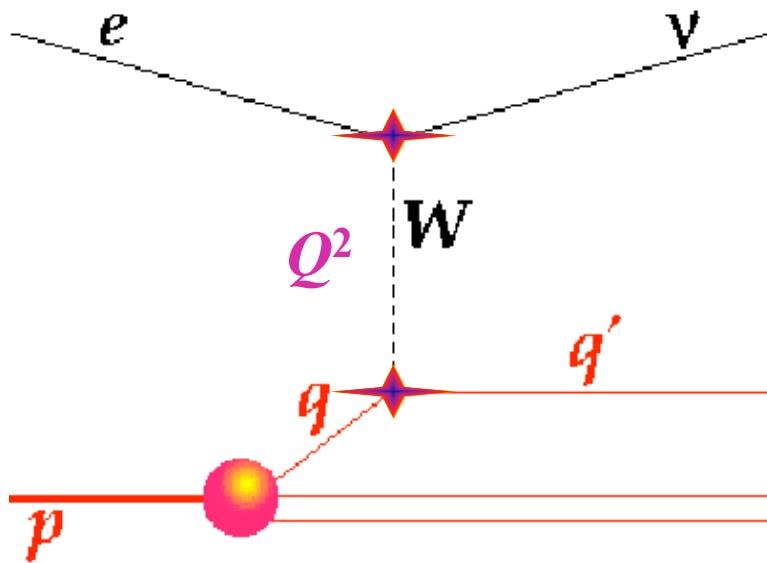
$$\tilde{\sigma}_{e^-p}^{\text{CC}} = (u(x) + c(x)) + (1-y)^2 (\bar{d}(x) + \bar{s}(x))$$

- e^+p read off d at $(1-y)^2 = 1$

- e^-p read off u at $(1-y)^2 = 0$

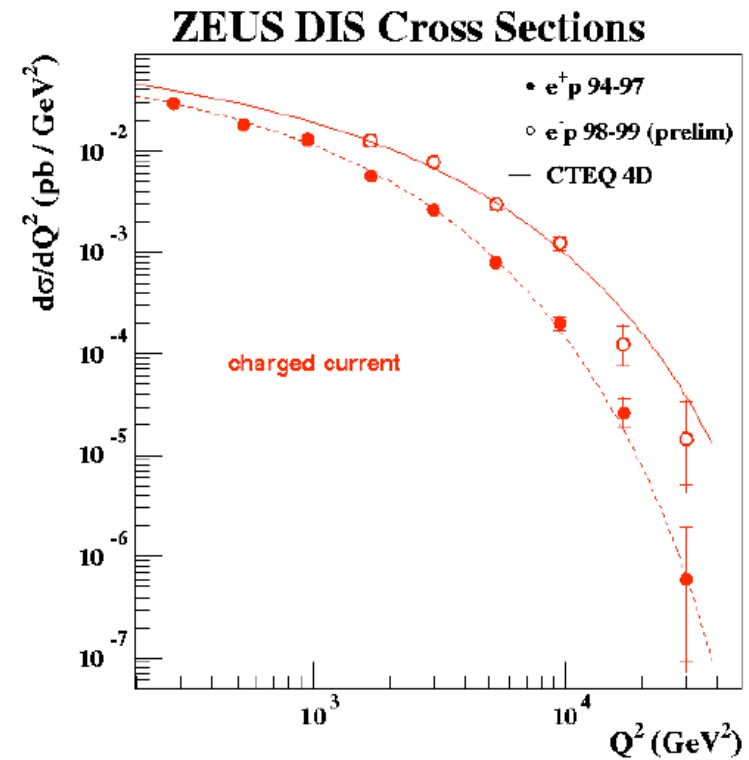
▸ **CC can be used to determine u, d PDFs**

Charged Current

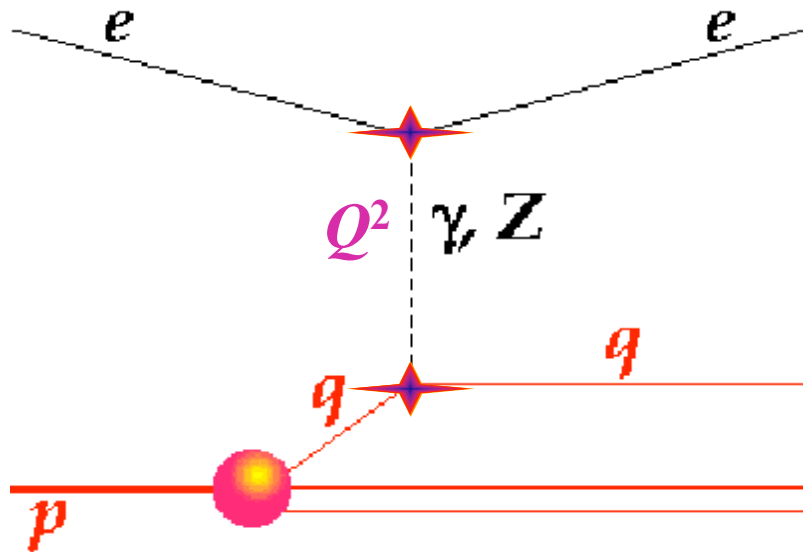


$$g^2 = \frac{8G_F M_W^2}{\sqrt{2}} \left(\frac{1}{Q^2 + M_W^2} \right)^2$$

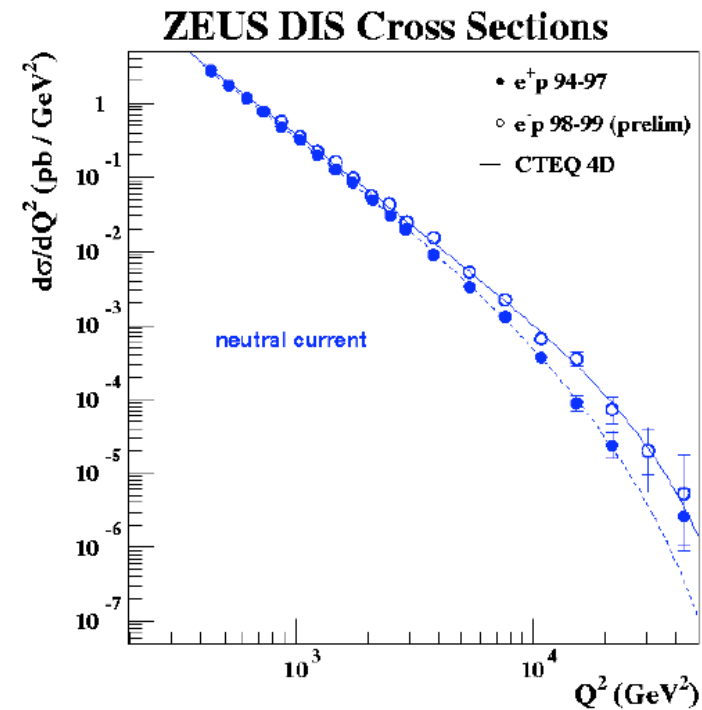
$$\frac{d\sigma_{e^\pm p}^{\text{CC}}}{dQ^2} = \frac{G_F^2}{2\pi} \left(\frac{M_W^2}{Q^2 + M_W^2} \right)^2 \int \tilde{\sigma}_{e^\pm p}^{\text{CC}} dx$$



