

Neutrinos as Probe of new Physics



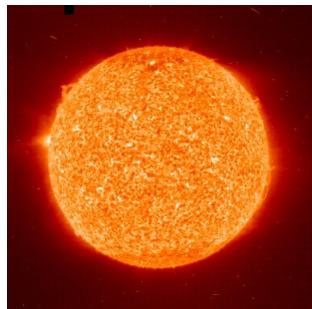
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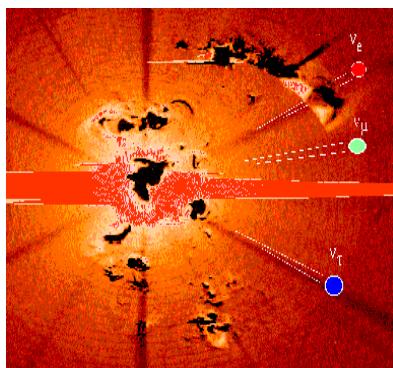


IDS Plenary Meeting
Fermilab, June 9-12, 2008

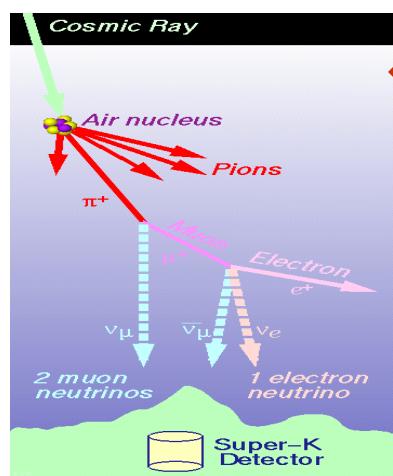
Neutrino Sources



← Sun



← Cosmology

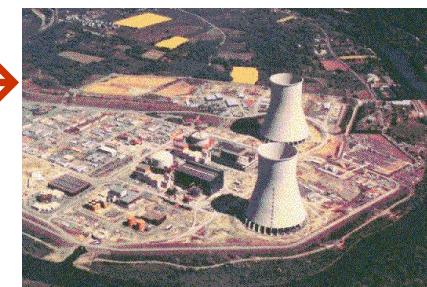


← Atmosphere

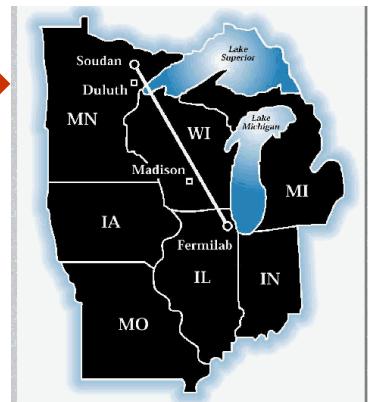
Astronomy: →
Supernovae
GRBs
UHE ν's



Reactors →

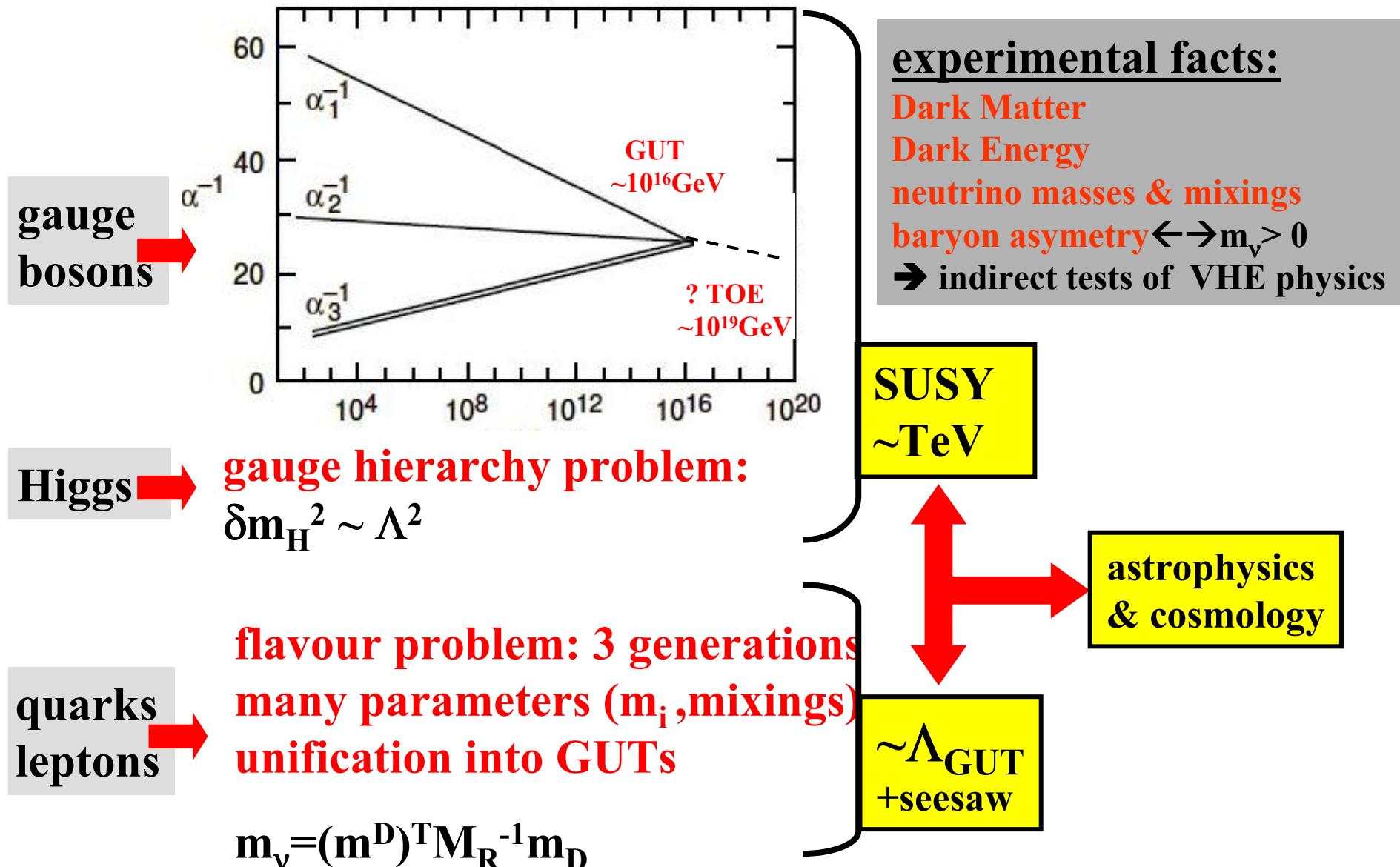


Accelerators →



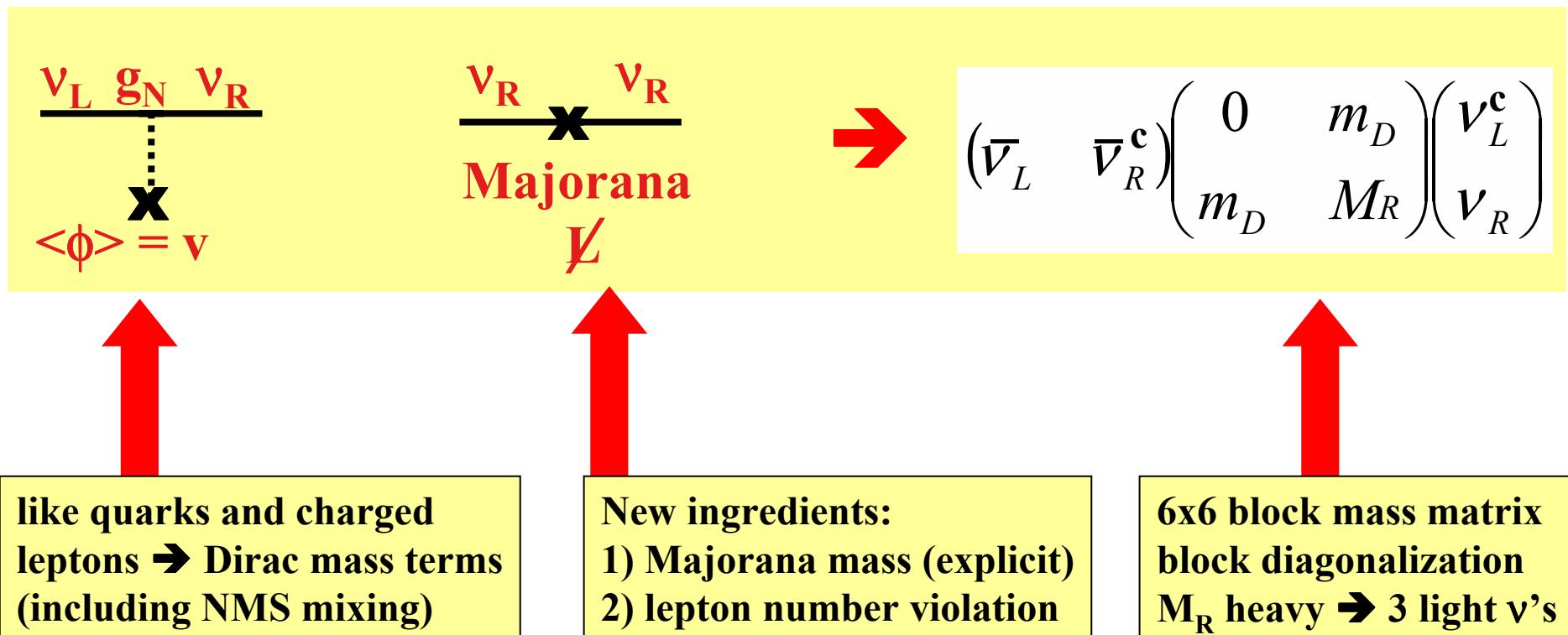
← Earth

Different Routes Beyond the SM



Adding Neutrino Mass Terms

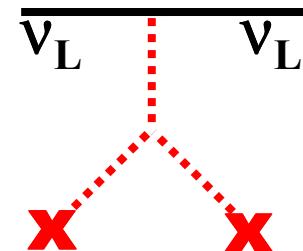
1) Simplest possibility: add 3 right handed neutrino fields