Neutral Current



$e^+ p$: All flavours
contribute



$$\frac{d\sigma_{\text{NC}}^{\pm}}{dQ^2} \propto \left[\eta_{\gamma}^{\pm} \frac{1}{Q^2} + \eta_Z^{\pm} \frac{1}{Q^2 + M_Z^2} \right]^2 \int \tilde{\sigma}_{\text{NC}}^{\pm} dx$$

- **Photon exchange - parity conserving**
- **Z exchange: Two pieces; one is parity conserving, the other violates parity**

Parameterise cross section collecting parity conserving pieces in one structure function, F_2 , and pieces which violate parity in a second structure function xF_3 :

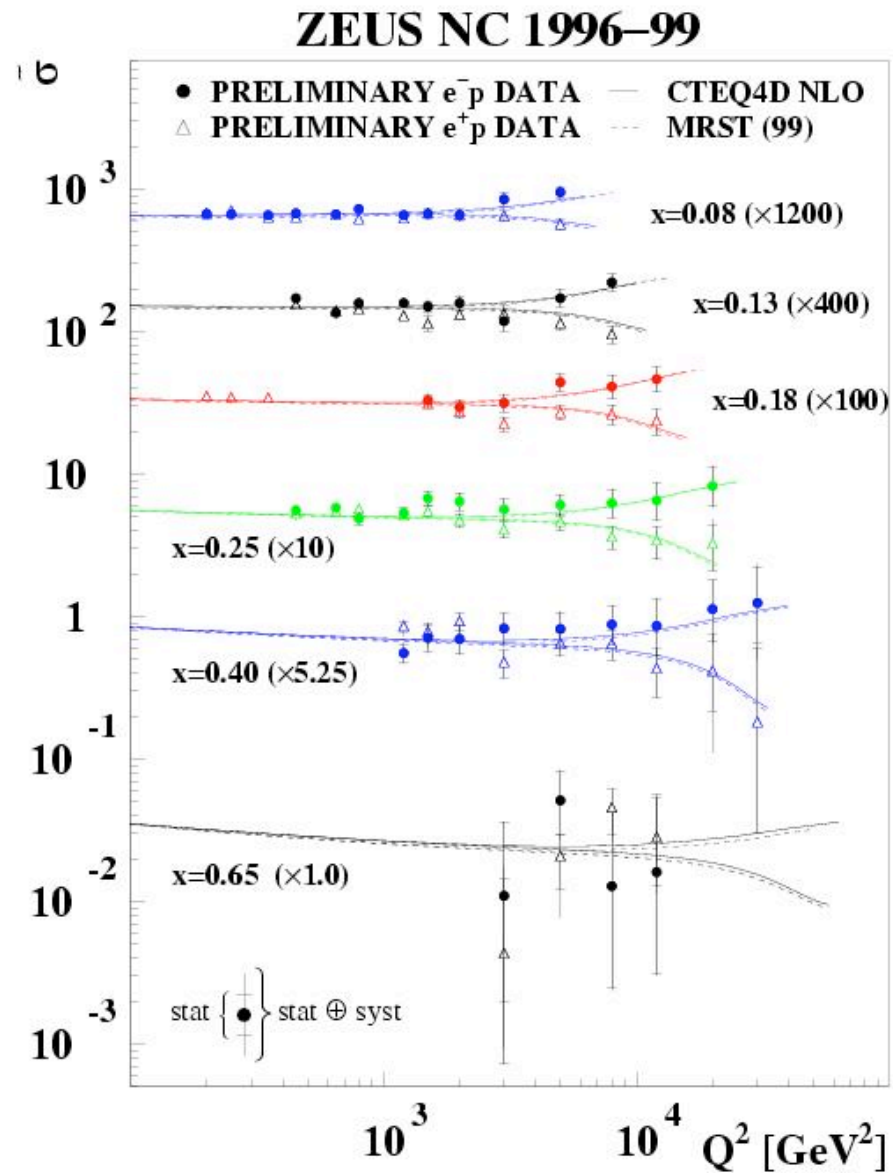
$$\frac{d^2\sigma_{\text{NC}}^{e^\pm P}}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4 x} \left[Y_+ F_2^{\text{NC}} \mp Y_- x F_3^{\text{NC}} - y^2 F_L^{\text{NC}} \right] \quad Y_\pm = 1 \pm (1-y)^2$$

$$\tilde{\sigma}_{e^\pm p}^{\text{NC}} = \left[\frac{2\pi\alpha^2}{Q^4 x} \right]^{-1} \frac{1}{Y_+} \frac{d^2\sigma_{\text{NC}}^{e^\pm P}}{dx dQ^2}$$

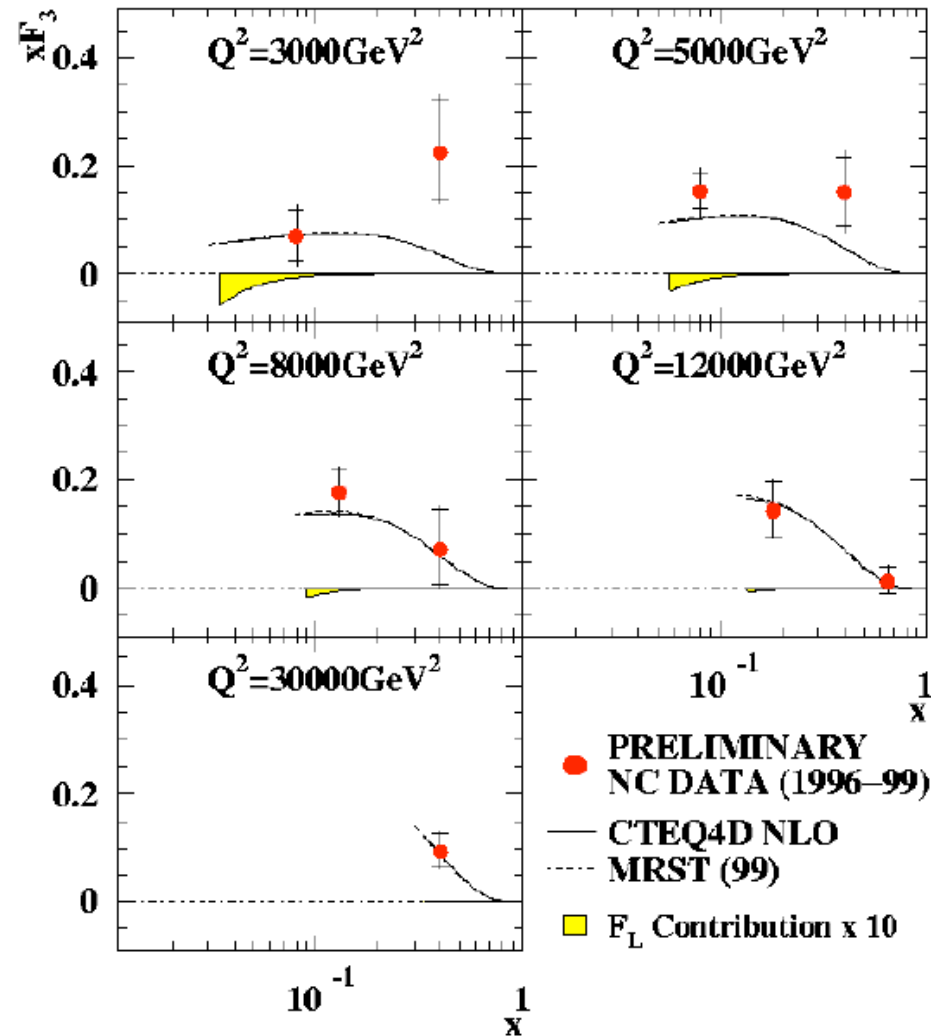
$$F_2^{\text{NC}} = x \sum A_q (q(x) + \bar{q}(x))$$

$$xF_3^{\text{NC}} = x \sum B_q (q(x) - \bar{q}(x))$$

Focus on highest possible Q^2 to look for Z exchange



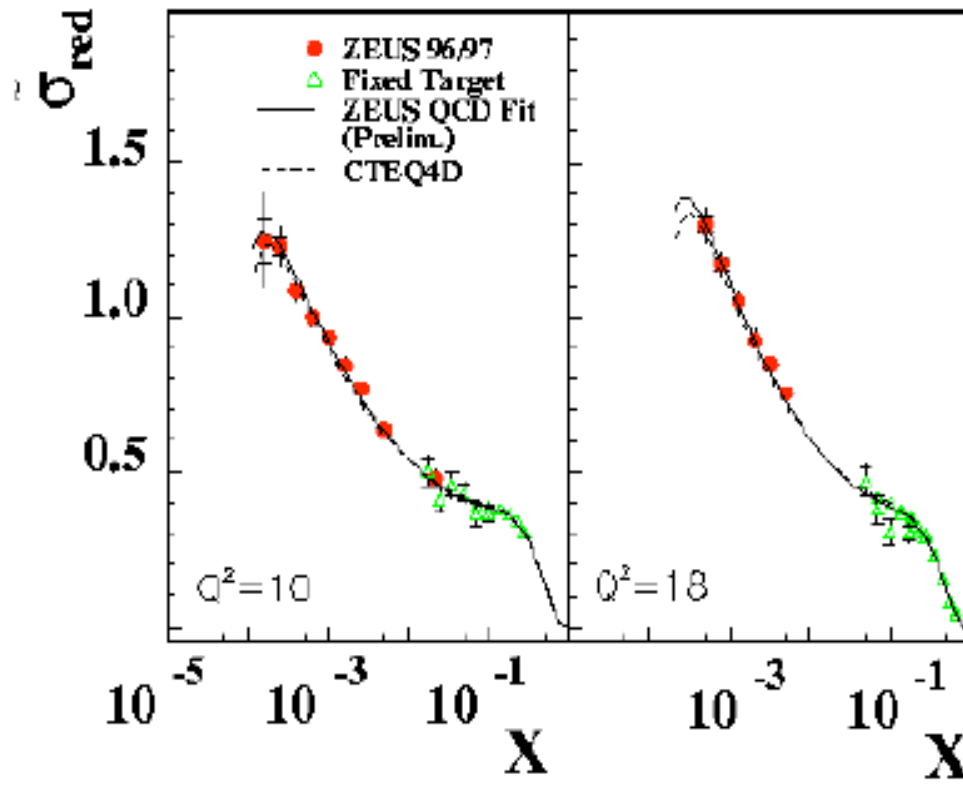
ZEUS NC 1996-99



First direct look at
the valence quarks in
ep!