NEW ingredients, 9 parameters \rightarrow SM+

Other Neutrino Mass Operators

2) new Higgs triplets Δ_L :



→ left-handed Majorana mass term:

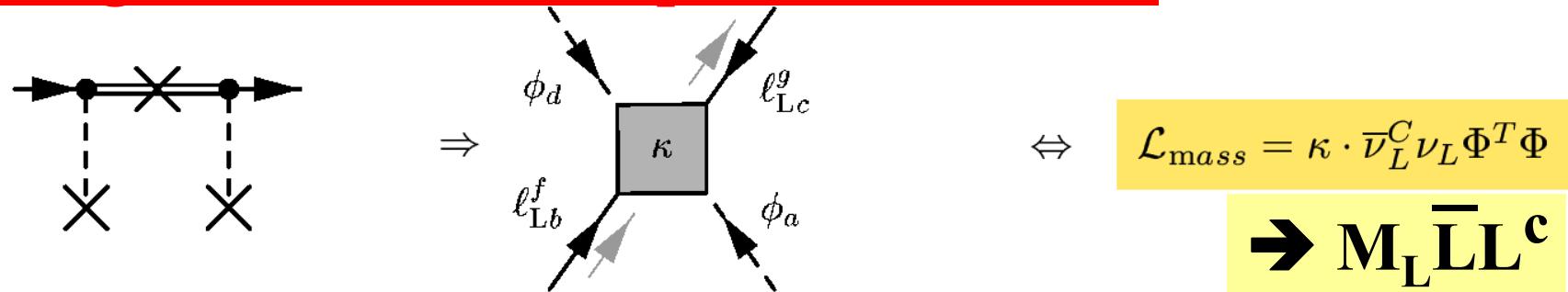
$$\rightarrow M_L \bar{L} L^c$$

3) Both v_R and new Higgs triplets Δ_L :

→ see-saw type II

$$m_v = M_L - m_D M_R^{-1} m_D^T$$

4) Higher dimensional operators: $d=5, \dots$



5-N) ...

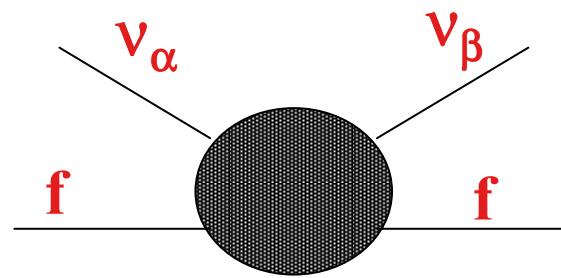
Other effective Operators Beyond the SM

- effects beyond 3 flavours
- Non Standard Interactions = NSIs → effective 4f operators

$$\mathcal{L}_{NSI} \simeq \epsilon_{\alpha\beta} 2\sqrt{2} G_F (\bar{\nu}_{L\beta} \gamma^\rho \nu_{L\alpha}) (\bar{f}_L \gamma_\rho f_L)$$

- integrating out heavy physics (c.f. $G_F \leftrightarrow M_W$)

$$|\epsilon| \simeq \frac{M_W^2}{M_{NSI}^2}$$



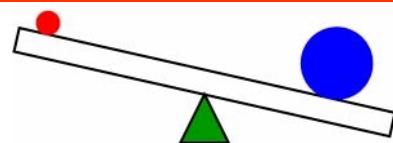
Suggestive See-Saw Features

QFT: natural value of mass operators \leftrightarrow scale of symmetry

$m_D \sim$ electro-weak scale

$M_R \sim$ L violation scale $\leftarrow ? \rightarrow$ embedding (GUTs, ...)

See-saw mechanism (type I)



$$m_\nu = m_D M_R^{-1} m_D^T$$

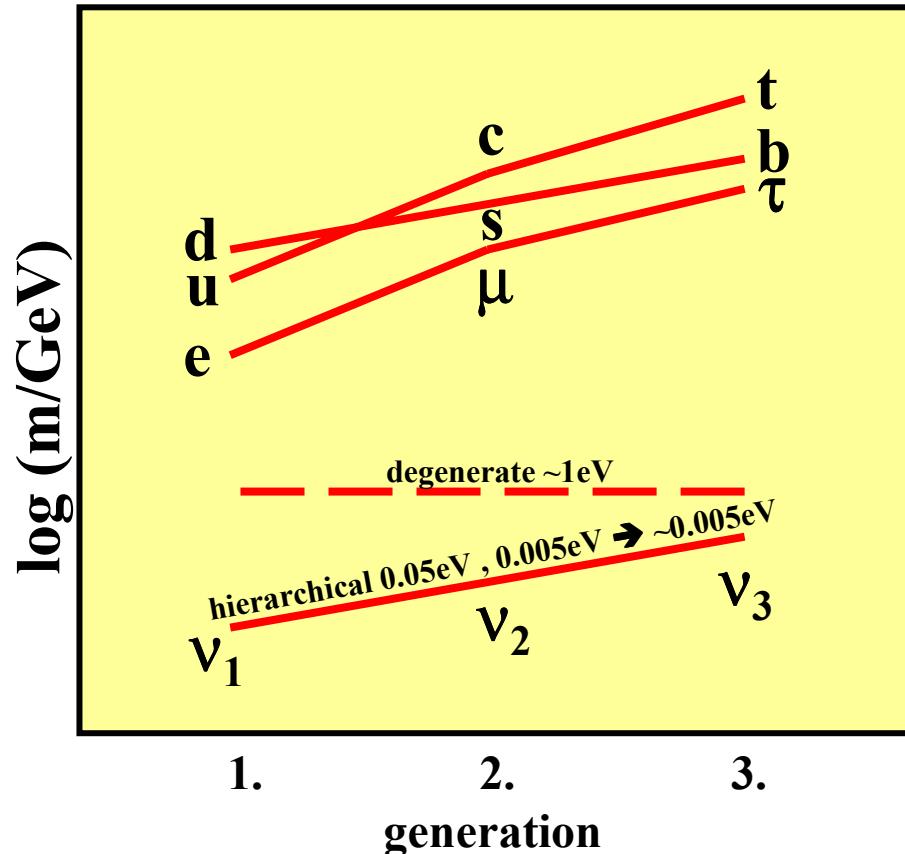
$$m_h = M_R$$

Numerical hints:

For $m_3 \sim (\Delta m_{\text{atm}}^2)^{1/2}$, $m_D \sim$ leptons $\rightarrow M_R \sim 10^{11} - 10^{16} \text{ GeV}$
 $\rightarrow \nu$'s are Majorana particles, m_ν probes \sim GUT scale physics!
 \rightarrow smallness of $m_\nu \leftrightarrow$ high scale of L, symmetries of m_D, M_R

2nd Look Questions

Quarks & charged leptons → hierarchical masses → neutrinos?



Quarks and charged leptons:

$$m_D \sim H^n ; n = 0, 1, 2 \rightarrow H \geq 20 \dots 200$$

Neutrinos: $m_\nu \sim H^n \rightarrow H \leq \sim 10$

See-saw:

$$m_\nu = -m_D^T M_R^{-1} m_D$$

\updownarrow \updownarrow \updownarrow \updownarrow
 H $\simeq 10$ ≥ 20 ? ≥ 20

- correlated hierarchy in M_R ? → theoretically connected!
- mixing patterns: not generically large, why almost maximal, θ_{13} small?

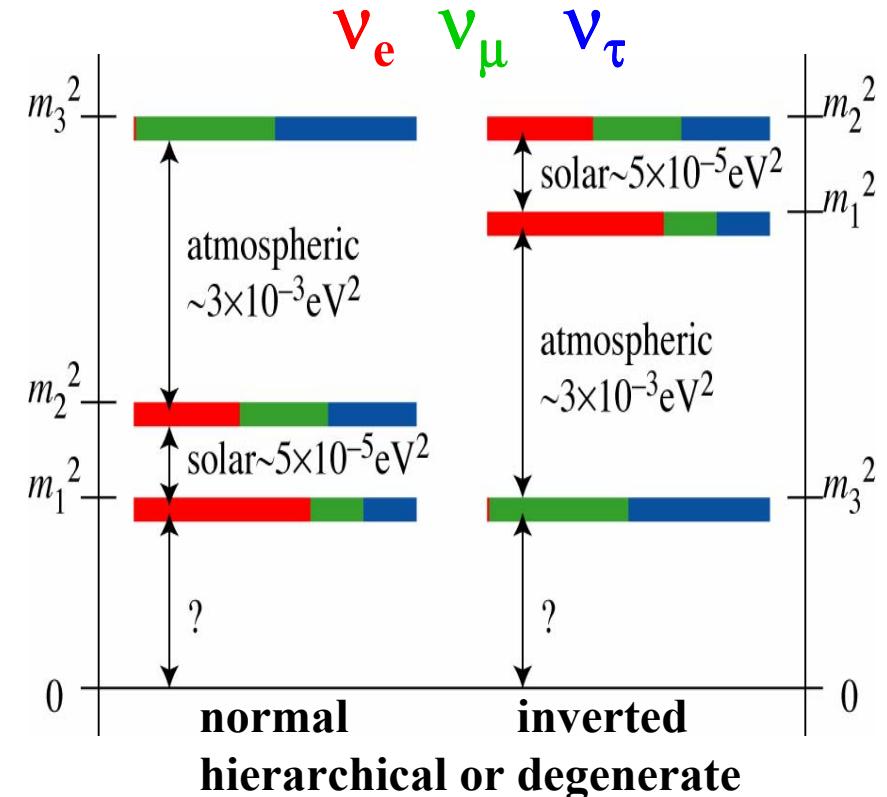
Parameters for 3 Light Neutrinos

mass & mixing parameters: m_1 , Δm^2_{21} , $|\Delta m^2_{31}|$, $\text{sign}(\Delta m^2_{31})$

$$U = \begin{pmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta} \\ -s_{12}c_{23} - c_{12}s_{23}s_{13}e^{i\delta} & c_{12}c_{23} - s_{12}s_{23}s_{13}e^{i\delta} & s_{23}c_{13} \\ s_{12}s_{23} - c_{12}c_{23}s_{13}e^{i\delta} & -c_{12}s_{23} - s_{12}c_{23}s_{13}e^{i\delta} & c_{23}c_{13} \end{pmatrix} \text{diag}(e^{i\alpha}, e^{i\beta}, 1)$$

questions:

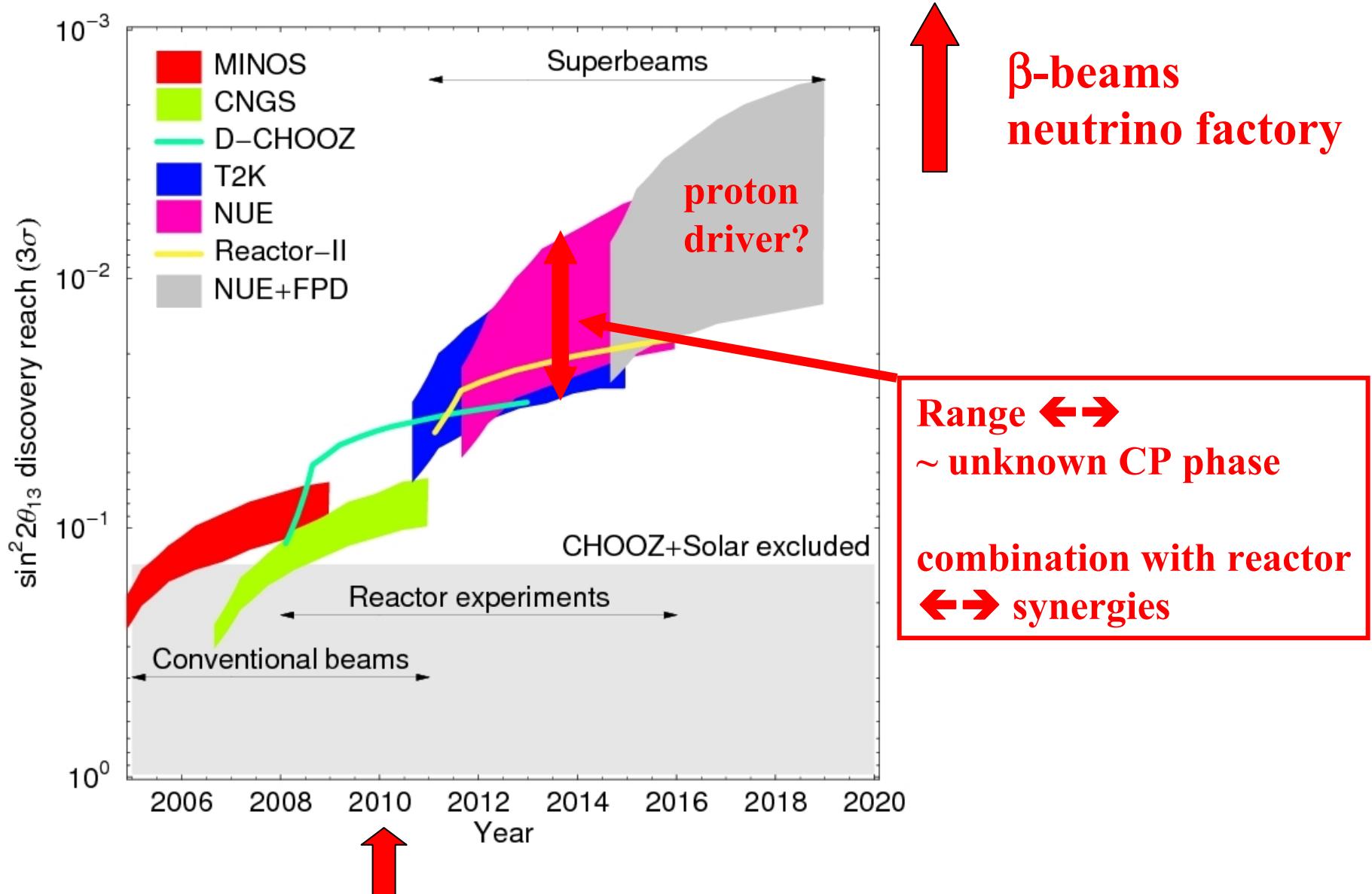
- Dirac / Majorana
- mass scale: m_1
- mass ordering: $\text{sgn}(\Delta m^2_{31})$
- how small is θ_{13} , θ_{23} maximal?
- leptonic CP violation
- 3 flavour unitarity?
- why 3 generations, d=4, gauge group, ...



Four Methods of Mass Determination

- kinematical
- lepton number violation
 \longleftrightarrow Majorana nature
- astrophysics & cosmology
- oscillations

θ_{13} Sensitivity Versus Time



Implications of Precision

Precision allows to identify / exclude:

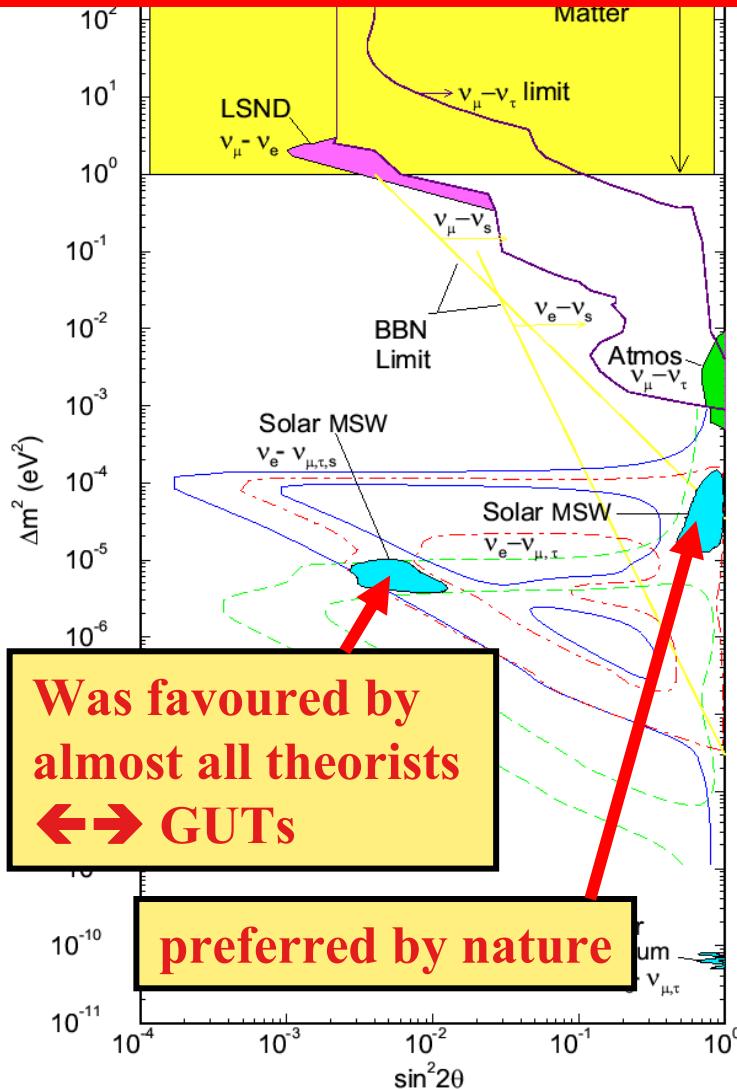
- special angles: $\theta_{13} = 0^\circ$, $\theta_{23} = 45^\circ$, ... \leftrightarrow discrete f. symmetries?
 - special relations: $\theta_{12} + \theta_C = 45^\circ$? \leftrightarrow quark-lepton relation?
 - quantum corrections \leftrightarrow renormalization group evolution
 - ...
- \rightarrow unique & complimentary information
 \rightarrow test ideas about the origin of flavour

Provides also measurements / tests of:

- MSW effect (coherent forward scattering and matter profiles)
 - cross sections
 - 3 neutrino unitarity \leftrightarrow sterile neutrinos with small mixings
 - neutrino decay, decoherence, NSIs, MVN, ...
- \rightarrow various synergies with LHC and LFV