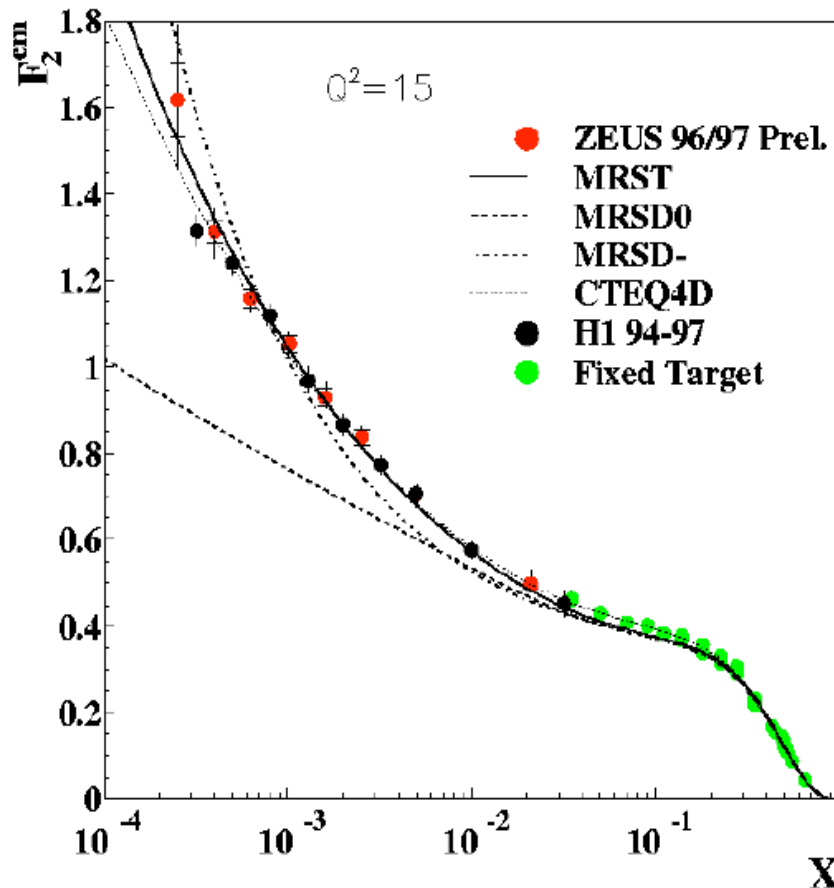
$$xF_3^{NC} = x \sum B_q (q(x) - \bar{q}(x))$$

Proton Structure



Determine cross section, σ_r , make small corrections for xF_3 , F_L , e/w contribution to F_2 (and radiative corrections)

$$F_2^{\text{em}} = \sigma_r(x, Q^2) \left(1 + \delta_{F_2}^{\text{ew}} + \delta_{xF_3} + \delta_{F_L} \right) (1 + \delta_{\text{rad}})$$



The proton
structure function

F_2 :

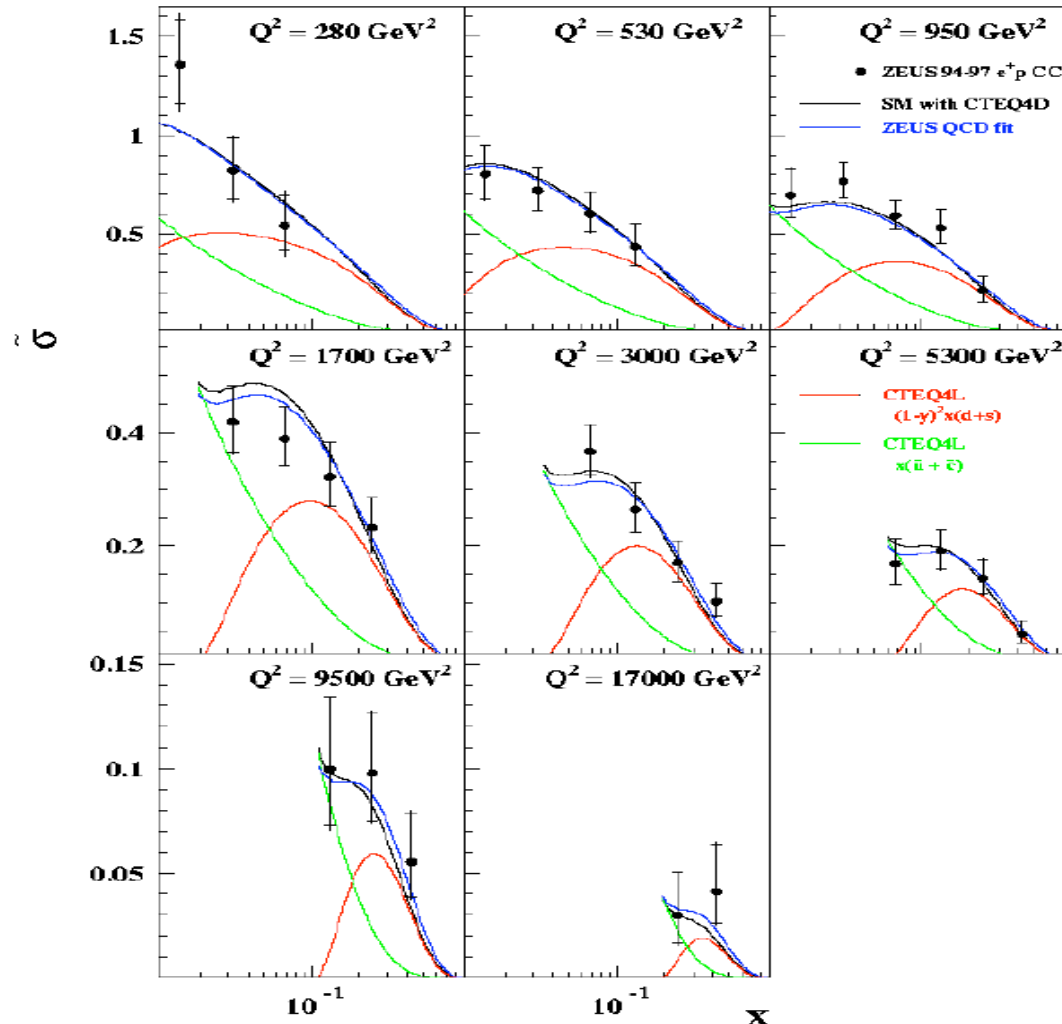
$$F_2^{\text{NC}} = x \sum A_q (q(x) + \bar{q}(x))$$