Learning about Flavour

History: Elimination of SMA



Next: Smallness of θ_{13} , θ_{23} maximal

- models for masses & mixings
- input: known masses & mixings
 - distribution of θ_{13} predictions
 - θ_{13} expected close to ex. bound
 - well motivated experiments

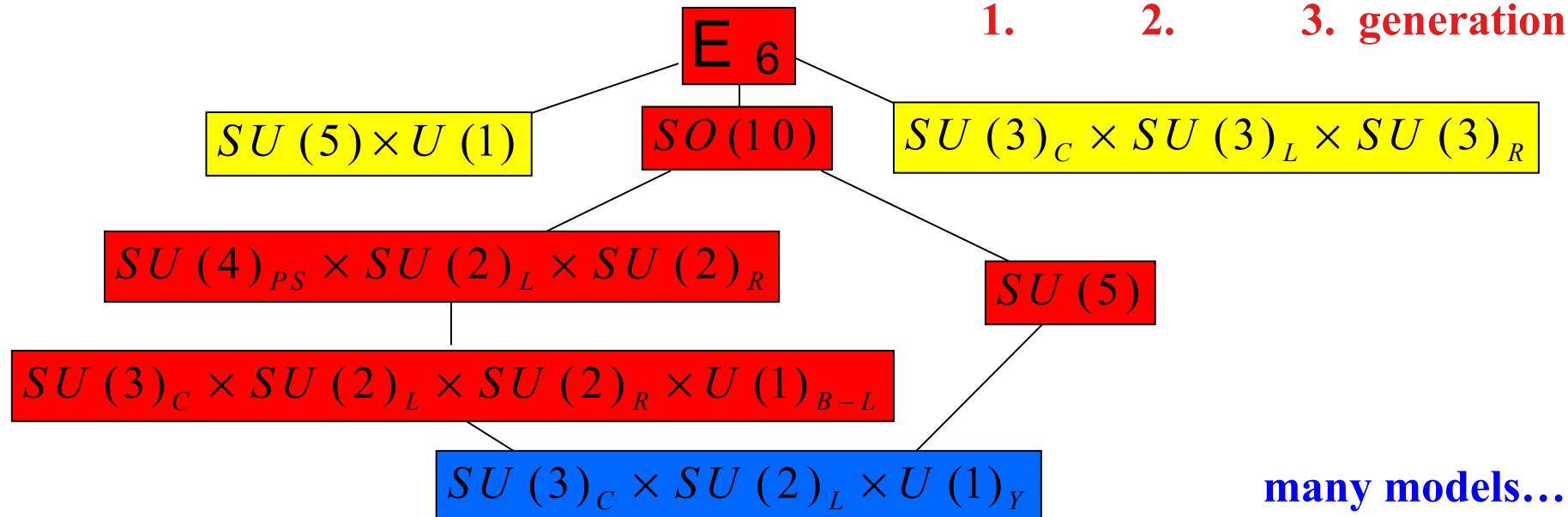
what if θ_{13} is very tiny?
or if θ_{23} is very close to maximal?

- numerical coincidence unlikely
- special reasons (symmetry, ...)
- answered by coming precision

The larger Picture: GUTs

Gauge unification suggests that some GUT exists

Requirements:
 gauge unification
 particle multiplets $\leftrightarrow v_R$
 proton decay
 ...



GUT Expectations and Requirements

Quarks and leptons sit in the same multiplets

- one set of Yukawa couplings for given GUT multiplet
- ~ tension: small quark mixings \leftrightarrow large leptonic mixings
- this was in fact the reason for the ‘prediction’ of small mixing angles (SMA) – ruled out by data

Mechanisms to post-dict large mixings:

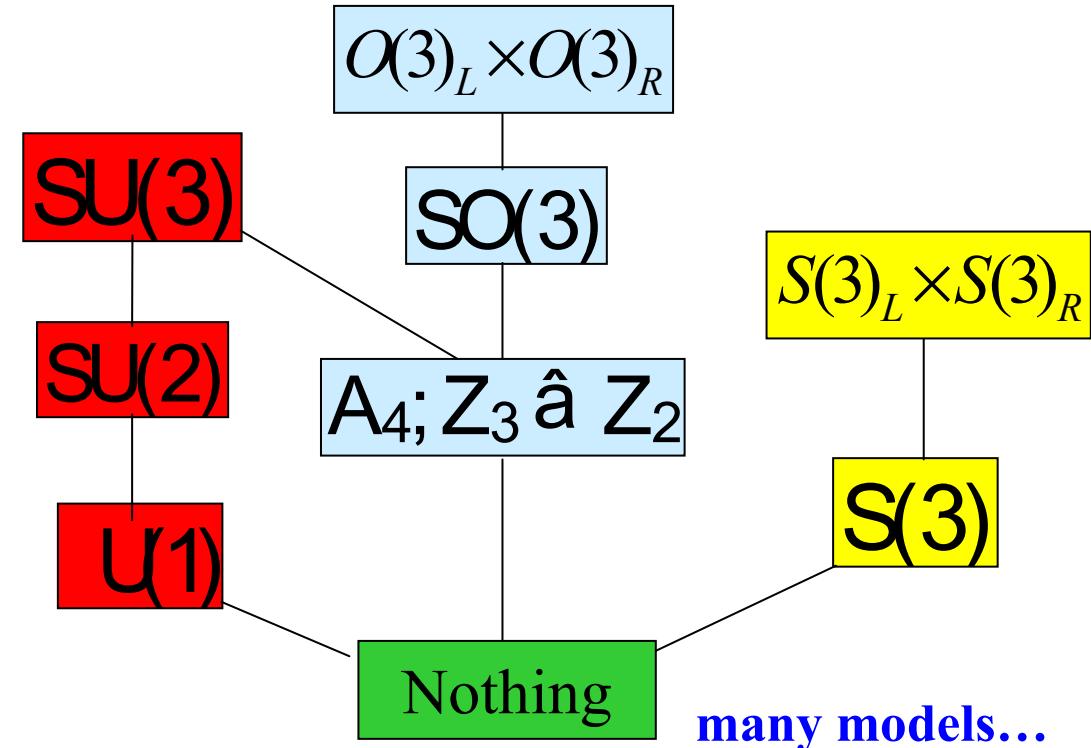
- sequential dominance
- type II see-saw
- Dirac screening
- ...

Flavour Unification

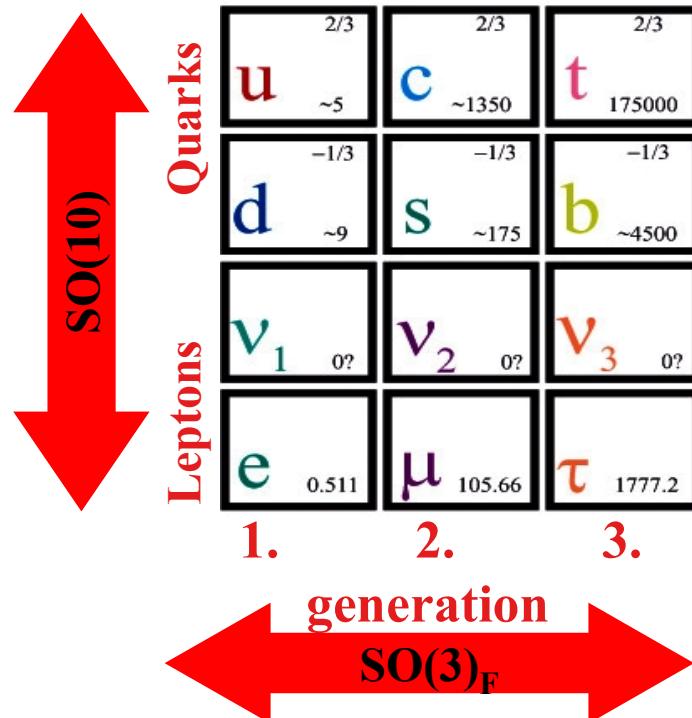
- so far **no understanding of flavour, 3 generations**
- apparent regularities in quark and lepton parameters
→ flavour symmetries (finite number for limited rank)
- **symmetry** not texture zeros

Quarks	u ~ 5	c ~ 1350	t 175000
	$2/3$	$2/3$	$2/3$
	$-1/3$	$-1/3$	$-1/3$
Leptons	d ~ 9	s ~ 175	b ~ 4500
	$0?$	$0?$	$0?$
	v_1 $0?$	v_2 $0?$	v_3 $0?$
1. 2. 3. generation	e 0.511	μ 105.66	τ 1777.2

Examples:



GUT \otimes Flavour Unification



→ GUT group \otimes flavour group

example: $\text{SO}(10) \otimes \text{SU}(3)_F$

- SSB of $\text{SU}(3)_F$ between Λ_{GUT} and Λ_{Planck}
- all flavour Goldstone Bosons eaten
- discrete sub-groups survive \leftrightarrow SSB
e.g. Z2, S3, D5, A4
- structures in flavour space
- compare with data

GUT \otimes flavour is rather restricted

- ↔ small quark mixings *AND* large leptonic mixings ; quantum numbers
- so far only a few viable models
Cai and Yu, Hagedorn, ML and Mohapatra, Chen and Mahantappa, King, Ross
- rather limited number of possibilities; phenomenological success non-trivial
- aim: distinguish models further by future precision

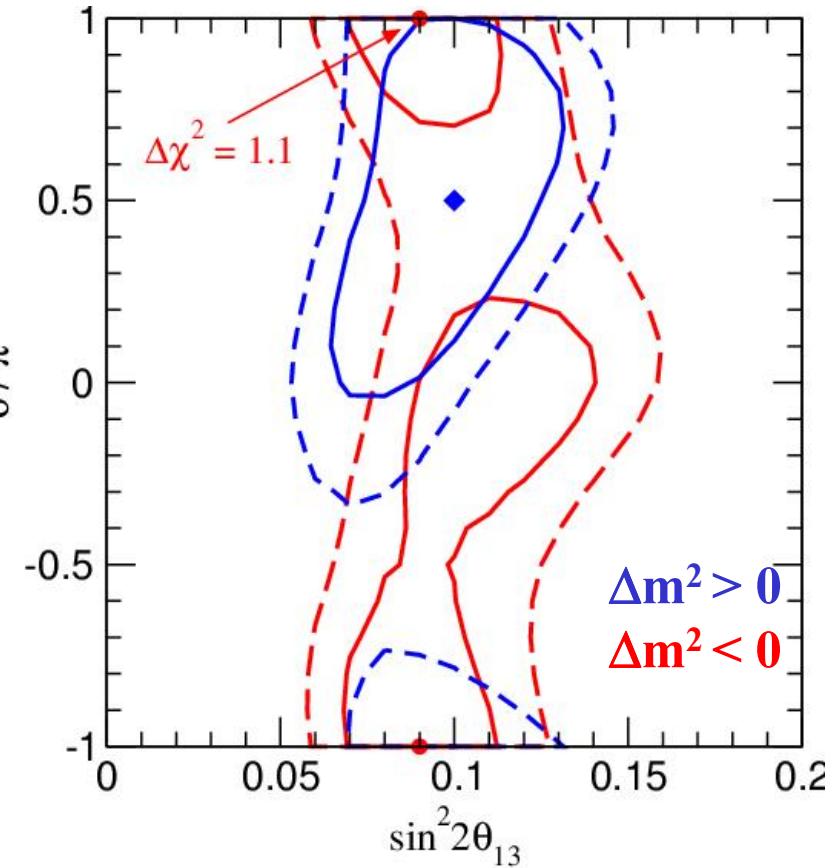
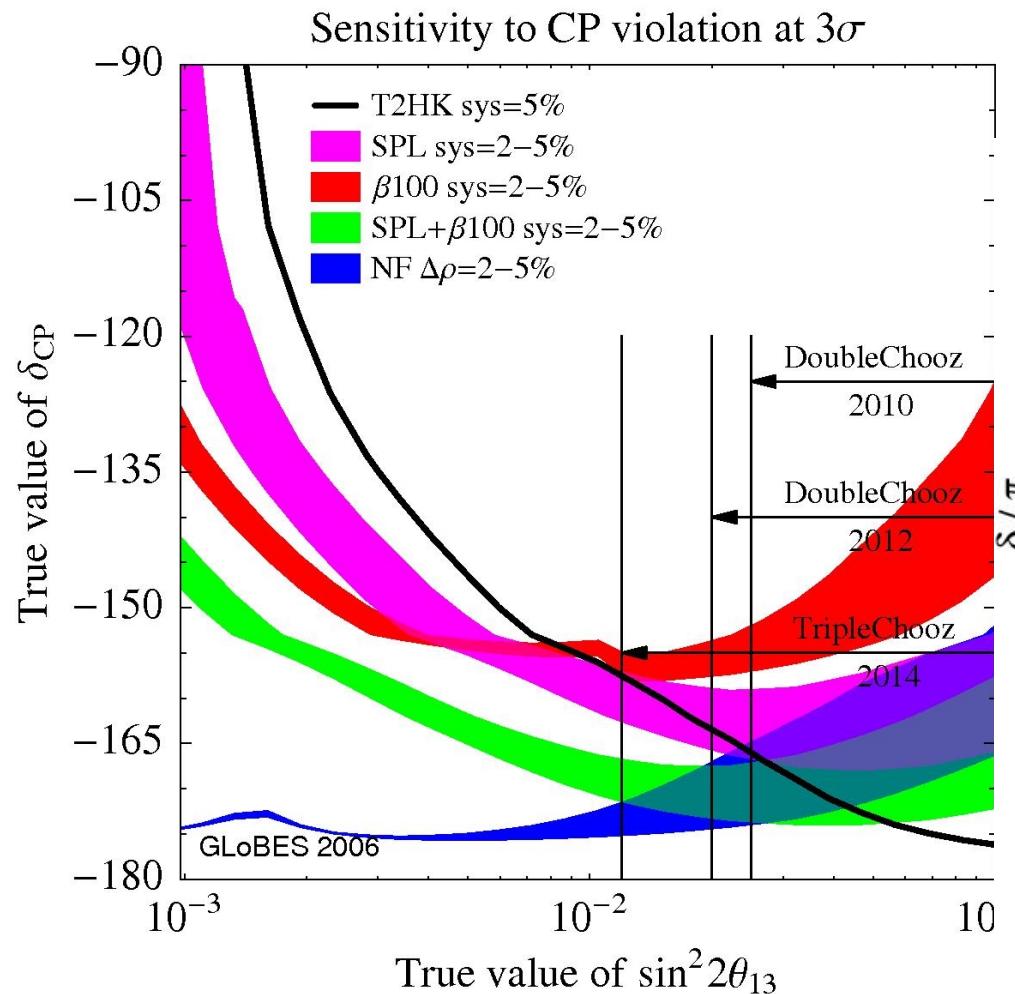
Aims & Questions

- Precise angles, phases and masses!
- Potential for other physics?
- Surprises?

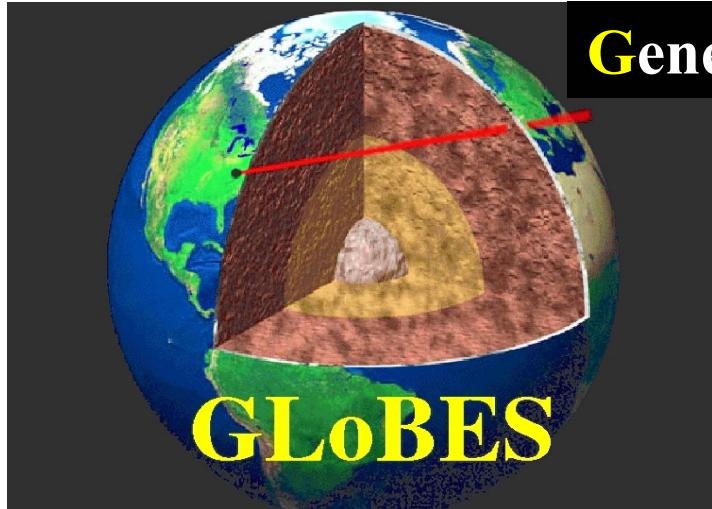
θ_{13} and Leptonic CP Violation

road map for : $\sin^2 2\theta_{13}$
 → importance of Double Chooz

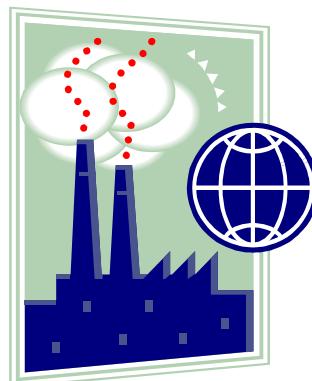
assume: $\sin^2 2\theta_{13} = 0.1$, $\delta = \pi/2$ → combine:
 T2K+NOvA+Reactor



Simulation Tools



very powerful tool



GLoBES & Co

General Long Baseline Experiment Simulator

<http://www.mpi-hd.mpg.de/~globes>

P. Huber, J. Kopp, ML, W. Winter

**Realistic simulations (event rate based;
including realistic experimental aspects):**

- full 3v oscillation formalism in matter
 - widely used (on-going ISS/IDS study)
 - further improvements
 - test & compare new ideas
 - library of most existing experiments → play!
 - identify R&D issues, cost gradients, ...
-
- extensions beyond 3flavour LBL oscillations
 - include NSIs into simulations

NSIs & Oscillations

Future precision oscillation experiments:

- must include full 3 flavour oscillation probabilities
- matter effects
- define sensitivities on an event rate basis

Source	\otimes	Oscillation	\otimes	Detector
<ul style="list-style-type: none">- neutrino energy E- flux and spectrum- flavour composition- contamination- symmetric $\nu/\bar{\nu}$ operation		<ul style="list-style-type: none">- oscillation channels- realistic baselines- MSW matter profile- degeneracies- correlations		<ul style="list-style-type: none">- effective mass, material- threshold, resolution- particle ID (flavour, charge, event reconstruction, ...)- backgrounds- x-sections (at low E)



precision experiments might see
new effects beyond oscillations!