$$F_2^{\text{em}} = x \sum e_q^2 (q(x) + \bar{q}(x))$$

- HERA: Low x : Rapid rise of F_2 - $F_2 \sim x^{-1}$

Quark Flavours

ZEUS CC 1994-97

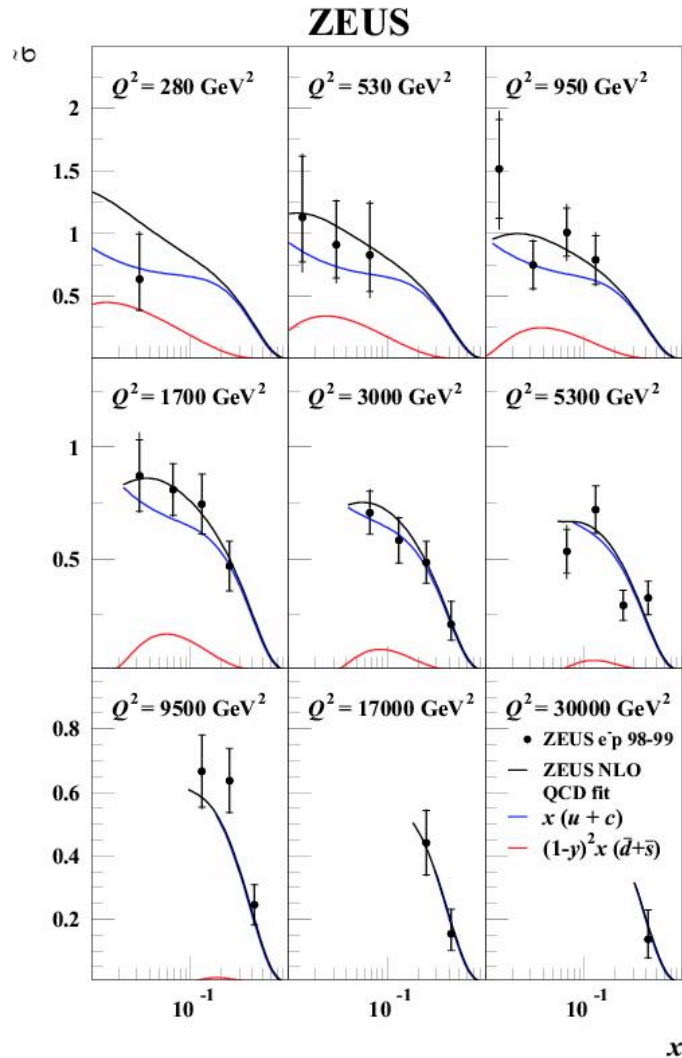


$$\tilde{\sigma}_{\text{CC}}^{e^+P} = \left\{ \frac{G_\mu^2}{2\pi x} \left[\frac{M_W^2}{Q^2 + M_W^2} \right]^2 \right\}^{-1} \frac{d^2 \sigma_{\text{CC}}^{e^+P}}{dx dQ^2}$$

$$\approx x (\bar{u} + \bar{c} + (1-y)^2 (d+s))$$

- Sensitive to specific flavours
- High x : d
- Low x : \bar{u}

Quark Flavours



$$\tilde{\sigma}_{\text{cc}}^{e^-P} = \left\{ \frac{G_\mu^2}{2\pi x} \left[\frac{M_W^2}{Q^2 + M_W^2} \right]^2 \right\}^{-1} \frac{d^2 \sigma_{\text{cc}}^{e^-P}}{dx dQ^2}$$

$$\approx x(u+c+(1-y)^2(\bar{d}+\bar{s}))$$

- Sensitive to specific flavours
- High x : u
- Low x : \bar{d} -bar

HERA II - Upgrade and Physics

Luminosity Upgrade:

- Factor 5 larger than previous luminosity running
 - 200 pb⁻¹ / year

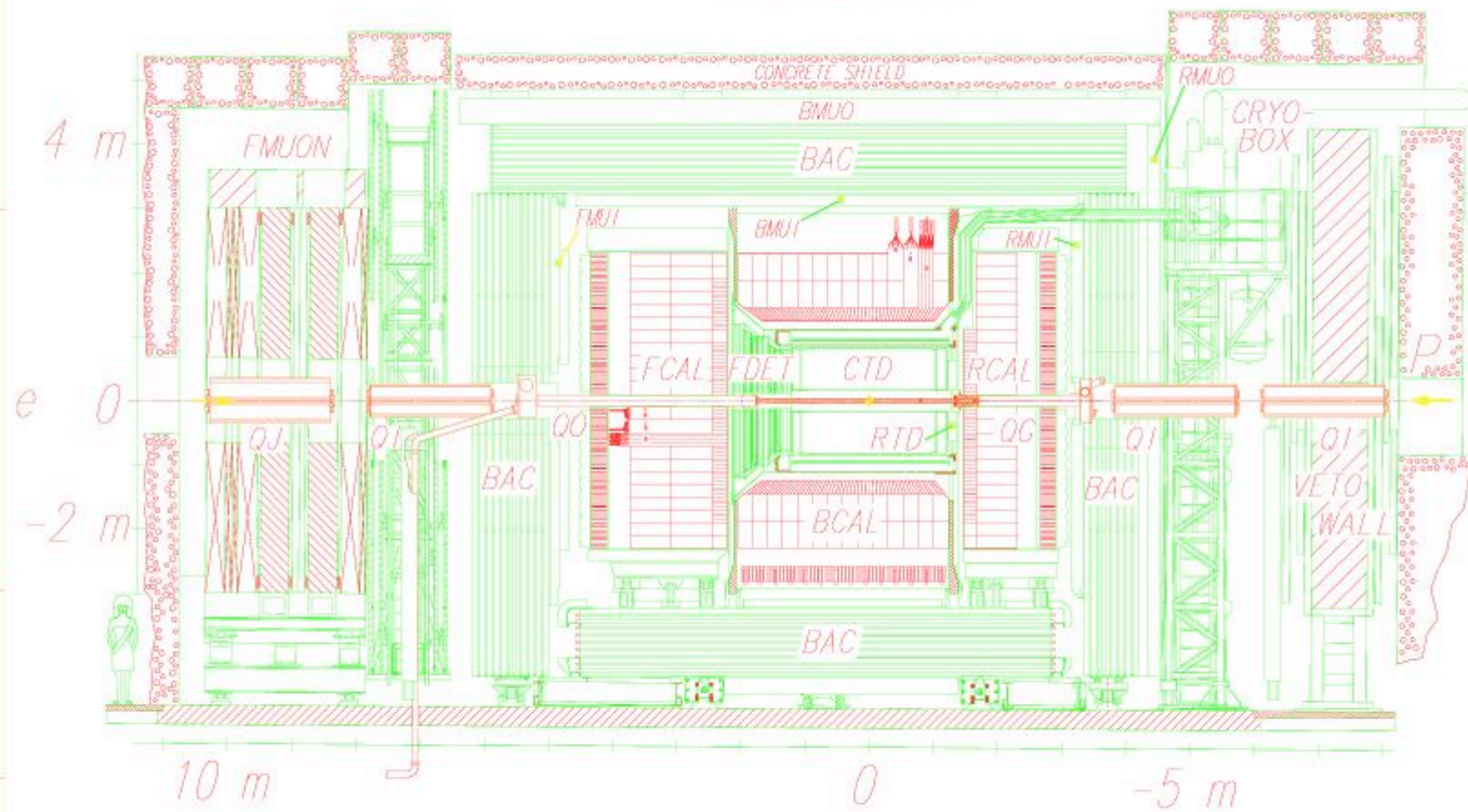
Polarisation for Collider Experiments:

- Polarised electron/positron beams
 - > 50% (70% design goal)

Running Programme:

- Goal to take 1000 pb⁻¹ by end of running

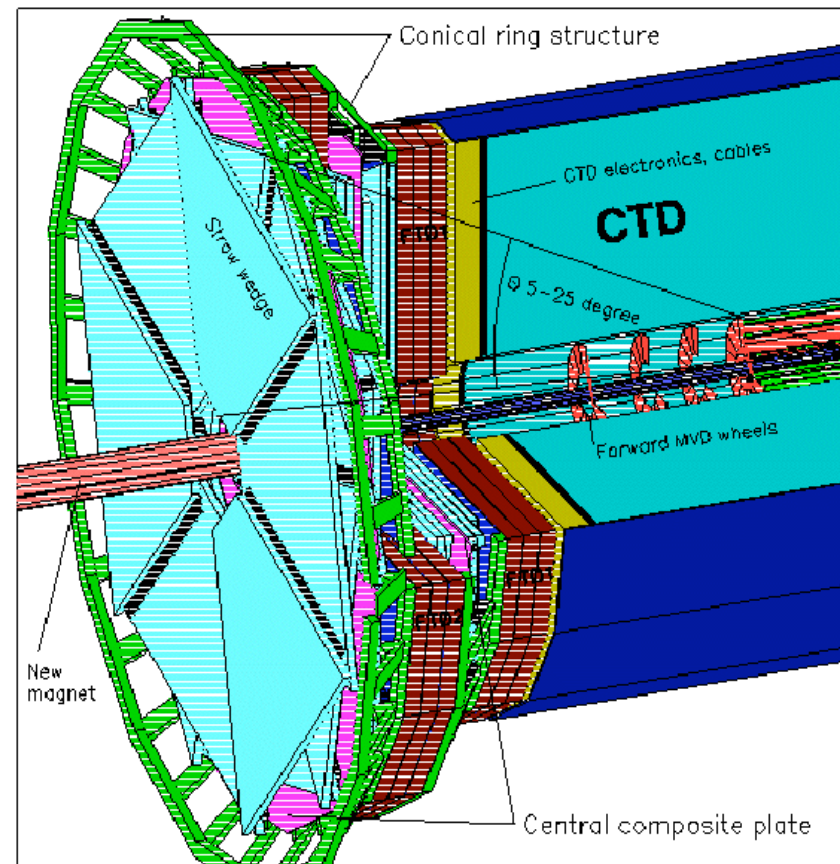
Overview of the ZEUS Detector
(longitudinal cut)



Legend	Symbol	Description
Blue hatched		Concrete Shield
Green hatched		Beam Alignment Chamber (BAC)
Red hatched		Calorimeters (FCAL, BCAL, RCAL)
Yellow hatched		Tracking Detectors (FDET, RTD, CTD)
White		Muon Chambers (FMUON, FMUJ, BMUO, BMUJ)
Grey		Quadrupoles (QJ, QI, QO, QC)
Black		Other components

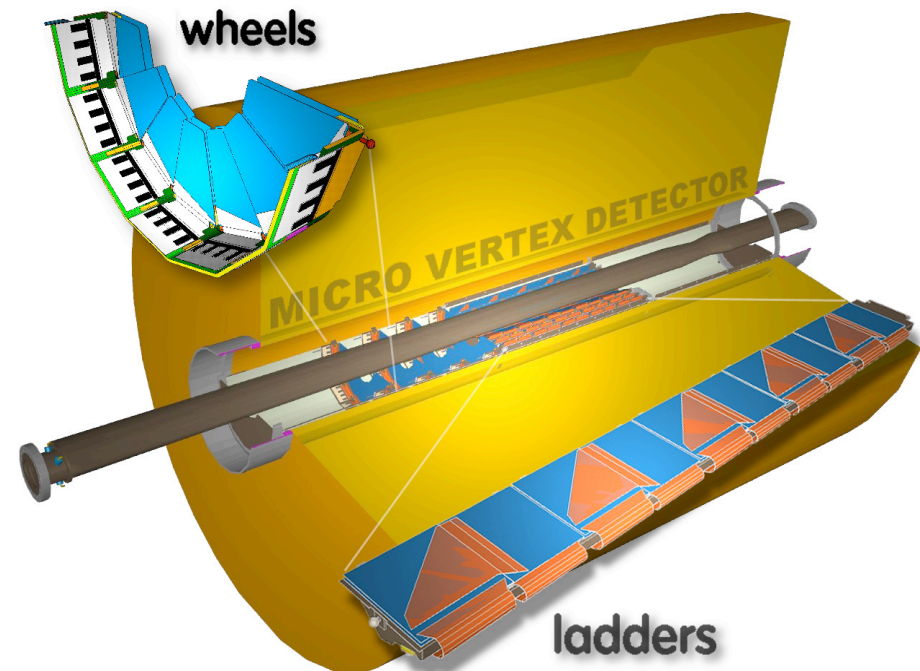
Forward tracker upgrade

- Straw tube tracker
- Increase number of track space points
- Reduce ambiguities
- Increase track finding efficiency



Micro Vertex Detector

- Good impact parameter resolution
 $< 100 \text{ } \mu\text{m}$
- Improved track parameters at IP
- Increase in efficiency for charm $\sim 20\%$
 - Big impact on charm and beauty physics