NSI Operators

- Good reasons for physics beyond the SM+ (with ν's)
 - expect effects beyond 3 flavours in many models
 - effective 4f interactions

$$\mathcal{L}_{NSI} \simeq \epsilon_{\alpha\beta} 2\sqrt{2}G_F (\bar{\nu}_{L\beta} \gamma^\rho \nu_{L\alpha})(\bar{f}_L \gamma_\rho f_L)$$

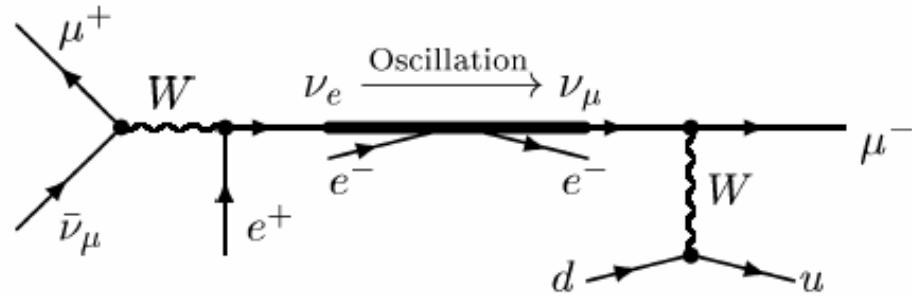
- integrating out heavy physics (c.f. $G_F \leftrightarrow M_W$)

$$|\epsilon| \simeq \frac{M_W^2}{M_{NSI}^2}$$

Grossman, Bergmann+Grossman, Ota+Sato, Honda et al., Friedland+Lunardini,
Blennlow+Ohlsson+Skrotzki, Huber+Valle, Huber+Schwetz+Valle,
Campanelli+Romanino, Bueno et al., Kopp+ML+Ota, ...

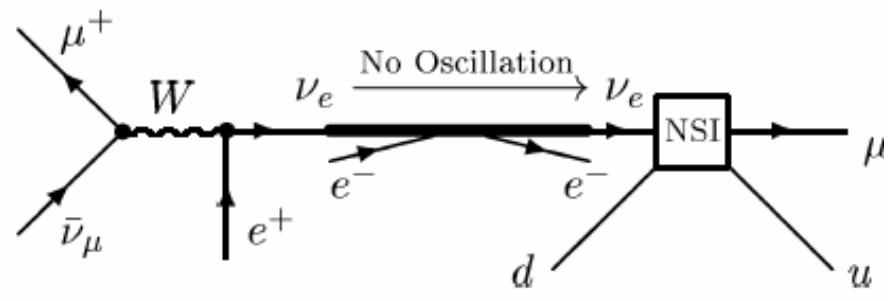
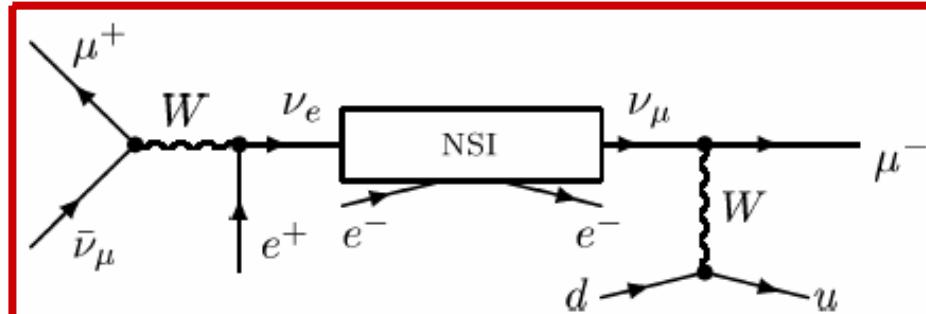
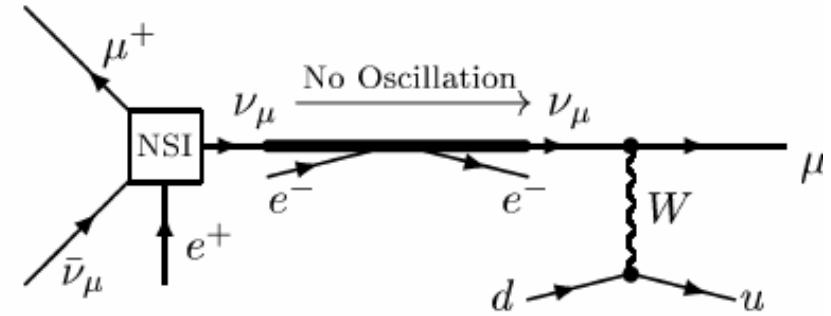
NSIs interfere with Oscillations

the “golden” oscillation channel



(a)

NSI contributions to the “golden” channel



note: interference in oscillations $\sim \epsilon \leftrightarrow$ FCNC effects $\sim \epsilon^2$

Physics Potential with NSIs included

Simulations

- full oscillation framework with NSIs included

→ 4 possibilities for flavour transition:

- Oscillation
 - NSI operator at source
 - NSI operator at detector
 - NSI effects in propagation
- } no L/E dependence

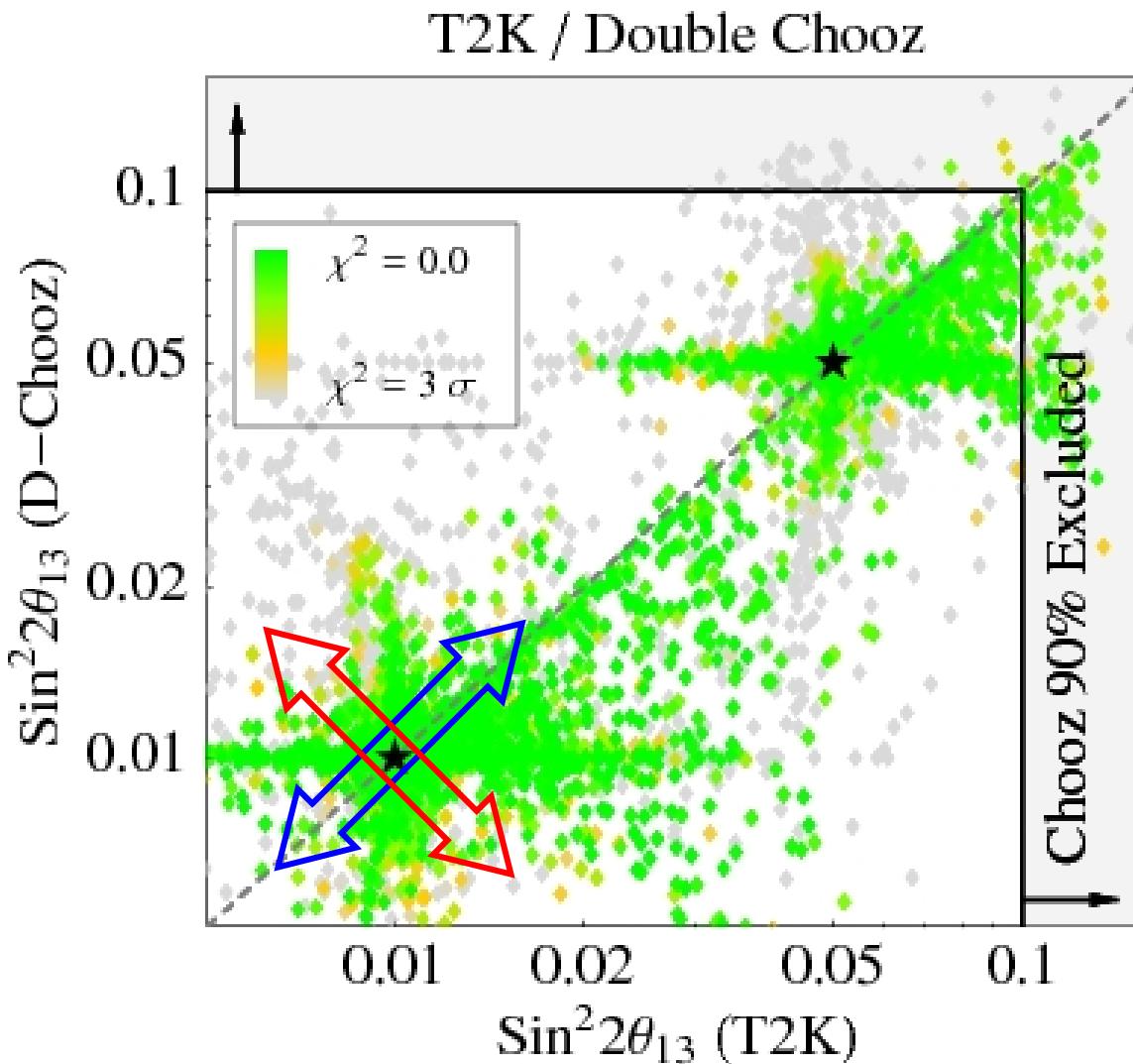
Important: sensitivity limit from few events (small statistics)

- no capability to resolve characteristic L/E dependence of oscillation
- potential misinterpretation of NSI flavour transition effects

Potential consequences:

- offsets in parameter determinations
- conflicting data

NSI: Offset and Mismatch in θ_{13}



Redundant measurements:

Double Chooz + T2K

*=assumed ‘true’ values of θ_{13}

scatter-plot: ε values random

- below existing bounds

- random phases

NSIs can lead to:

- offset

- mismatch

→ redundancy

→ interesting potential

Kopp, ML, Ota, Sato

Relevant NSI Operators

$$\mathcal{L}_{\text{NSI}} = \mathcal{L}_{V\pm A} + \mathcal{L}_{S\pm P} + \mathcal{L}_T$$

General Lorentz and flavour structure

$$\mathcal{L}_{V\pm A} =$$

$$\begin{aligned} & \frac{G_F}{\sqrt{2}} \sum_{f,f'} \tilde{\epsilon}_{\alpha\beta}^{s,f,f',V\pm A} [\bar{\nu}_\beta \gamma^\rho (1 - \gamma^5) \ell_\alpha] [\bar{f}' \gamma_\rho (1 \pm \gamma^5) f] \\ & + \frac{G_F}{\sqrt{2}} \sum_f \tilde{\epsilon}_{\alpha\beta}^{m,f,V\pm A} [\bar{\nu}_\alpha \gamma^\rho (1 - \gamma^5) \nu_\beta] [\bar{f} \gamma_\rho (1 \pm \gamma^5) f] + \\ & \text{h.c.} \end{aligned}$$

$$\begin{aligned} \mathcal{L}_{S\pm P} &= \frac{G_F}{\sqrt{2}} \sum_{f,f'} \tilde{\epsilon}_{\alpha\beta}^{s,f,f',S\pm P} [\bar{\nu}_\beta (1 + \gamma^5) \ell_\alpha] [\bar{f}' (1 \pm \gamma^5) f], \\ \mathcal{L}_T &= \frac{G_F}{\sqrt{2}} \sum_{f,f'} \tilde{\epsilon}_{\alpha\beta}^{s,f,f',T} [\bar{\nu}_\beta \sigma^{\rho\tau} \ell_\alpha] [\bar{f}' \sigma_{\rho\tau} f]. \end{aligned}$$

Reactor source and detector ($f = u, f' = d$)

	Source			Detector		
	$\ell_\alpha = e$	$\ell_\alpha = \mu$	$\ell_\alpha = \tau$	$\ell_\alpha = e$	$\ell_\alpha = \mu$	$\ell_\alpha = \tau$
$V - A$	✓	no μ production	no τ production	✓	no μ production	no τ production
$V + A$	✓	no μ production	no τ production	✓	no μ production	no τ production
$S - P$	strong constraints	no μ production	no τ production	strong constraints	no μ production	no τ production
$S + P$	strong constraints	no μ production	no τ production	strong constraints	no μ production	no τ production
T	strong constraints	no μ production	no τ production	strong constraints	no μ production	no τ production

Superbeam source and detector ($f = u, f' = d$)

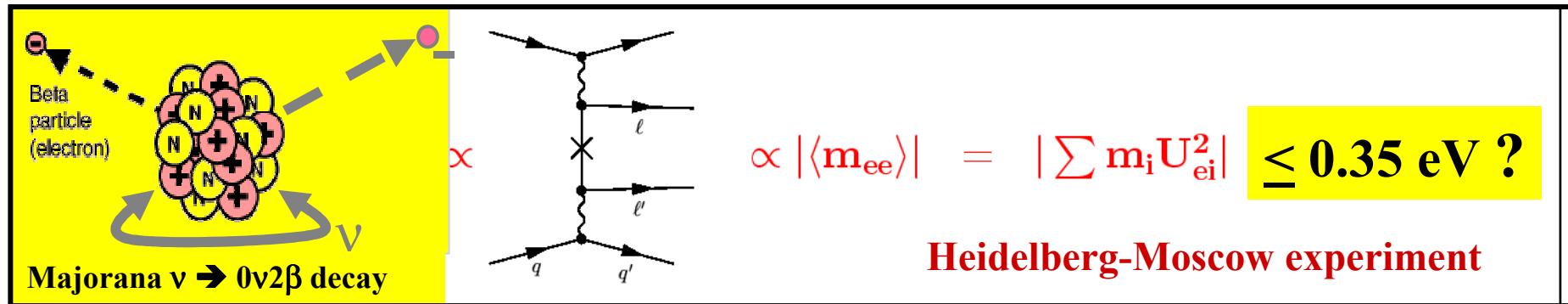
	Source			Detector		
	$\ell_\alpha = e$	$\ell_\alpha = \mu$	$\ell_\alpha = \tau$	$\ell_\alpha = e$	$\ell_\alpha = \mu$	$\ell_\alpha = \tau$
$V - A$	no e production	✓	no τ production	✓	✓	no τ detection
$V + A$	no e production	✓	no τ production	✓ (mild supp.)	✓ (mild supp.)	no τ detection
$S - P$	no e production	✓	no τ production	strong constraints	chiral supp.	no τ detection
$S + P$	no e production	✓	no τ production	strong constraints	chiral supp.	no τ detection
T	no e production	no P -odd part	no τ production	strong constraints	chiral supp.	no τ detection

Propagation ($f = e, u, d$)

$V - A$	✓
$V + A$	✓

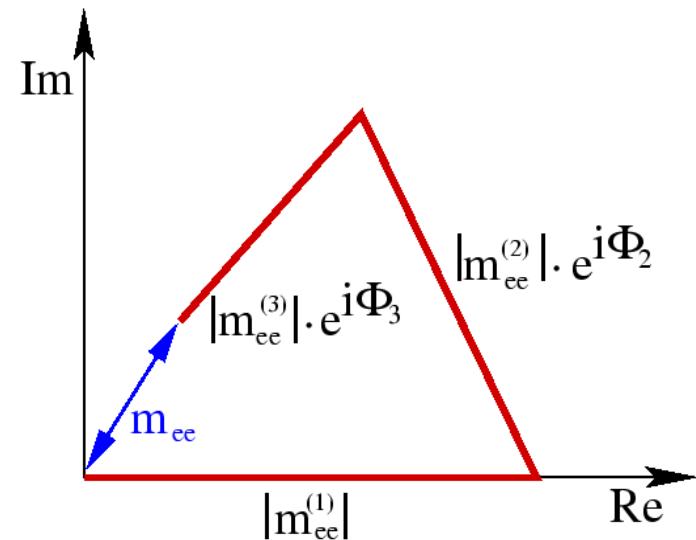
Very important for NF & β -beam
→ See talks by S.Uchinami , J. Kopp

Neutrino-less Double β -Decay



$$m_{ee} = |m_{ee}^{(1)}| + |m_{ee}^{(2)}| \cdot e^{i\Phi_2} + |m_{ee}^{(3)}| \cdot e^{i\Phi_3}$$

$$\begin{aligned} |m_{ee}^{(1)}| &= |U_{e1}|^2 m_1 \\ |m_{ee}^{(2)}| &= |U_{e2}|^2 \sqrt{m_1^2 + \Delta m_{21}^2} \\ |m_{ee}^{(3)}| &= |U_{e3}|^2 \sqrt{m_1^2 + \Delta m_{31}^2} \end{aligned}$$



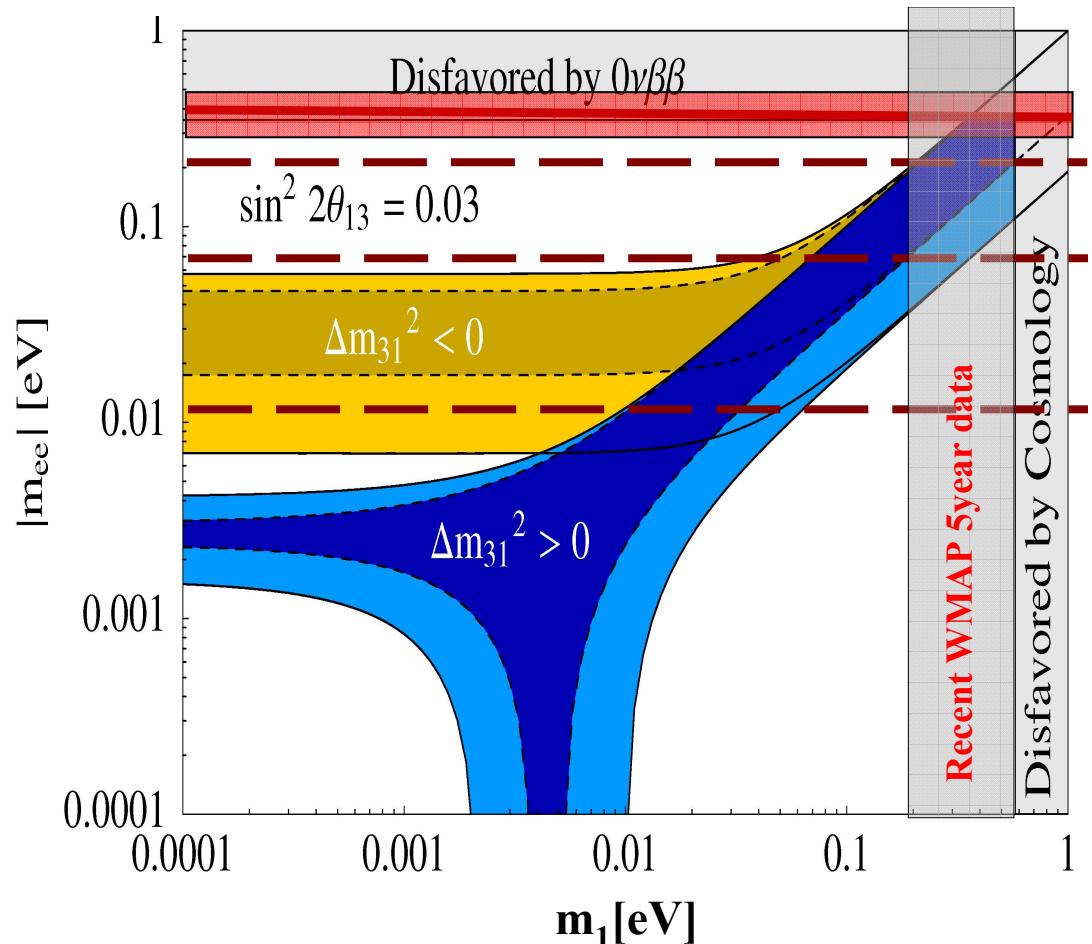
solar $\Rightarrow |U_{e1}|^2, |U_{e2}|^2, \Delta m_{21}^2$ atmosph. $\Rightarrow |\Delta m_{31}^2|$ CHOOZ $\Rightarrow |U_{e3}|^2 < 0.05$