Polarised Charged Current

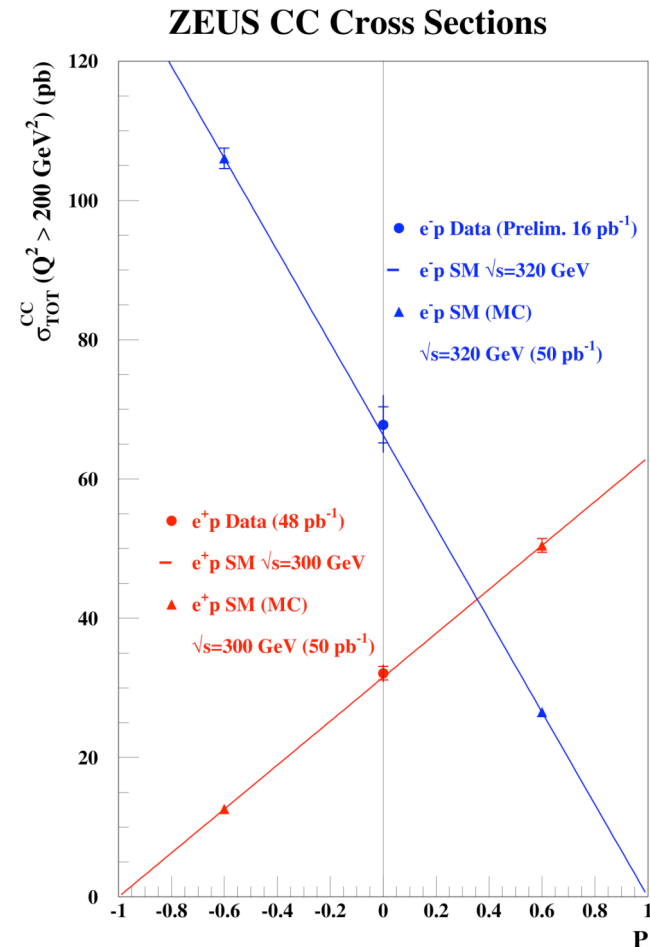
$$\sigma_{e^\pm p}^{CC} \propto (1 \pm P)$$

Exclusion limit

$$M_W(R) > 400 \text{ GeV}$$

First measurement:

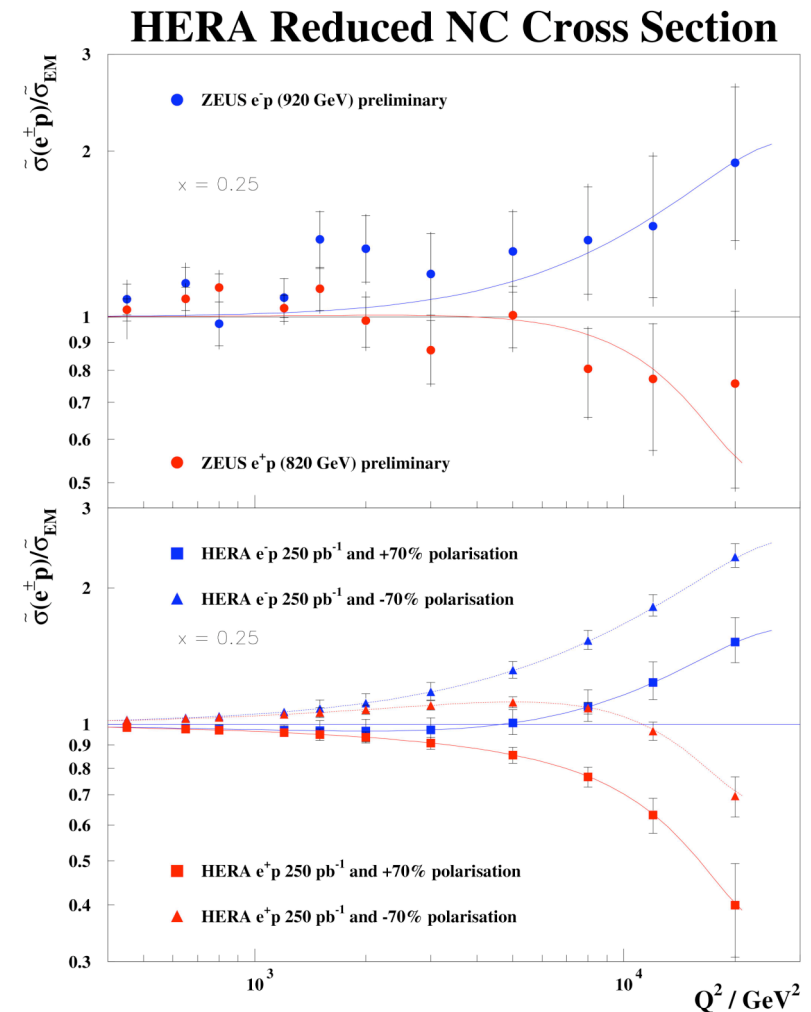
Possible with *ONE* years data



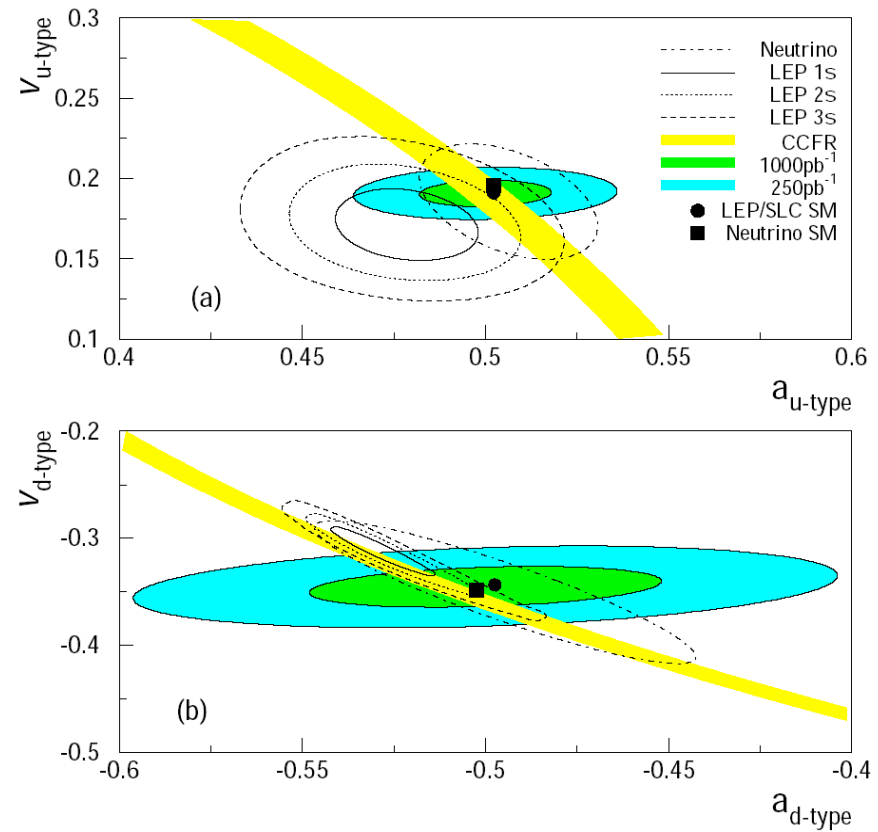
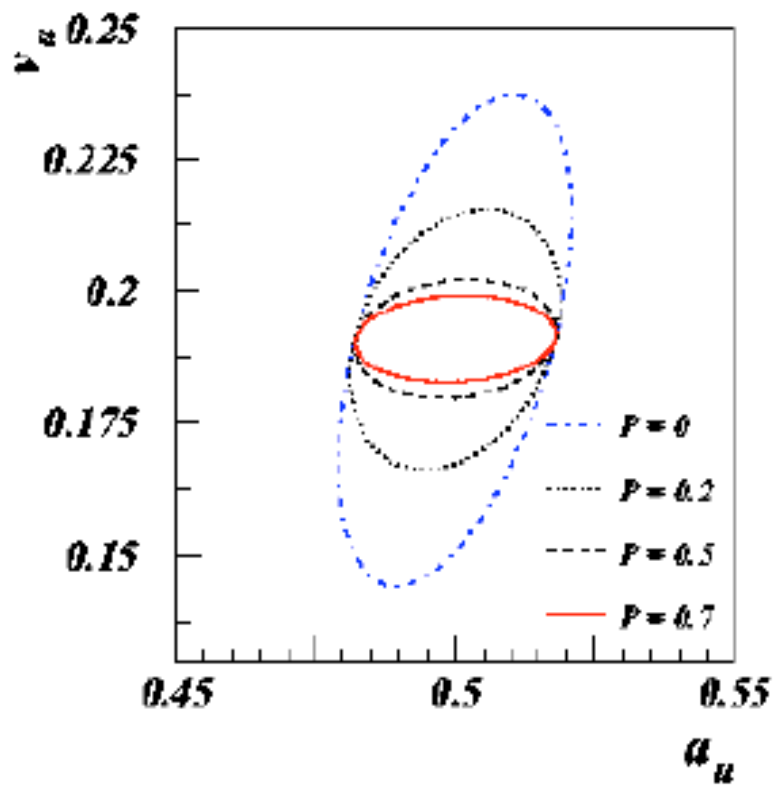
Polarised Neutral Current

- $g_L \neq g_R$ in SM
- exploit polarisation dependence of NC DIS
- measure u- and d-quark vector and axial-vector couplings

	v	a
u	13%	6%
d	17%	17%

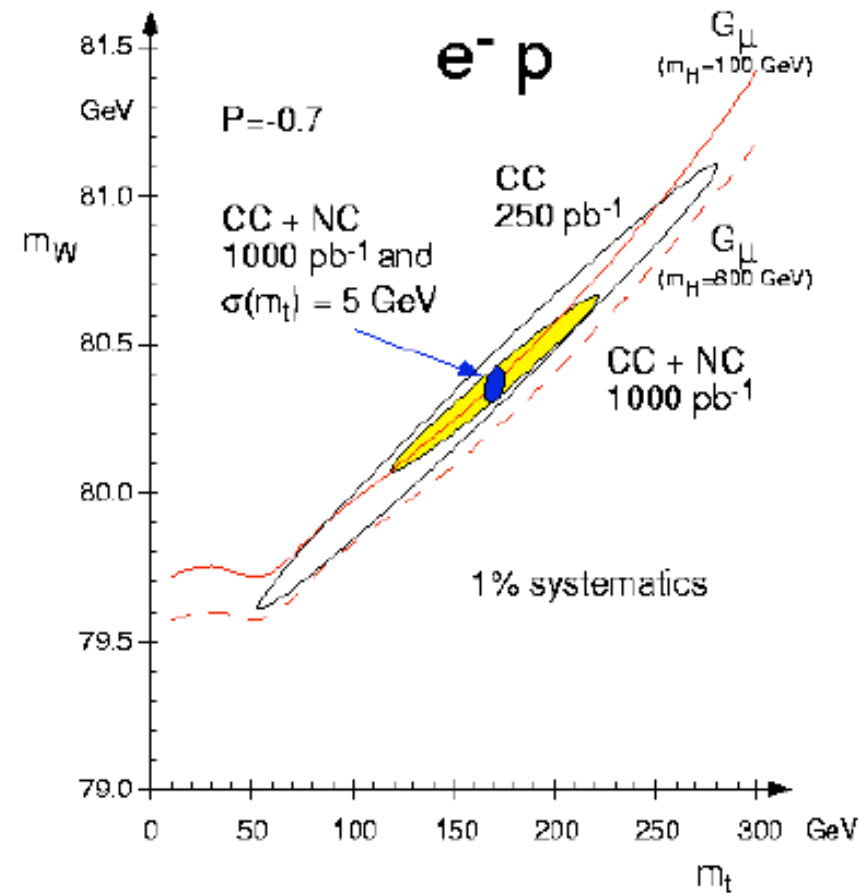


Light quark couplings to Z^0



Electroweak Physics

- Standard Model:
 - Fully specified by α_s , M_Z , M_W , m_t and M_H
- Measure CC and NC DIS cross sections to constrain M_W
- 70% polarisation
- 250 pb⁻¹
- $M_W = 80.368 \pm 0.019$ MeV (M_H fixed)



Who and where?

- In London
 - Ken Long
 - Costas Foudas
 - Ash Jamdagni
 - Alex Tapper
 - Ricardo Goncalo
- At DESY
 - Fabio Metlica
 - Chris Collins-Tooth

HERA II schedule

- Luminosity running from yesterday until 1st March 2003
- Shutdown from 1st March scheduled to be 16 weeks
- Collide e^+p until Christmas 2003
- Switch to e^-p start 2004
- In 2nd year of Ph.D. take a lot of data!

Opportunities

- Test, install and commission Si detectors
- Analyse Si data
- Make 1st measurements
- C/C++/Java
- CTD HV system
- Use polarised data to make electroweak and structure function measurements?
- Use MVD to tag charm and beauty?
- Basically whatever you want!