→ free parameters: m_1 , sign(Δm_{31}^2), CP-phases Φ_2, Φ_3

**Claim of part of the original
Heidelberg-Moscow experiment
↔ cosmology → ‚tension‘**

aims of new experiments:

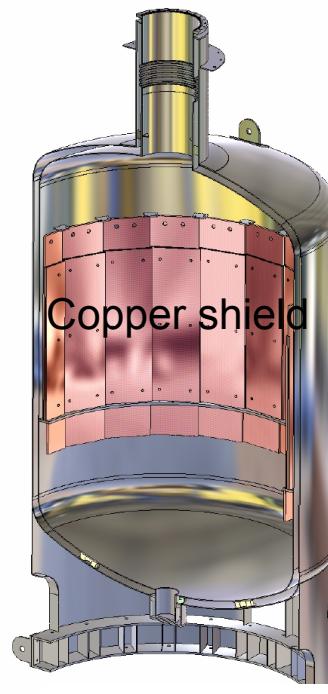
- test HM claim
- $(\Delta m_{31}^2)^{1/2} \simeq 0.05 \text{ eV} \pm \text{errors}$
 → reach 0.01 eV
 → CUORE
 → GERDA phases I, II, (III)



Comments:

- cosmology: systematical errors → ~another factor 5?
- $0\nu\beta\beta$ nuclear matrix elements ~factor 1.3-2 **theoretical** uncertainty in m_{ee}
- $\Delta m^2 > 0$ allows complete cancellation → $0\nu\beta\beta$ signal not guaranteed
- $0\nu\beta\beta$ signal from *some other* new BSM lepton number violating operator
 → **very promising interplay of cosmology, other mass determinations (KATRIN), LHC, LVF experiments and theory**

GERDA Construction

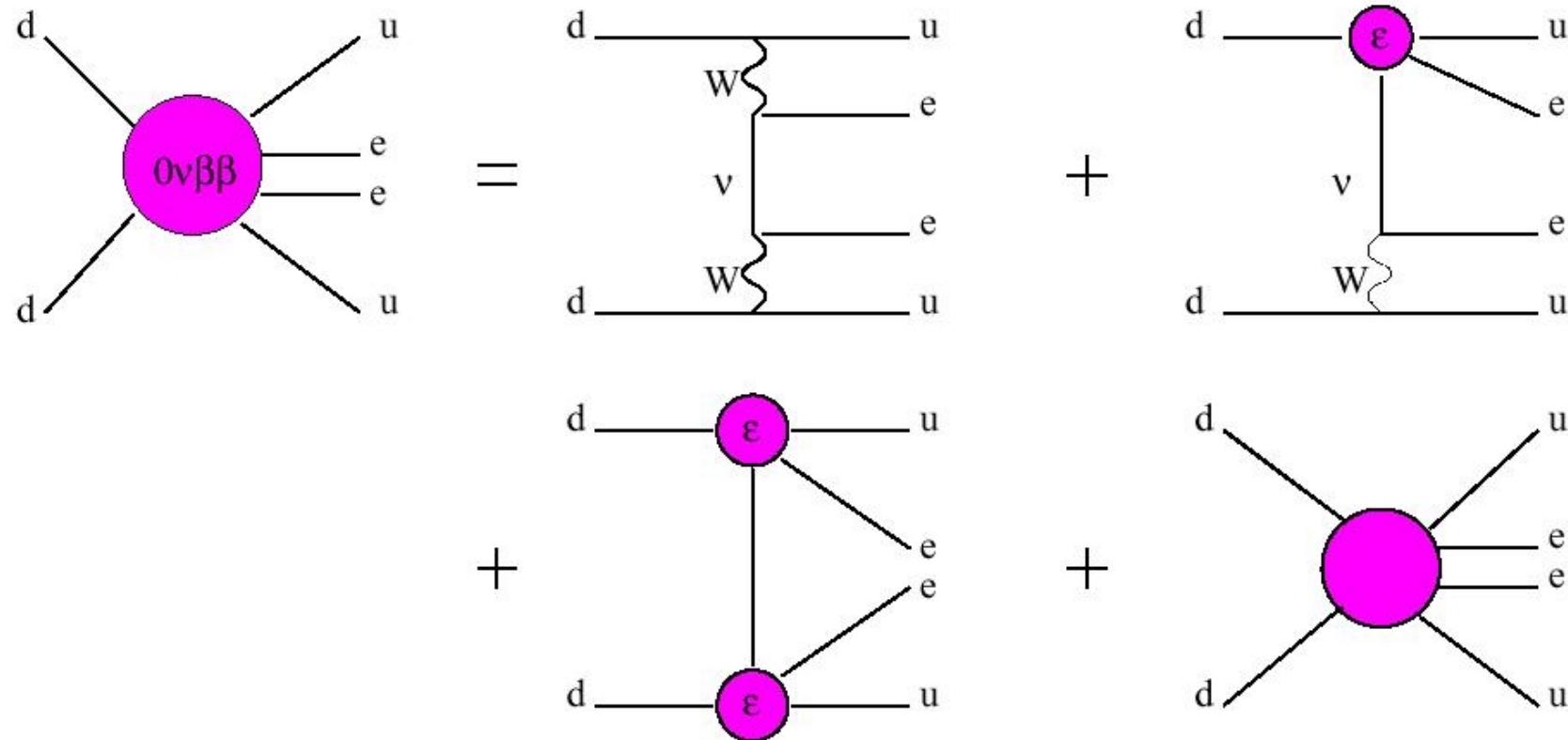


Vacuum-insulated
double wall stainless
steel cryostat



→ data taking 2009

alternatives: LR, RPV-SUSY, ... \rightarrow other ~~L~~ operators \leftrightarrow NSI's



Schechter+Valle:

L violating operator \rightarrow radiative mass generation \rightarrow Majorana nature of v's

However: This may only be a tiny correction to a much larger Dirac mass term

Lepton Flavour Violation

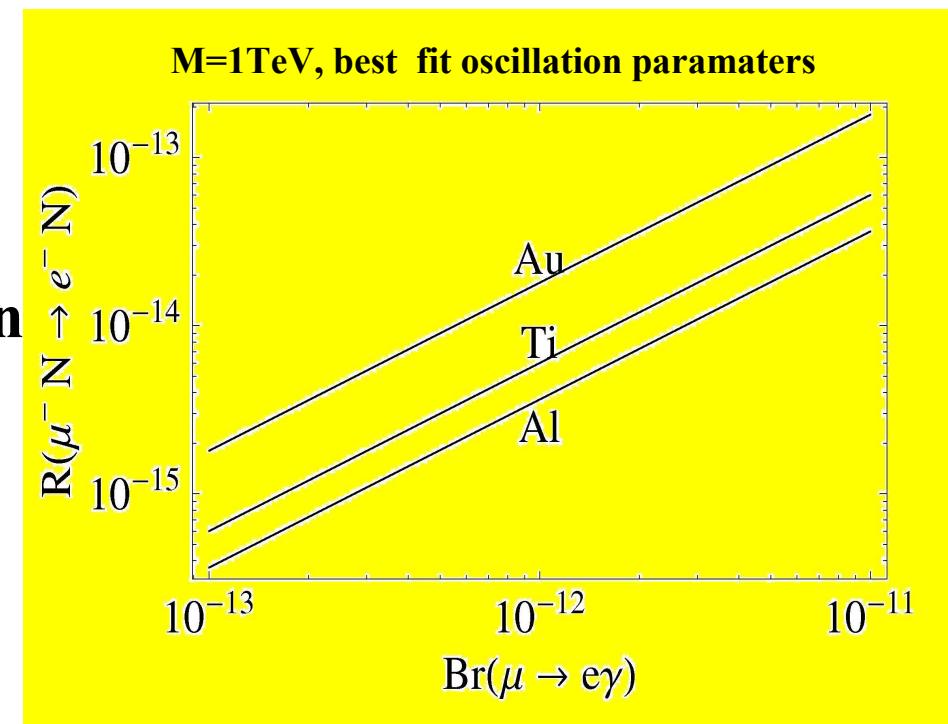
- Majorana neutrino mass terms
- ...
- R-parity violating supersymmetry

Hall+Kosteleck+Rabi, Borzumati+Masiero, Hisano+Tobe, Casas+Ibarra, Antusch+Arganda+Herrero+Teixeira, Joaquim+Rossi, ...

→ LFV and leptonic CP violation
can even exist for $m_\nu \rightarrow 0$

→ e.g. modifications of correlation
between $\mu^- \rightarrow e^- \gamma$ decay and
nuclear $\mu^- \rightarrow e^-$ conversion
MEG: 10^{-13}
PRISM: 10^{-18}

→ interplay: ν 's – LFV – LHC
in the coming years



Deppisch+Kosmas+Valle

Conclusions

- neutrino physics very promising → unique information
 - insights into various sources
 - unique particle physics properties
 - first solid particle physics beyond the standard model
 - there are more parameters
 - explicit fermion mass terms
 - L violation
 - future: precision neutrino physics
 - very precise measurements → potential for surprises!
 - NSIs: offsets and mismatch possible → precise & redundant measurements
 - good potential for synergies with LHC and LFV physics
 - interpreting flavour structures ←→ origin of flavour
 - flavour symmetries - GUTs - SUSY
 - ...many fancier ideas
- very good motivation for future neutrino beams